

# ( Systems ) Girders.

## نسألكم الدعاء

IF you download the Free **APP. RC Structures**  on your smart phone or tablet, you will be able to play illustrative movies For any paragraph that has a QR code icon 

إذا حملت تطبيق **RC Structures**  على تليفونك المحمول أو اللوح السطحي ستستطيع أن تشغل أفلام شرح للمقاطع التي تحتوى على رمز 

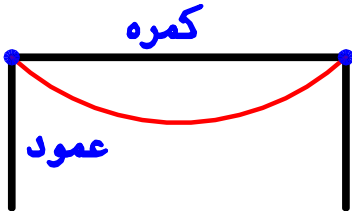
## Girders. Table of Contents.

Connections between Beams & Columns. ....	Page 2
Girder's Concrete Dimensions. ....	Page 3
RFT. of Girders. ....	Page 5
Girder with variable depth. ....	Page 10
Statically Determinate Continuous Girder. ....	Page 11
Girder with Sky Light. ....	Page 16
Girders Examples. ....	Page 19



# Connection between Beam & Column.

Hinged Joint

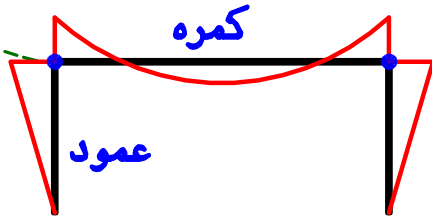


يكون ال **B.M.** من الاحمال الموجوده على الكمره  
أى أنه دأها الكمره عليها **B.M.**

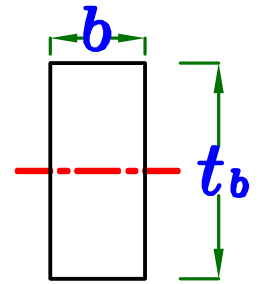
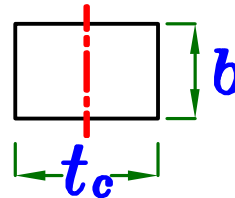
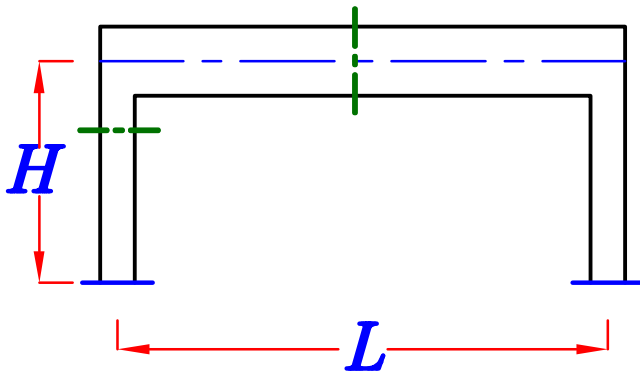
ولكن وجود **B.M.** على العمود يعتمد على ال **Joint**

بين الكمره و العمود اذا كانت **Hinged or Rigid**

Rigid Joint



و ذلك يعتمد على ال **Stiffness** بين كلا من الكمره و العمود



$$I_c = \frac{b t_c^3}{12}$$

$$I_b = \frac{b t_b^3}{12}$$

$$K_b = \frac{E I_b}{L}$$

$$K_c = \frac{E I_c}{H}$$

Relative Stiffness.

$$K_r = \frac{K_b}{K_c}$$



إذا كانت قيمة **K<sub>r</sub>** كبيره نسبيا تعتبر ال **Joint** بين الكمره و العمود **Hinged**



إذا كانت قيمة **K<sub>r</sub>** صغيره نسبيا تعتبر ال **Joint** بين الكمره و العمود **Rigid**



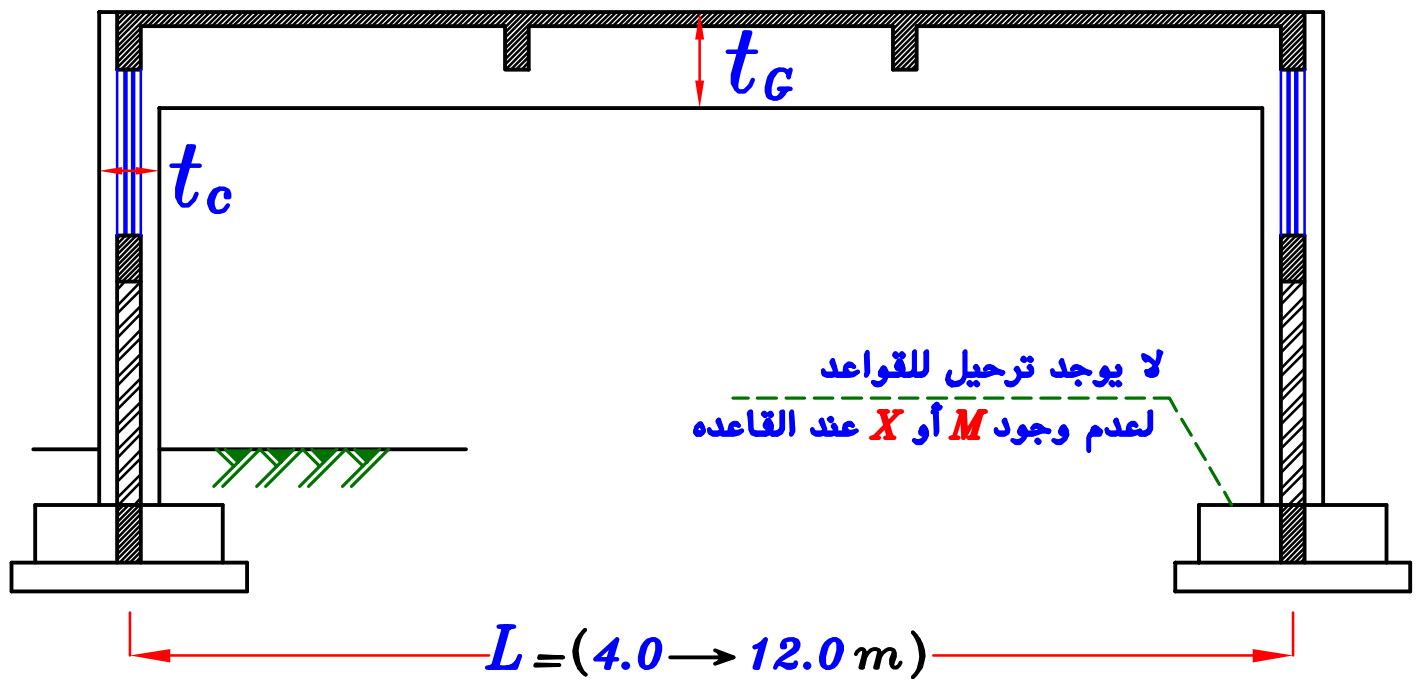
للتسهيل سنعتبر أنه عندما تكون  $t_c \leq \frac{t_b}{2}$  تكون **Hinged Joint**



و عندما تكون  $t_c \geq 0.8 t_b$  تكون **Rigid Joint**



# Girder's Concrete Dimensions.



**Simple Girder**  $\longrightarrow$  **For all types of soil.**

**Continuous Girder**  $\longrightarrow$  **For medium and hard soil.**

## Concrete Dimensions.

\* **Span of girders ( $L$ ) =  $(4.0 \rightarrow 12.0) \text{ m}$ .**

يفضل عمليا ( $L$ ) حتى ١٠ م و ممكن أن يصل الى ١٢ م .

\*  $t_c = \frac{L}{10}$  **Simple**

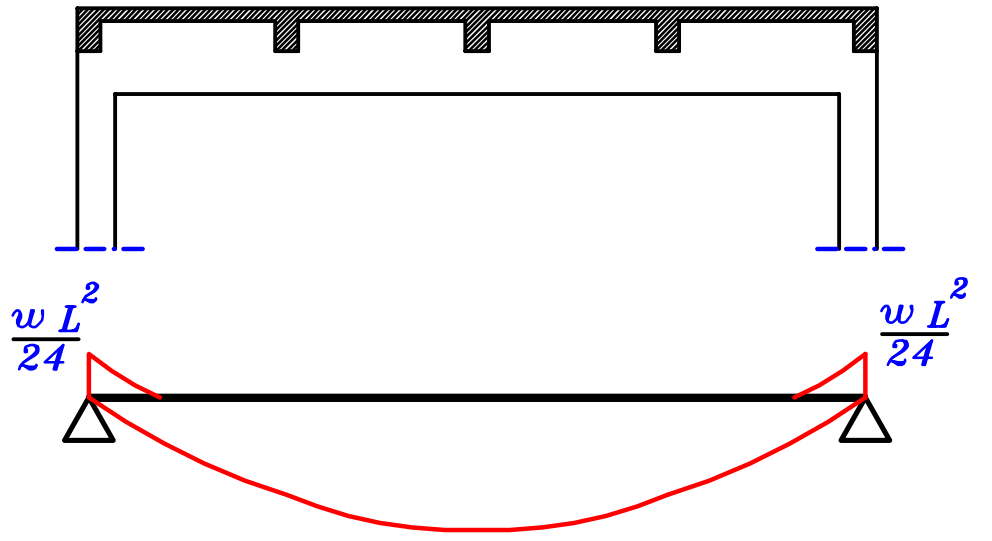
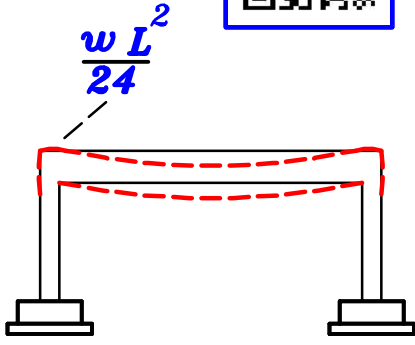
$\frac{L}{12}$  **Continuous**

$\frac{L_c}{5}$  **Cantilever**

\*  $t_c \leq t_g$  ( $t_c \approx 0.7 \rightarrow 0.9 t_g$ )

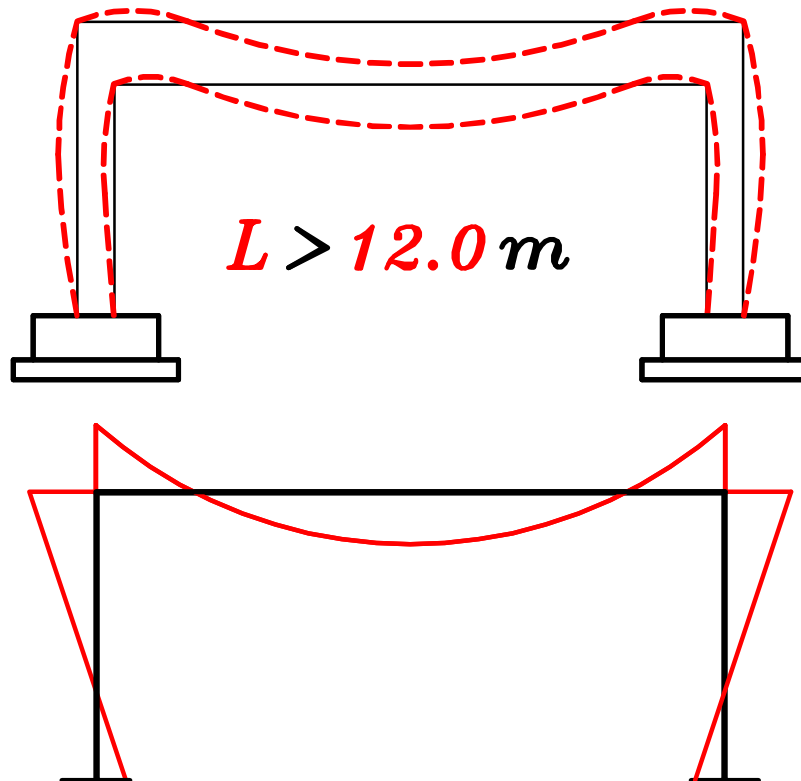
\*  $b = \frac{0.30 \text{ m}}{\frac{\text{Spacing}}{20}}$  } الأكبر





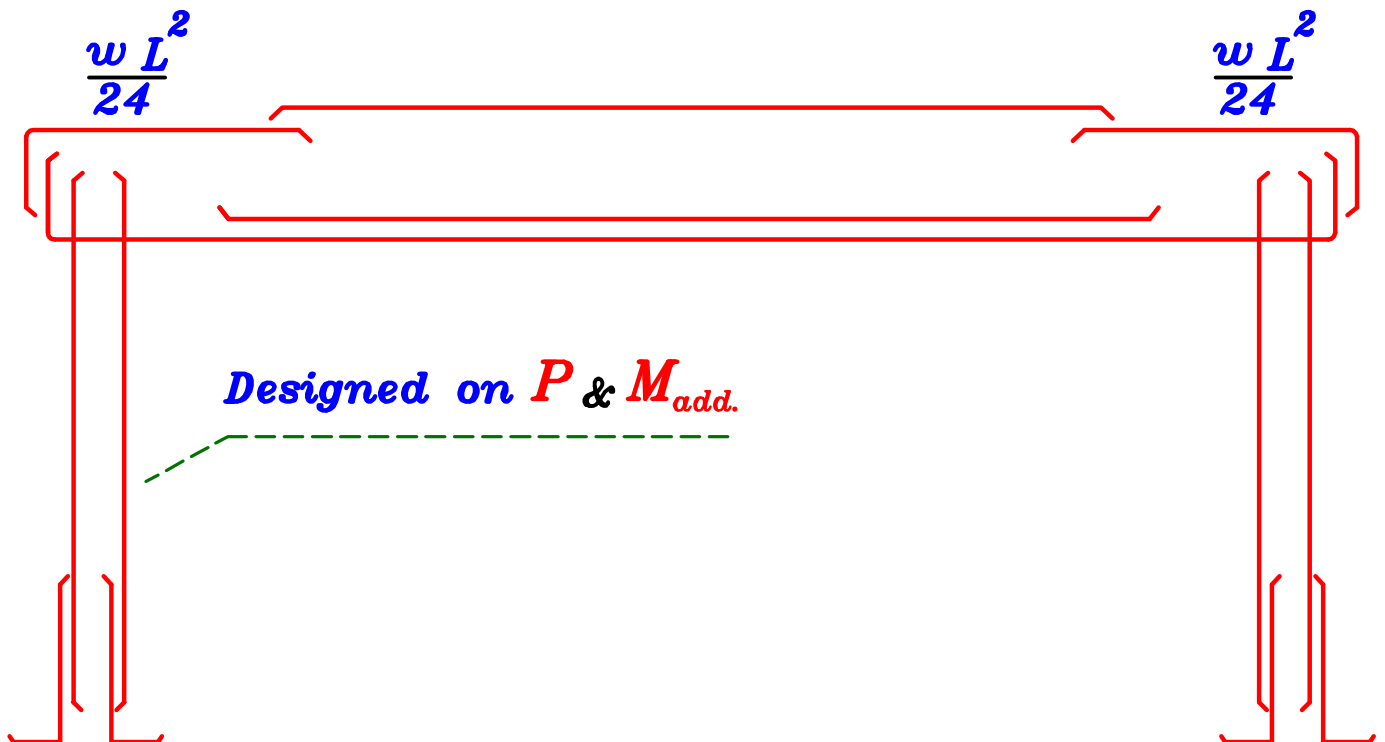
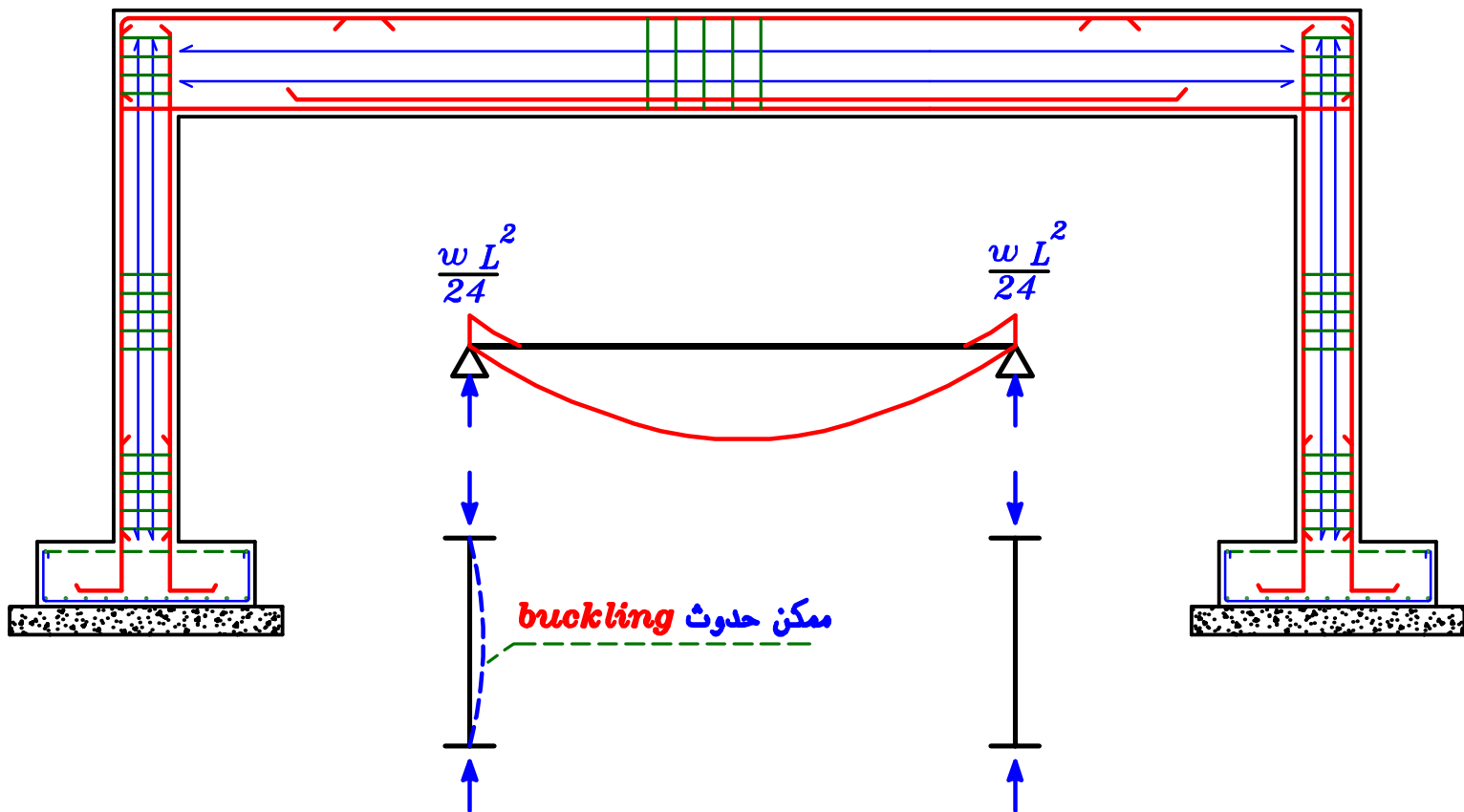
نعتبر أن ال **Connection** بين الكمره و العمود عباره عن **hinged support** و ذلك لان  $t_c \leq t_g$  أى أننا أهملنا ال **Frame action** بين الكمره و العمود .  
ينتقل فقط عزم  $\frac{w L^2}{24}$  من الكمره الى العمود و نعمله عند تصميم العمود .

إذا زادت ال **Span** عن ١٢م يتحول الى **Frame** لأننا لن نستطيع إهمال ال **Frame action** بين الكمره و العمود حتى إذا كانت  $t_c \leq t_g$



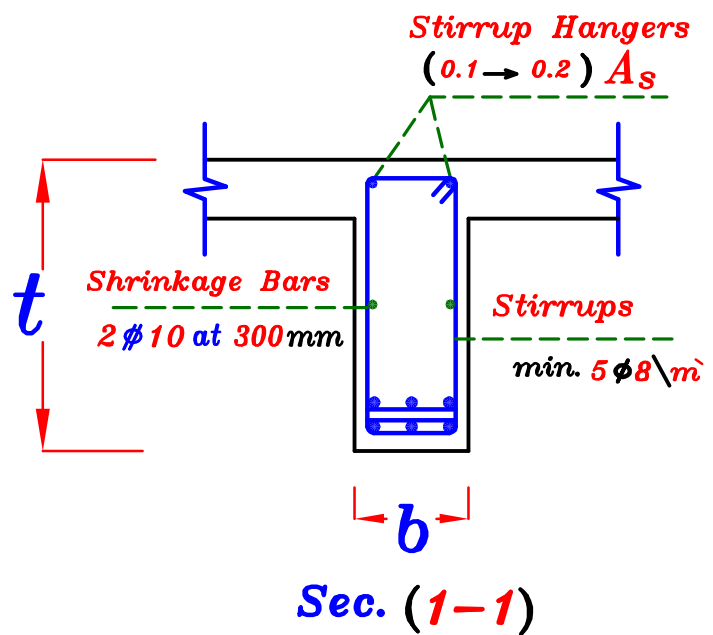
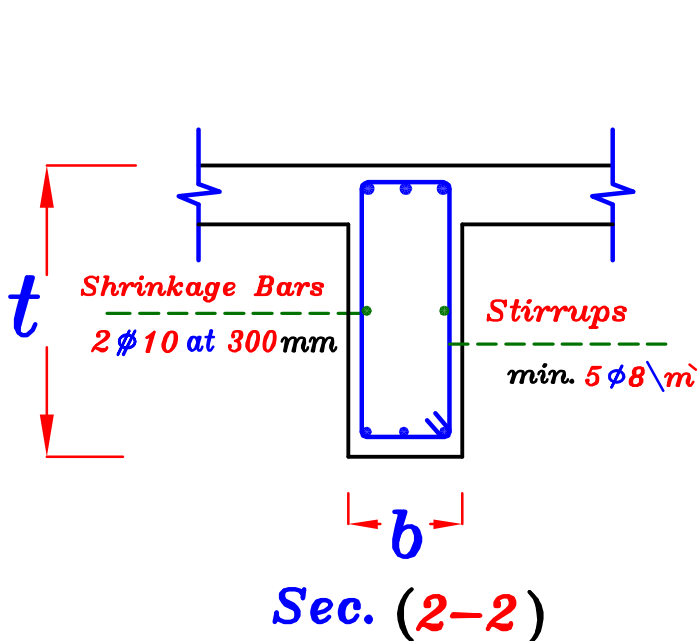
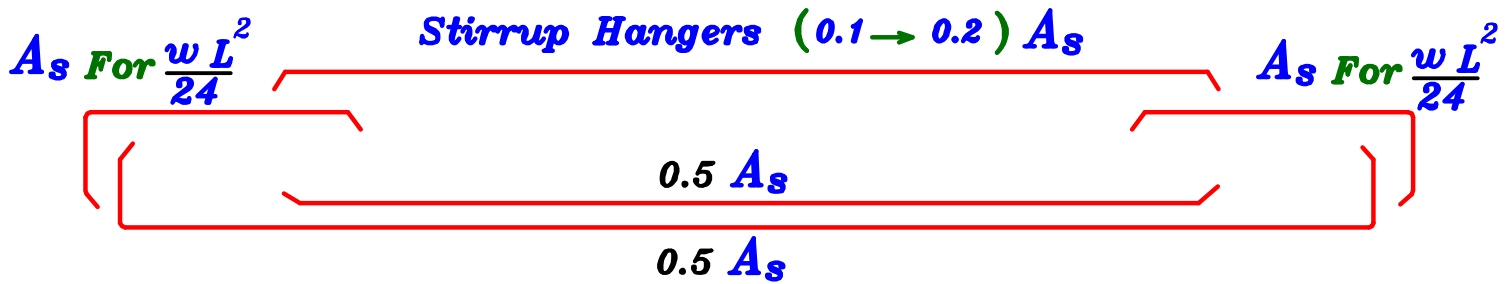
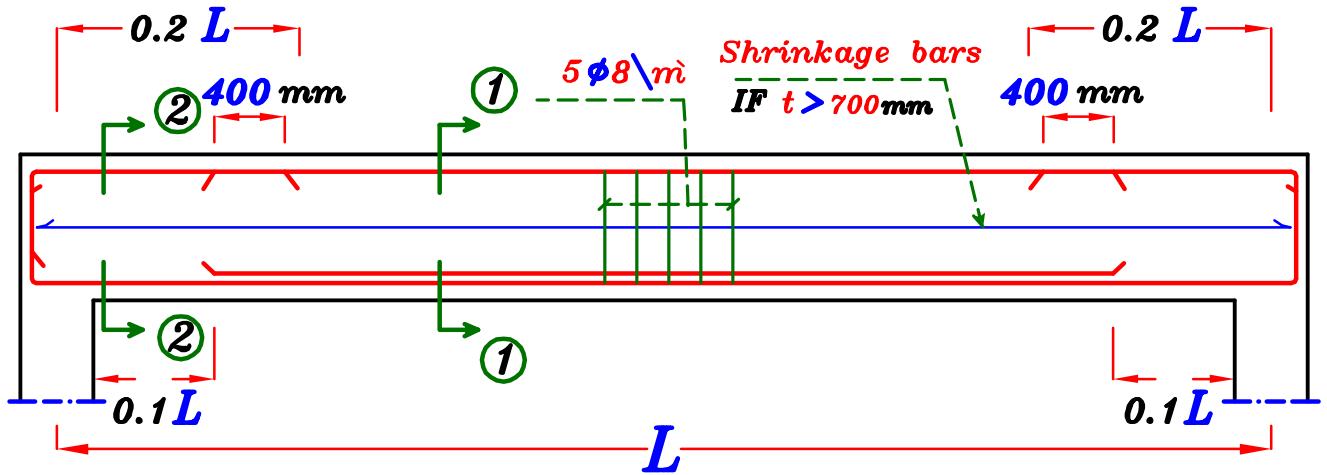
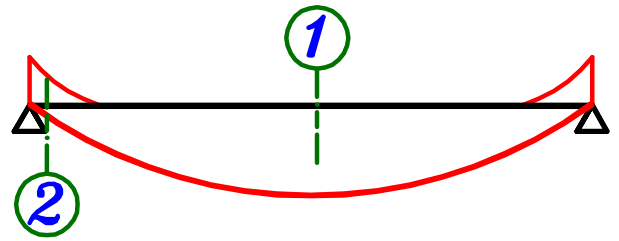


# RFT. of Girders.



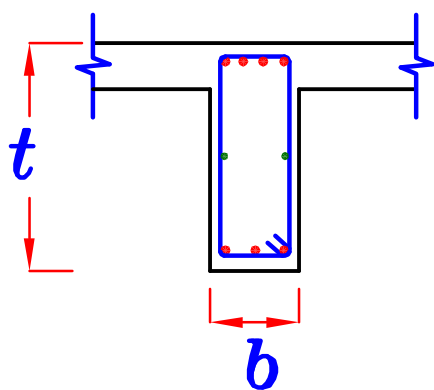
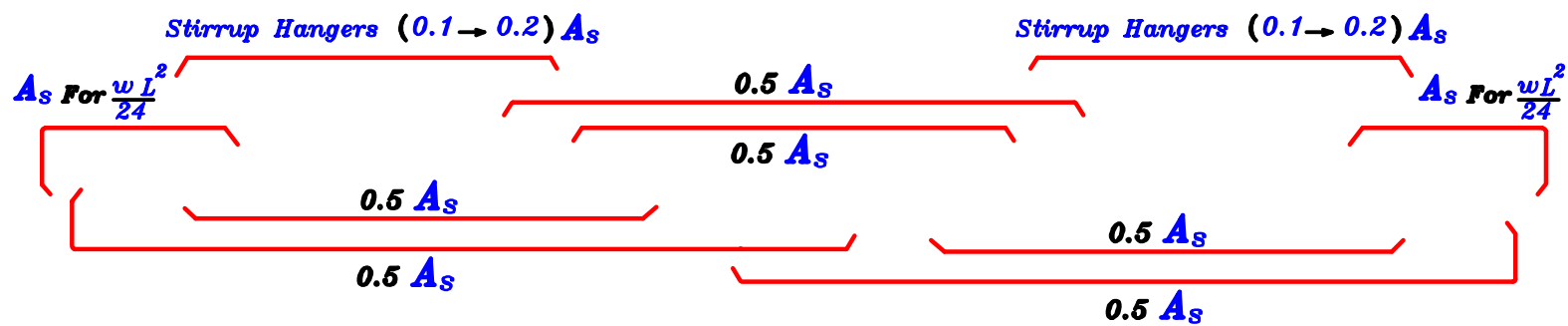
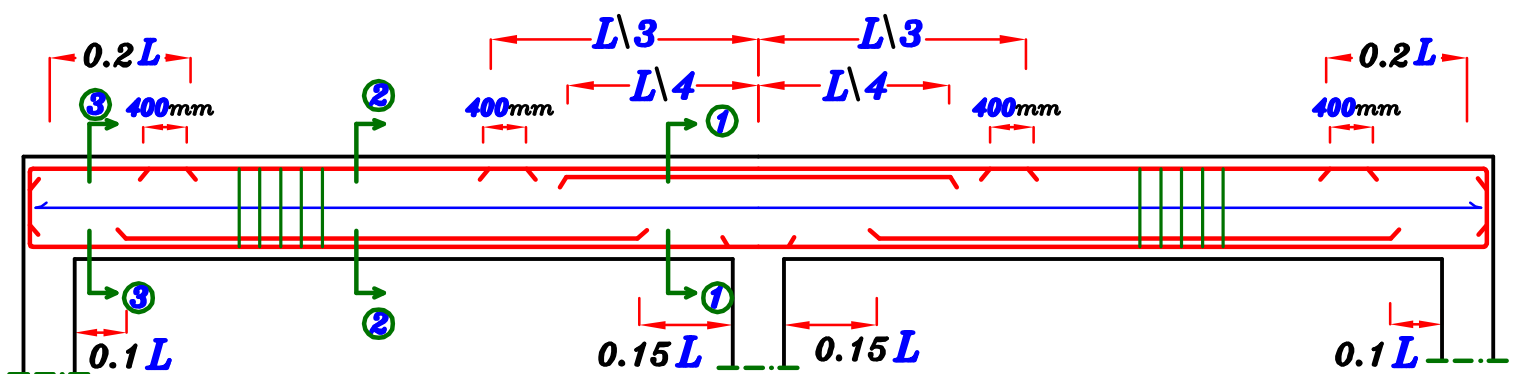
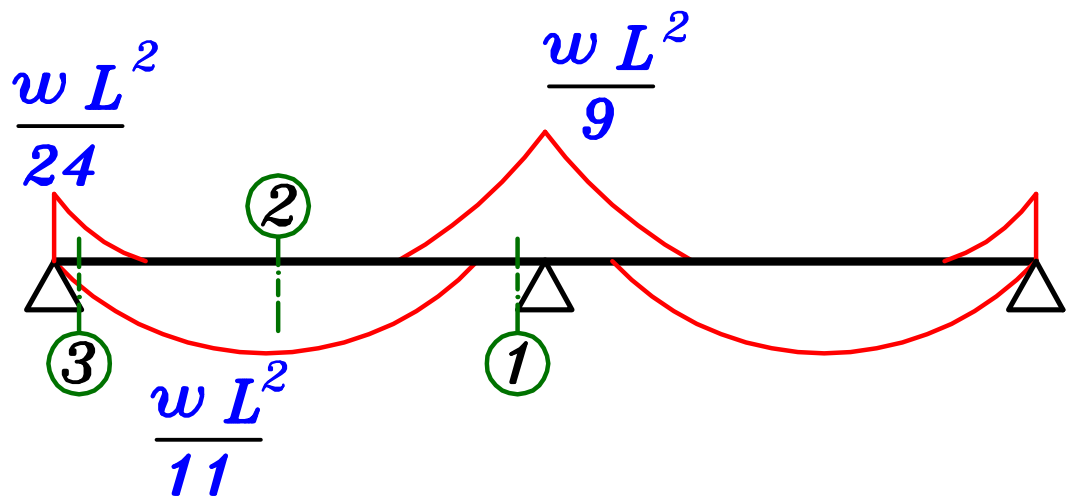


# Simple Beam.

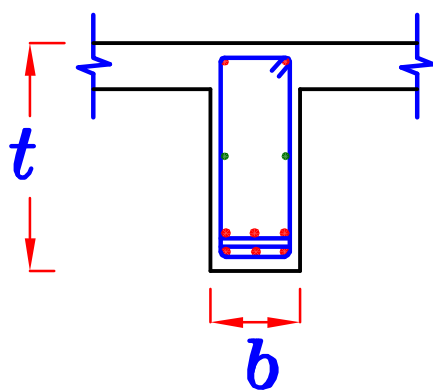




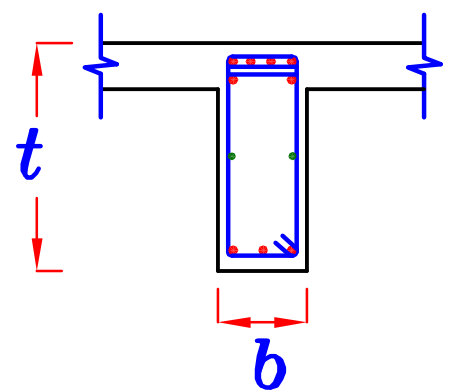
# Continuous Girder Two spans.



Sec. (3-3)



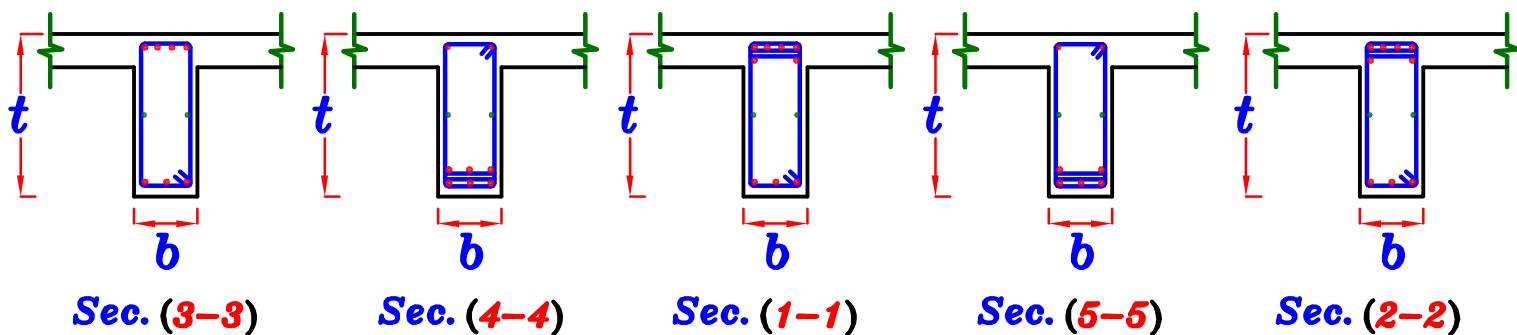
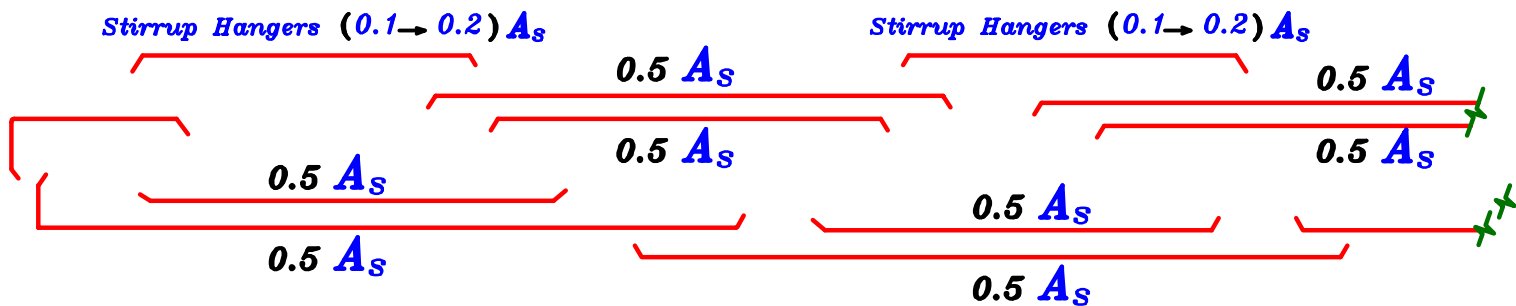
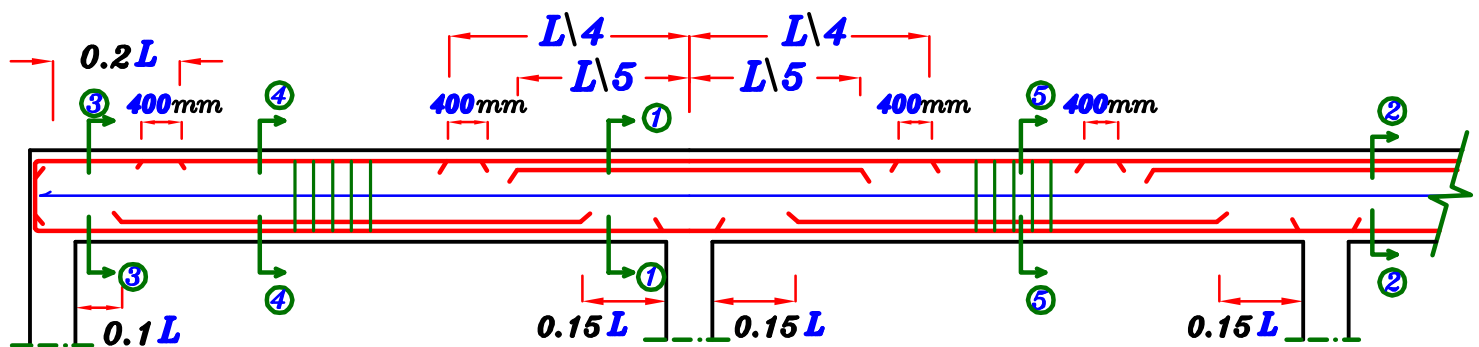
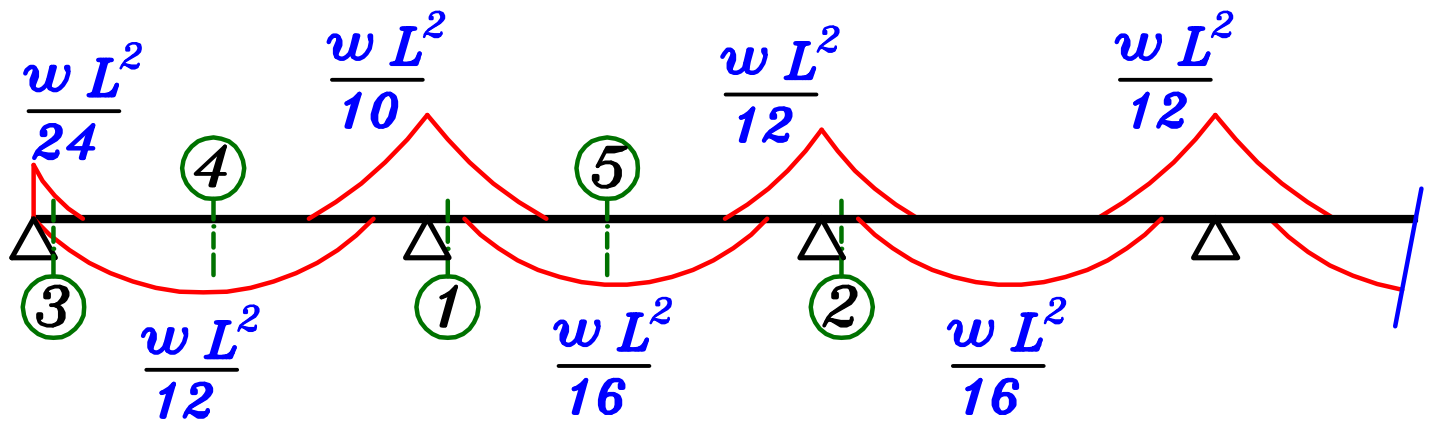
Sec. (2-2)



Sec. (1-1)

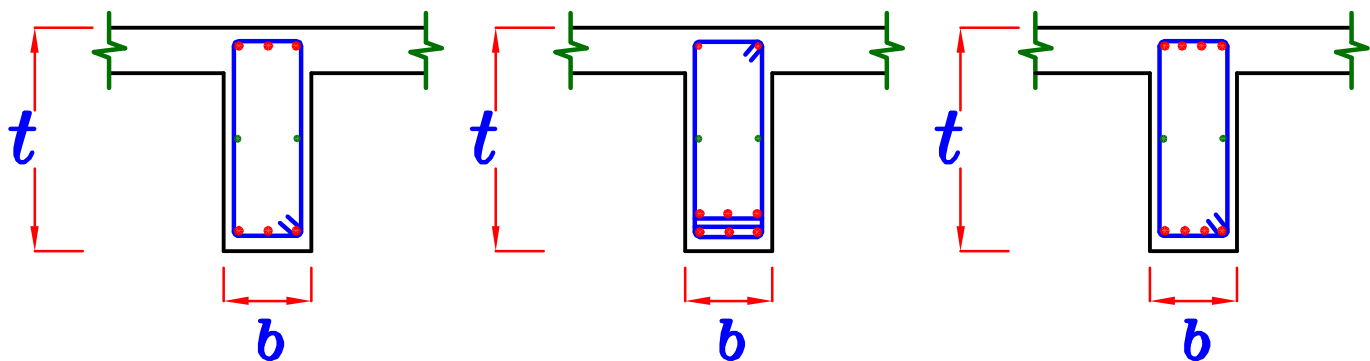
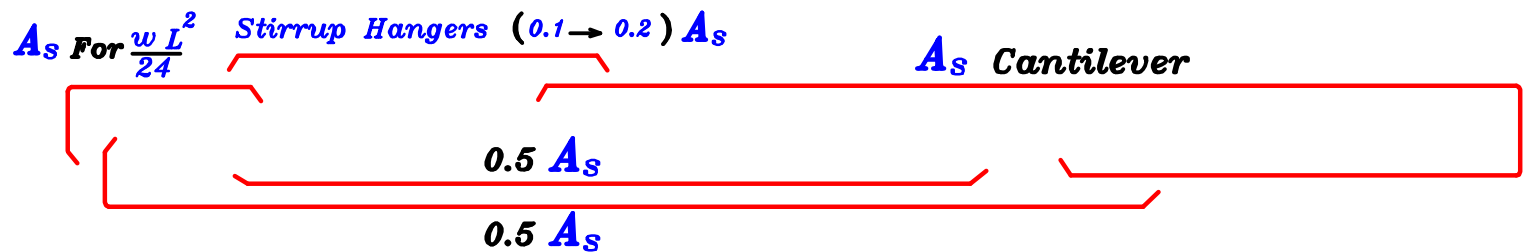
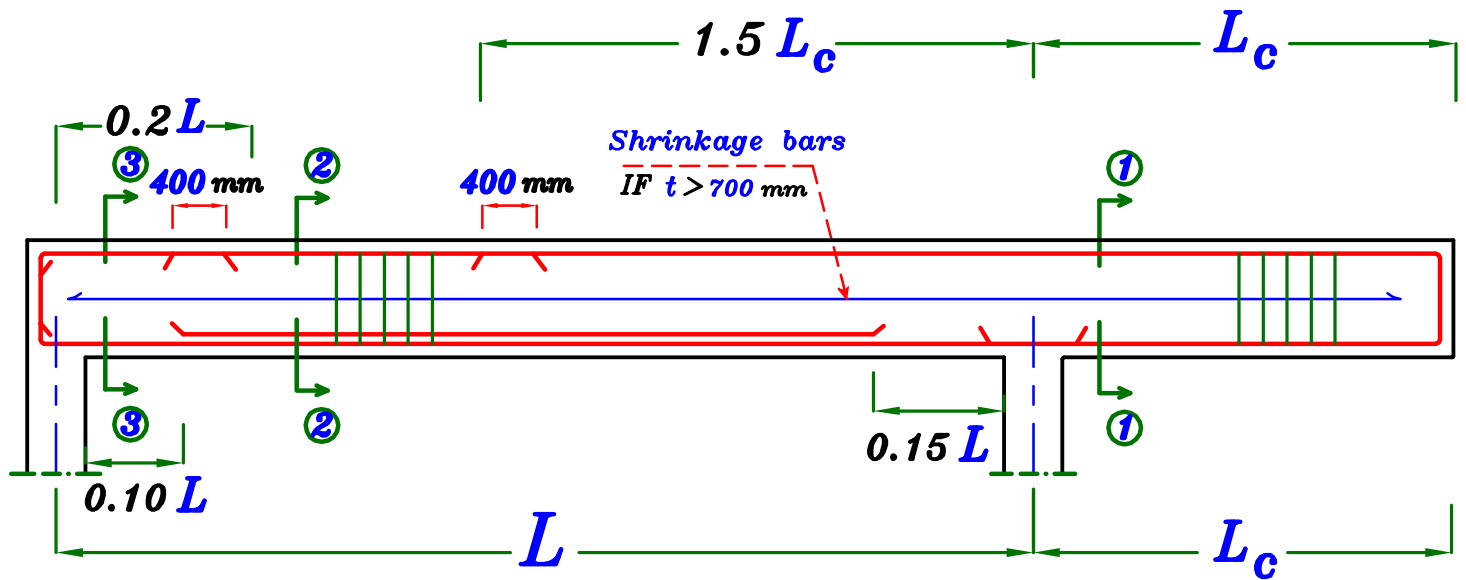
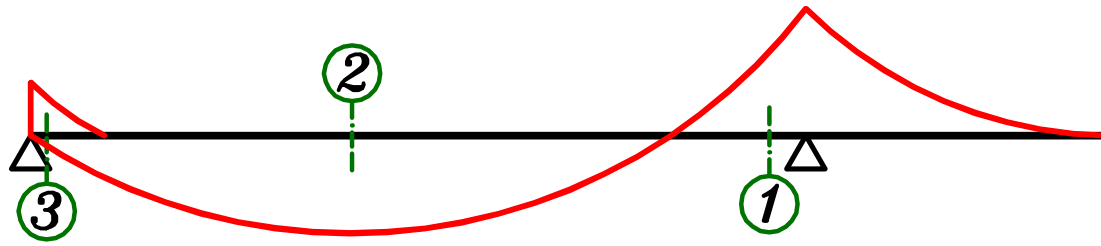


# Continuous Girder More than 2 Spans.





# Beam with Cantilever.



Sec. (3-3)

Sec. (2-2)

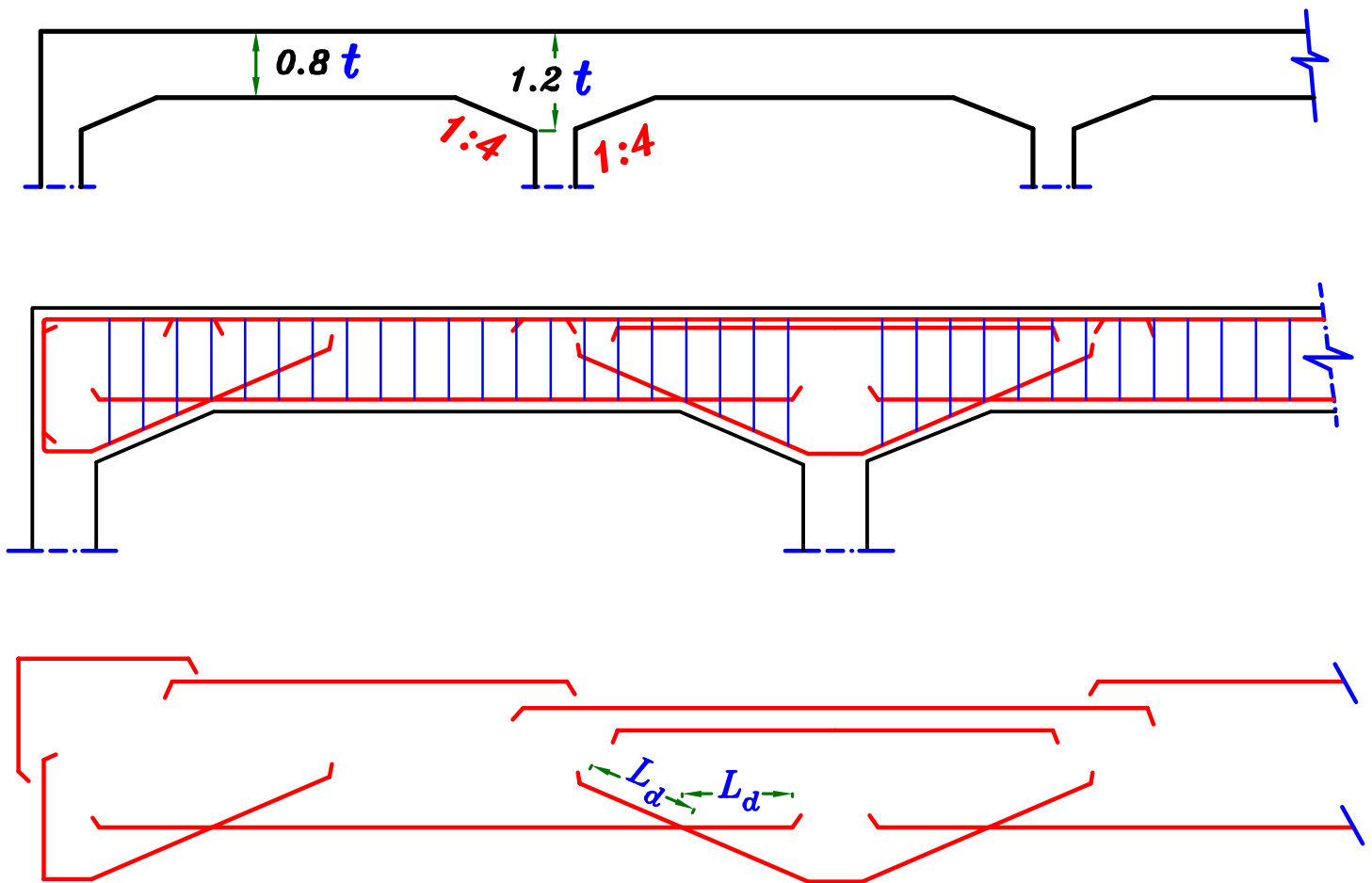
Sec. (1-1)



# Girder with variable depth.

يمكن عمل *Variable depth* للكمرة لزيادة *clear height* في منتصف الكمره .  
او لزيادة مقاومه ال *Shear* اذا كان كبير .

$$t \approx \frac{L}{12}$$

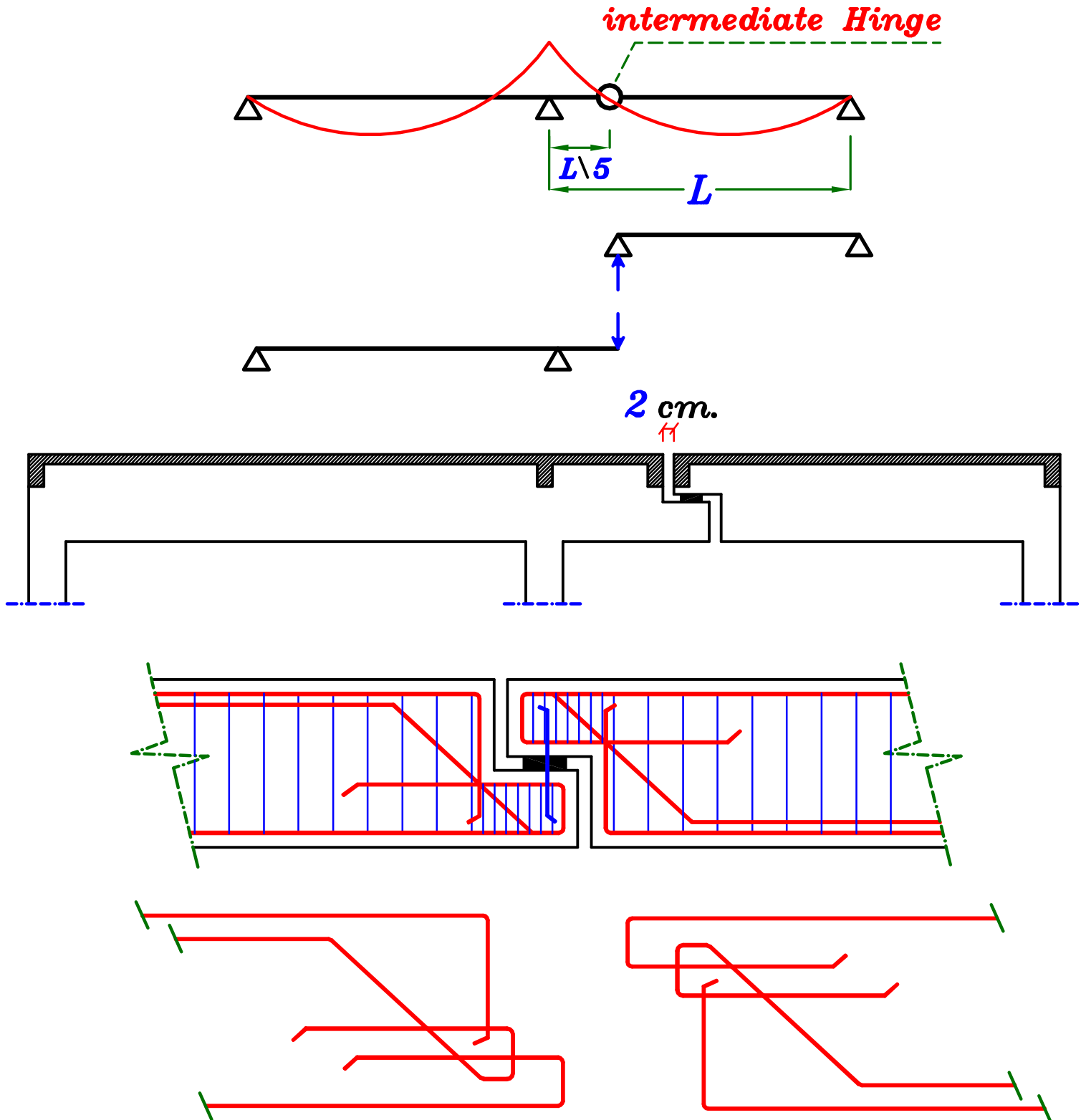




# Statically Determinate Continuous Girder.

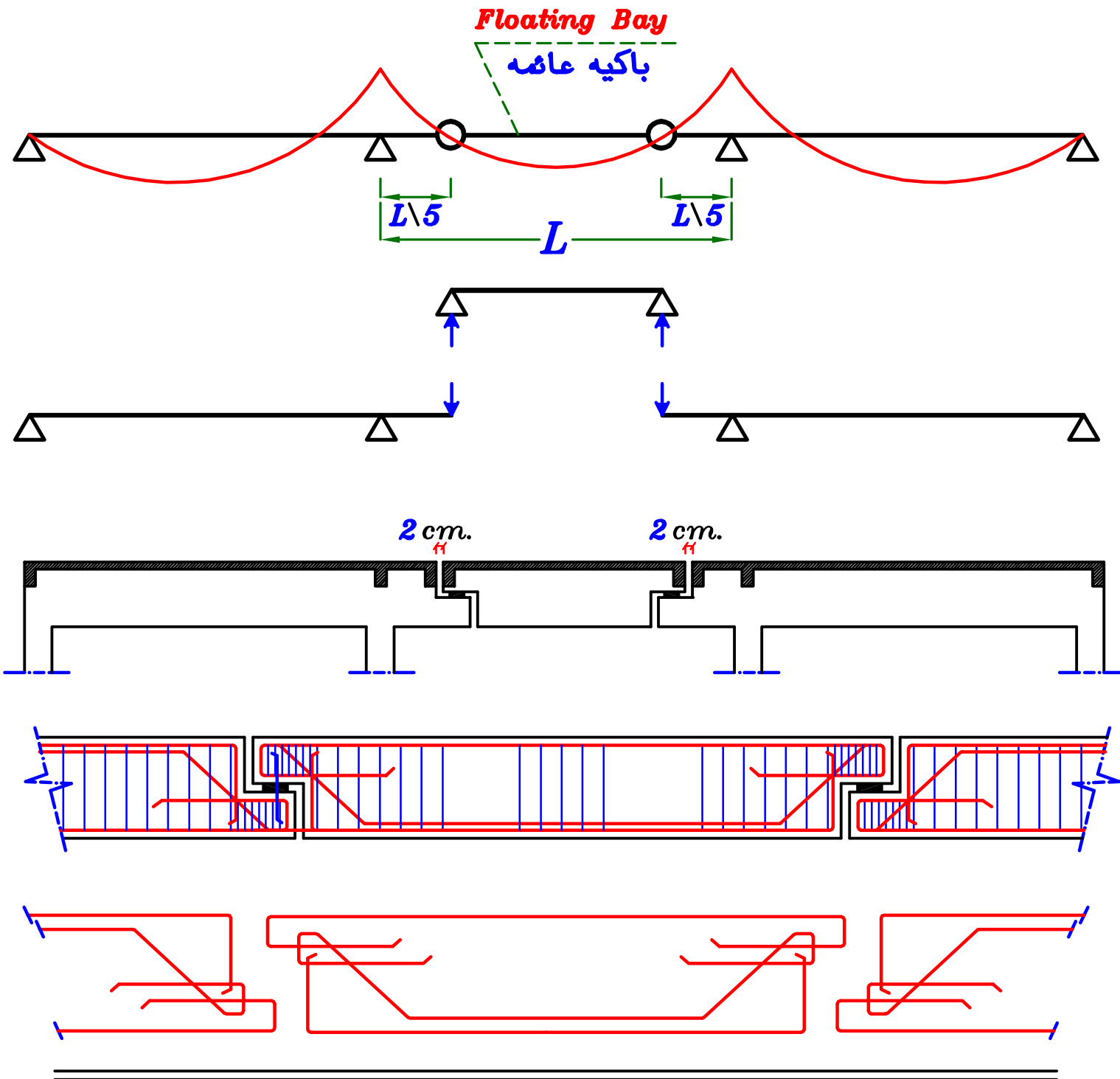
الكمرات الـ **Continuous** هي كمرات **indeterminate** لذا لا تفضل في التربه الضعيفه  
و لكن اذا احتجنا لعمل كمرات **Continuous** في تربه ضعيفه  
يفضل وضع **intermediate Hinge** لجعل الكمره **determinate**

## **Continuous Girder (2 Spans)**

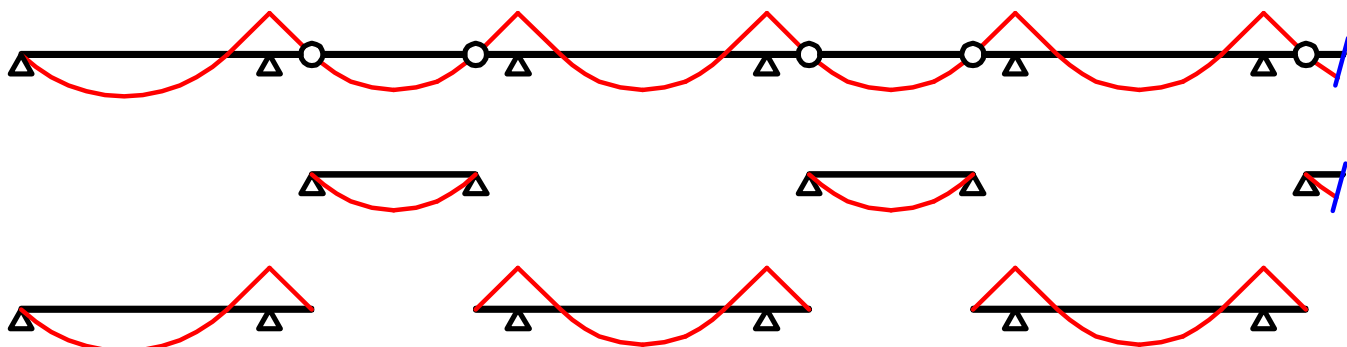




## Continuous Girders (More than 2 Spans)



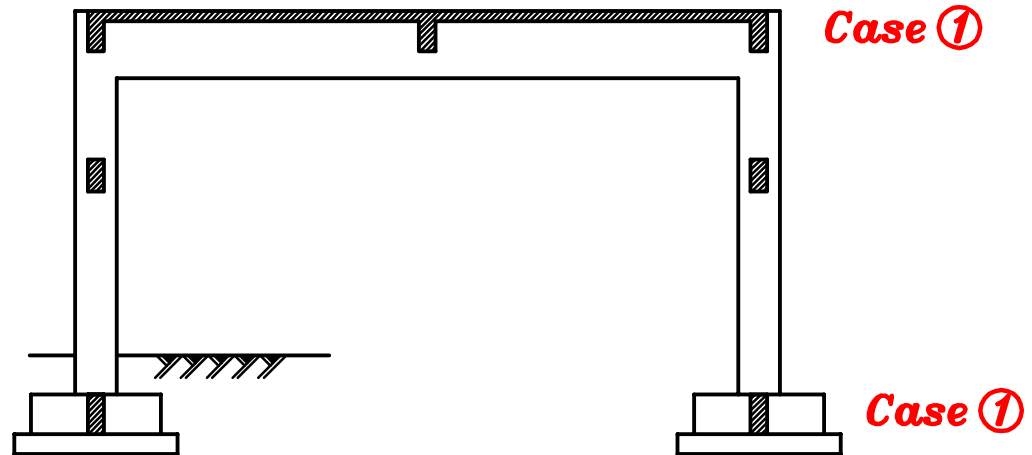
## Continuous Girders (More than 3 Spans)





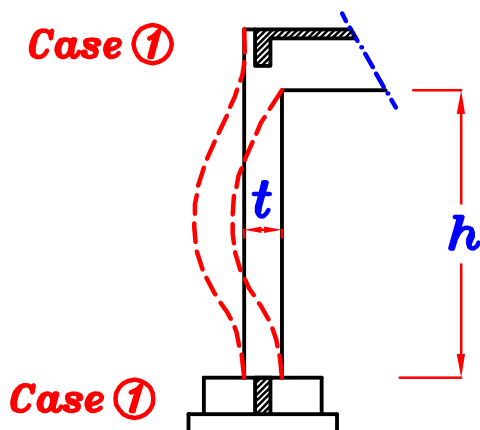
# \* Design the Column.

$P$  = Reaction of the girder.



## Check Buckling.

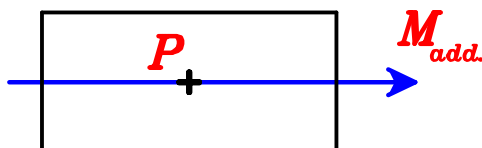
### ① In Plane.



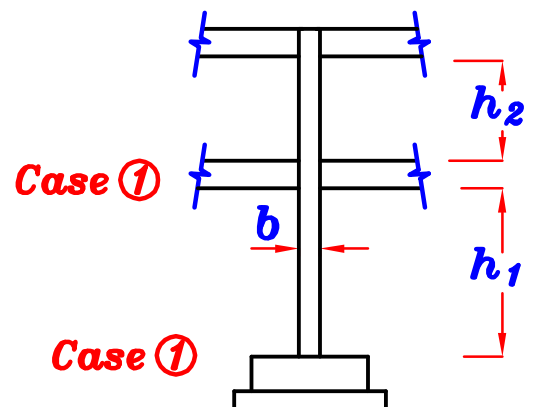
$$H_o = h$$

$$\lambda_b = \frac{1.2 * H_o}{t}$$

IF  $\lambda_b \leq 10$   $\xrightarrow{\text{Designed}}$   $P$  only  
 $\lambda_b > 10$   $\xrightarrow{\text{Designed}}$   $P, M_{add.}$



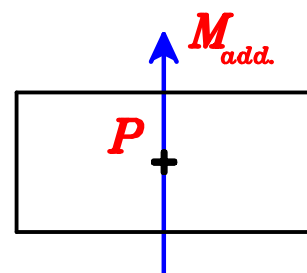
### ② Out of Plane



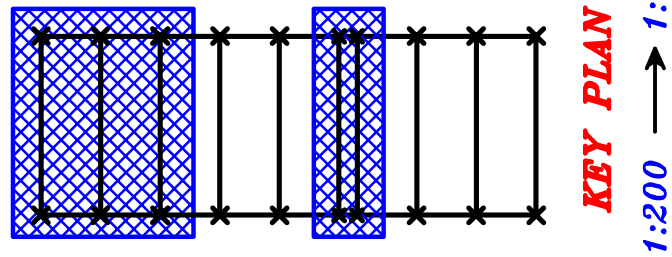
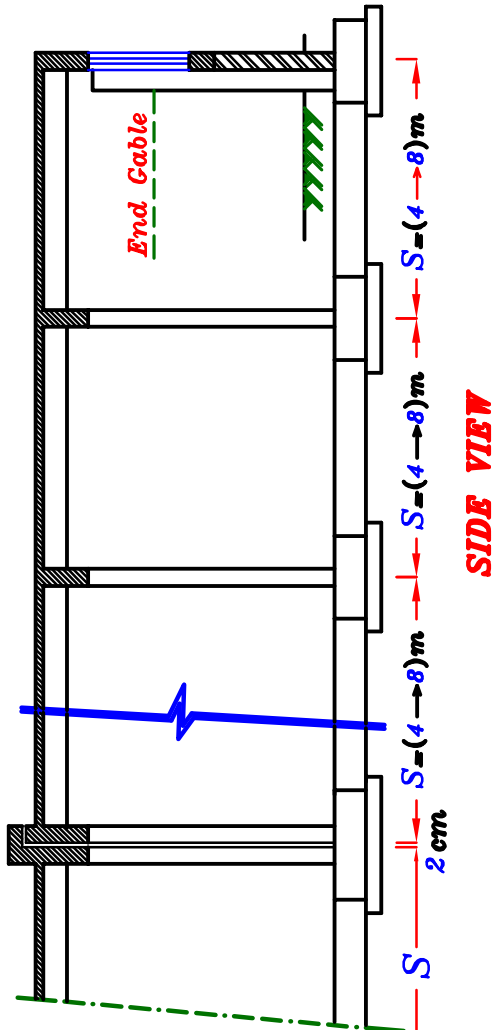
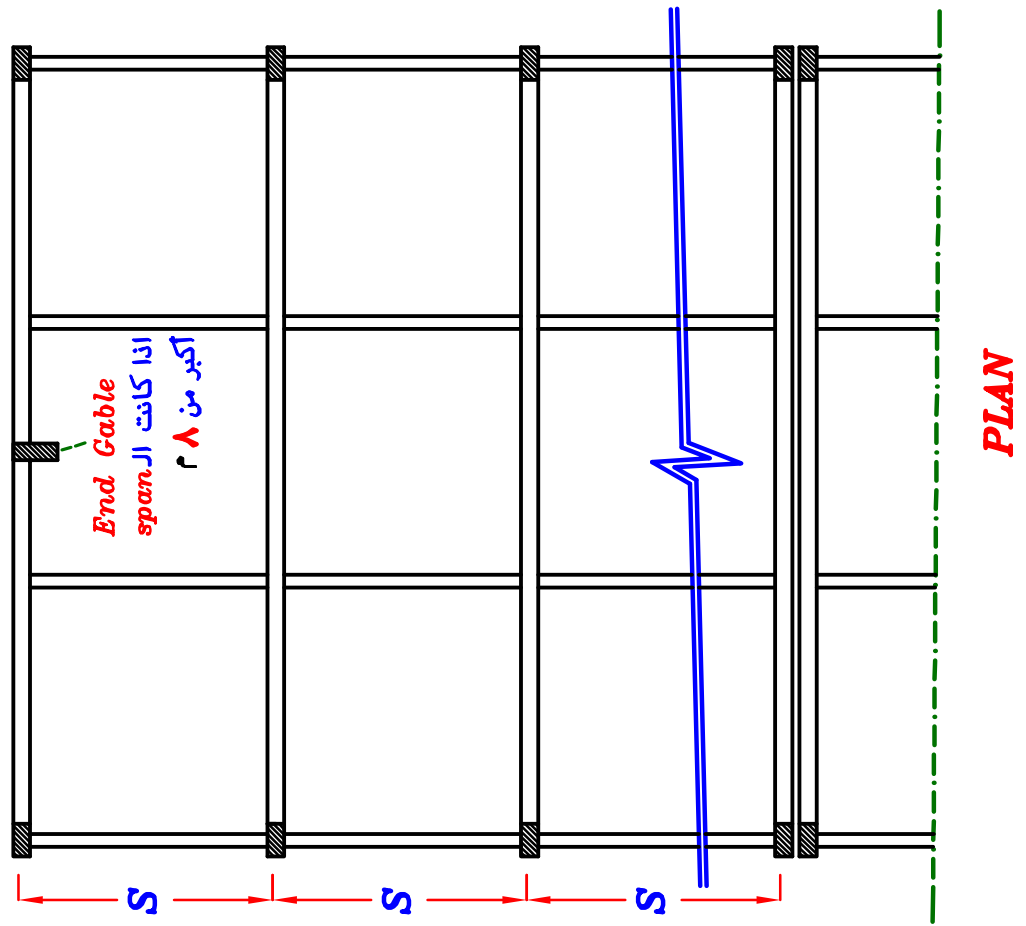
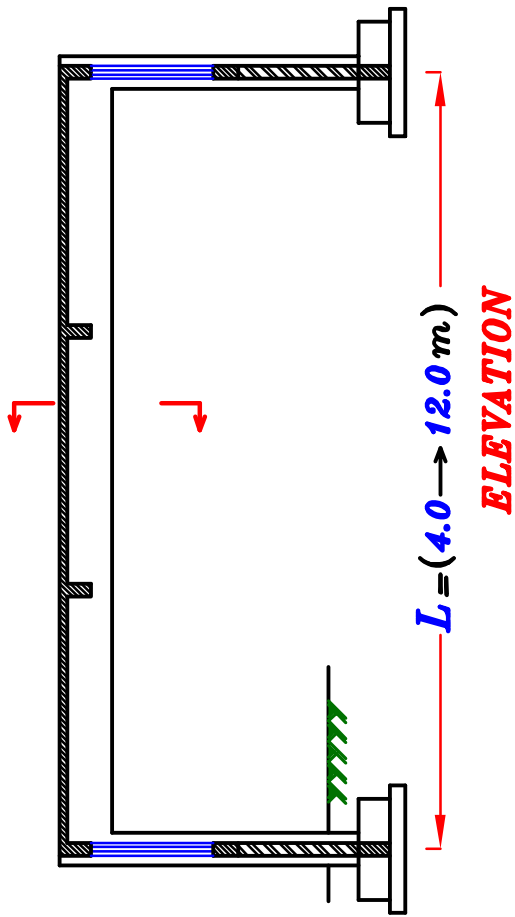
$H_o$  = The bigger of  $h_1, h_2$

$$\lambda_b = \frac{1.2 * H_o}{b}$$

IF  $\lambda_b \leq 10$   $\xrightarrow{\text{Designed}}$   $P$  only  
 $\lambda_b > 10$   $\xrightarrow{\text{Designed}}$   $P, M_{add.}$



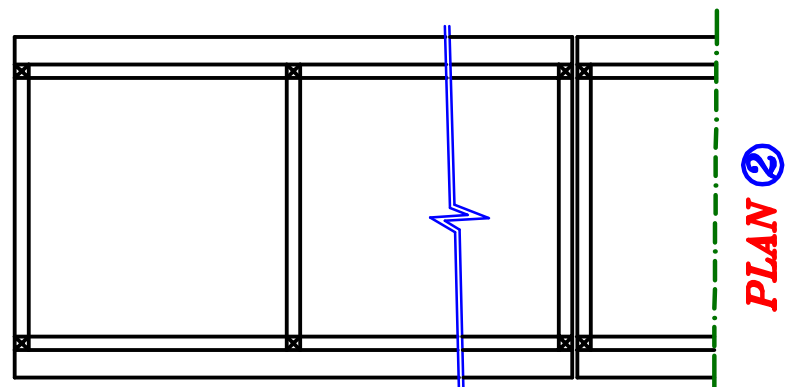
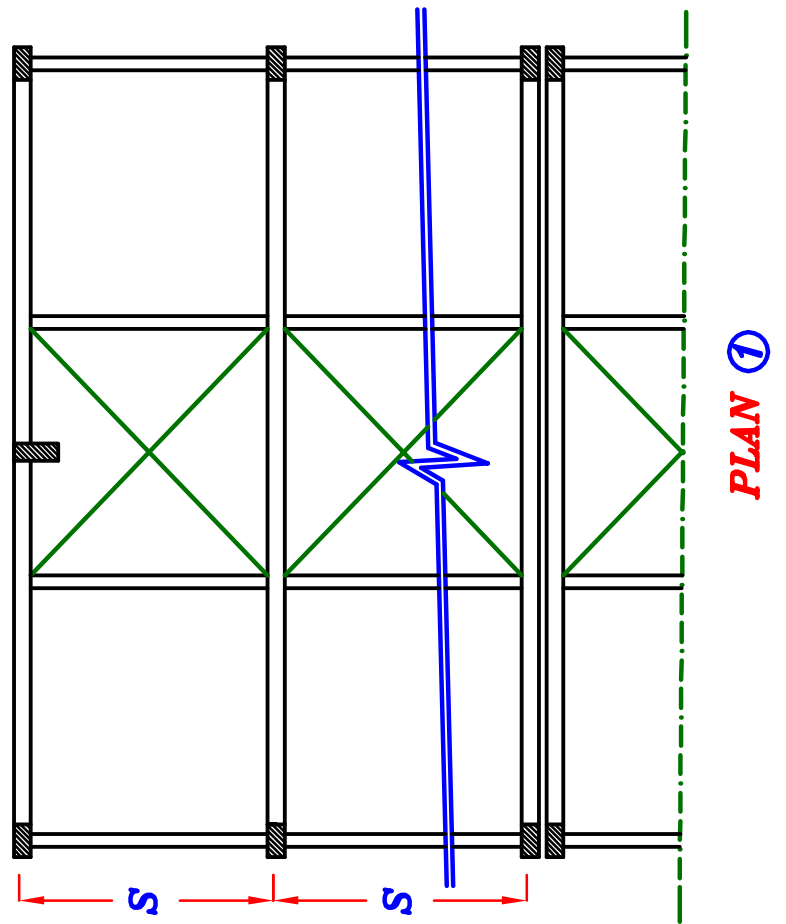




**Simple Girder**



# Sky Light



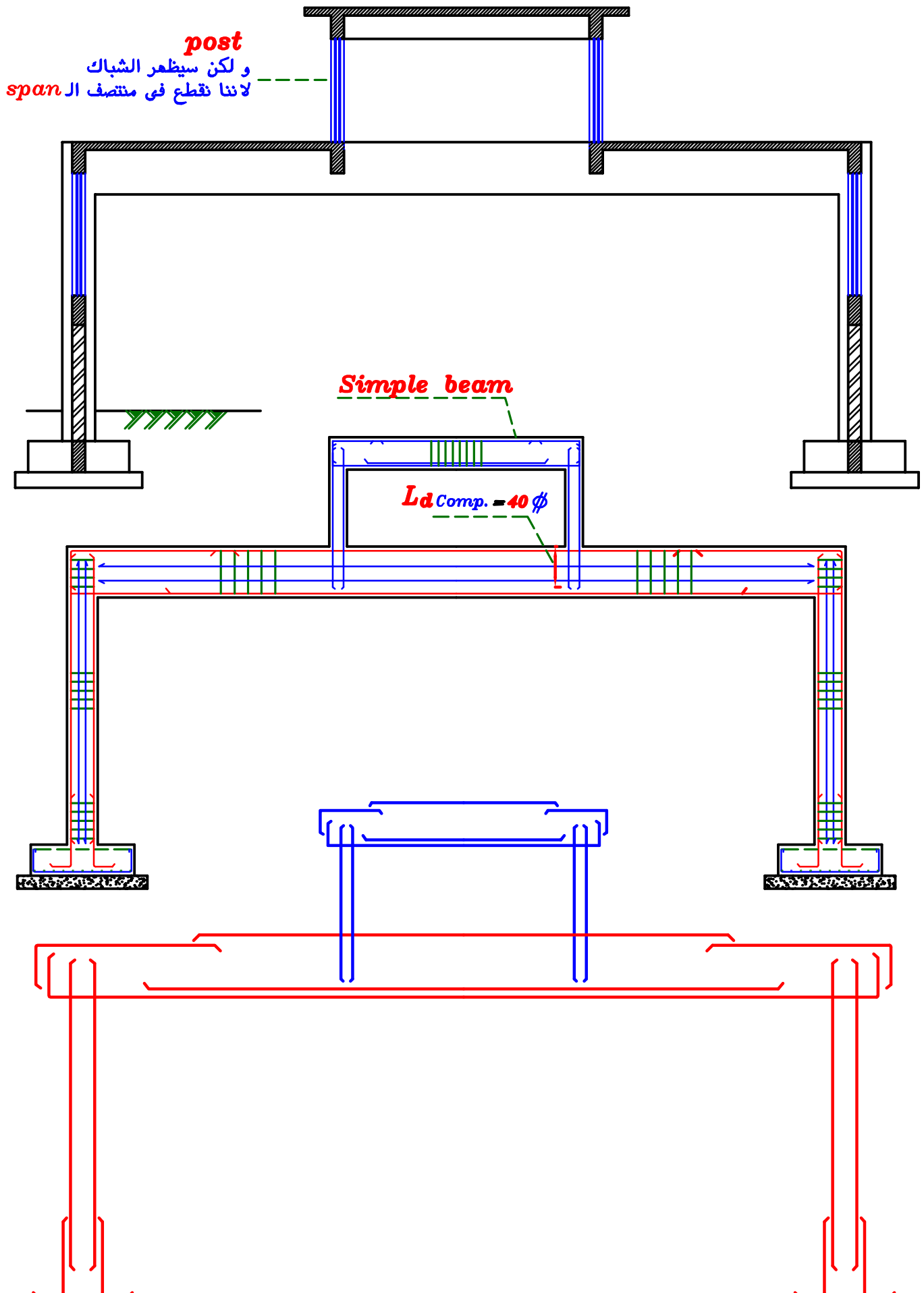
## KEY PLAN

1:200 → 1:400

# Simple Girder with Sky Light



# Girder with Sky Light.





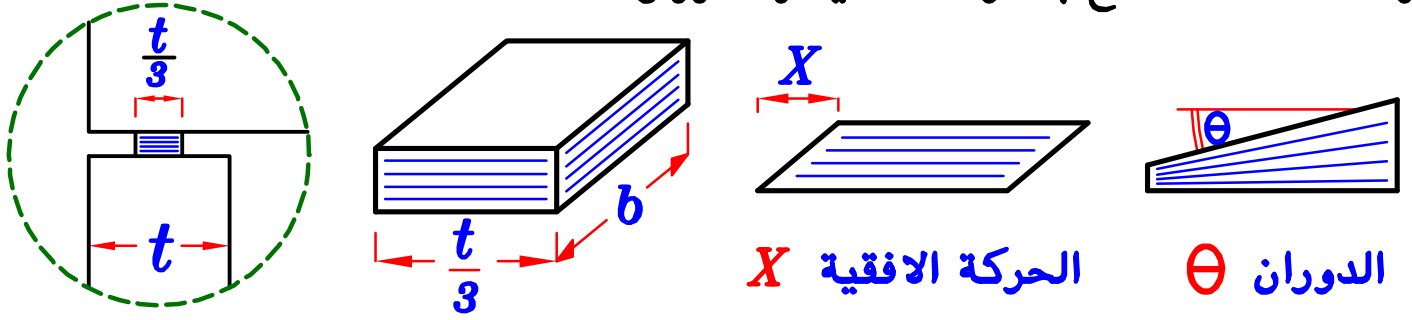
إذا اردنا أن تكون ال **span** أكبر من ١٢ م ولا ينتقل العزم من الكمره الى العمود  
 أى يظل **girder** ولا يتحول الى **Frame** نضع بين الكمره والعمود **Real support**

## Real Support



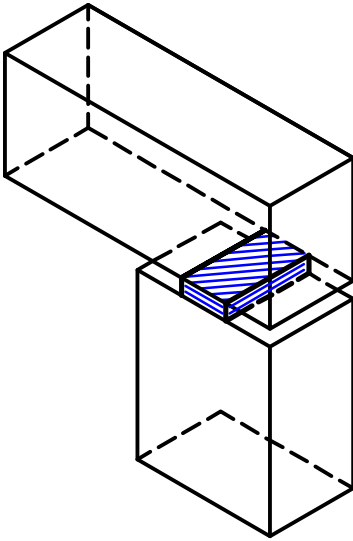
### Neoprene Plate.

هى ألواح من الصلب بينها شرائح من المطاط المضغوط.  
 توضع بين العمود و الكمره أو بين العمود و القاعده لعمل **Real Hinge**  
 و فائدتها أنها تسمح بالحركه الافقيه و الدوران .

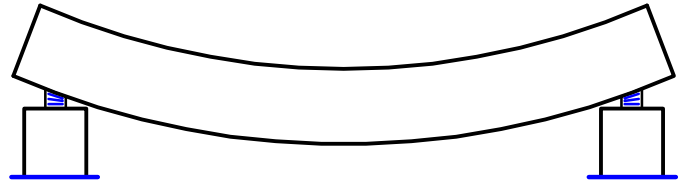


تسمح بالحركه الافقيه و تسمح بالدوران

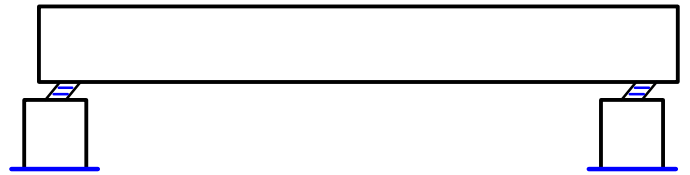
لذلك تعتبر **Roller support**



تسمح بالدوران  
 أى لا تنقل عزوم  
 على العمود

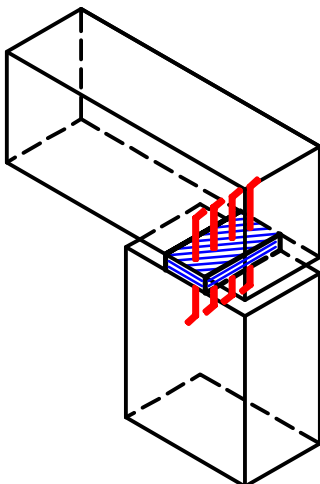


تسمح  
 بالحركه الافقيه

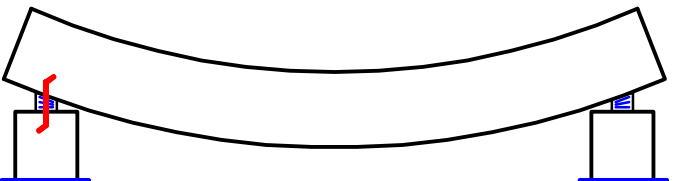


توضع صف أسياخ حديد فى المنتصف تماما  
 فتمنع الحركه الافقيه و لكن لا تمنع الدوران

لذلك تعتبر **Hinged support**

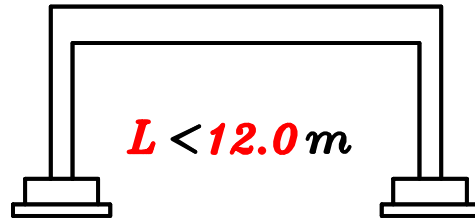
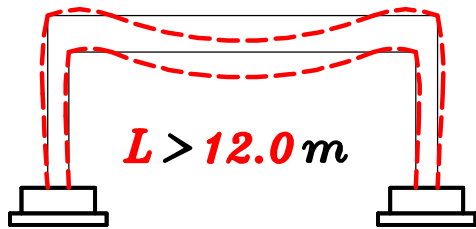


تسمح بالدوران  
 أى لا تنقل عزوم  
 على العمود

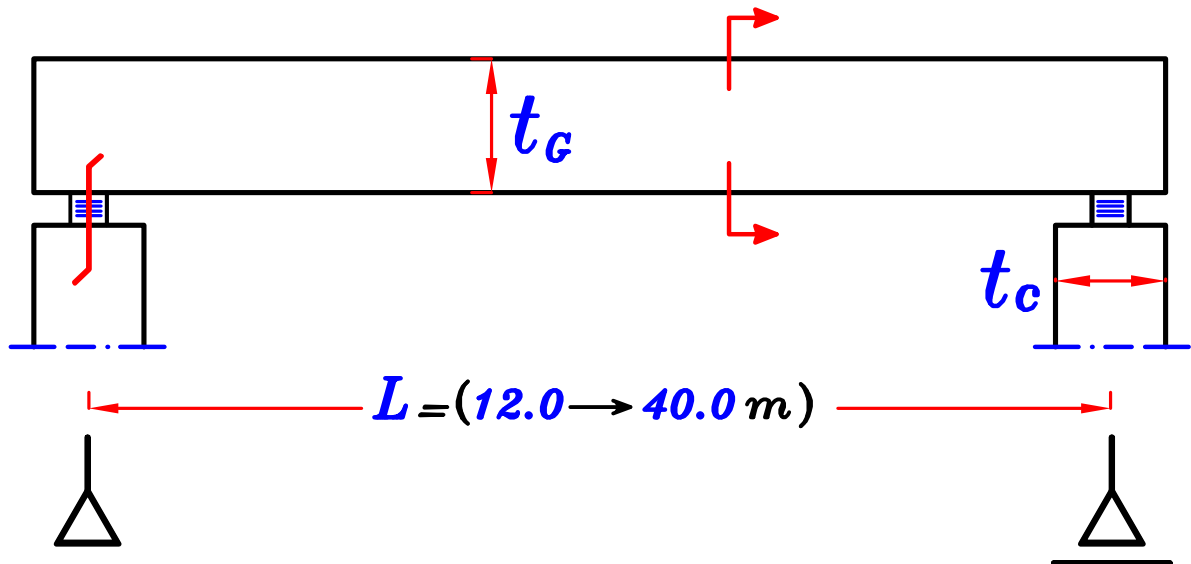




عند زياده **span** ال **Girder** عن ١٢, - م ينتقل العزم من الكمره الى العمود فيتحول الى **Frame**

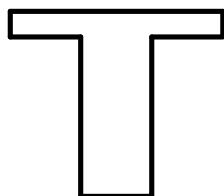


اذا اردنا أن تكون ال **span** أكبر من ١٢, - م ولا ينتقل العزم من الكمره الى العمود  
أى يظل **girder** ولا يتحول الى **Frame** نضع بين الكمره والعمود **Real support**

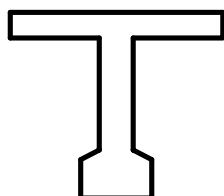


$$t_c = \frac{L}{10}$$

$$t_c = \frac{H}{8 \rightarrow 9}$$



when  $L = (12.0 \rightarrow 20.0 \text{ m})$



when  $L = (20.0 \rightarrow 40.0 \text{ m})$

يفضل لتقليل ال **O.W.**



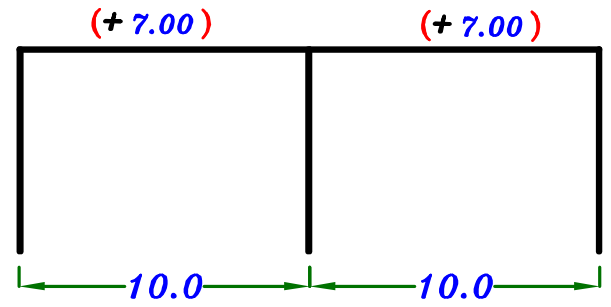
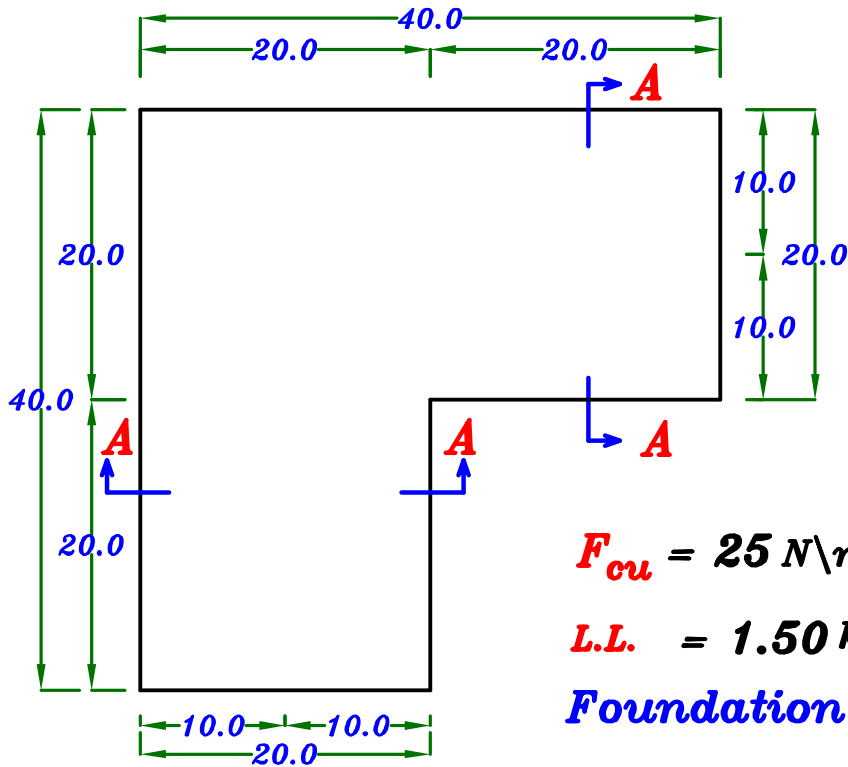
# Girders Examples

## خطوات مسأله ال Systems

- ١ - اختيار ال *system* .
- ٢ - رسم *concrete Dim.* في ال *elevation & Plan* .
- ٣ - رسم تسليح البلاطه على نفس ال *Plan* .
- ٤ - عمل *Load distribution* للبلاطات و حساب الاحمال على ال *System* .
- ٥ - حل ال *System* و رسم *B.M.D. & N.F.D.* .
- ٦ - تصميم قطاعات ال *System* على *M,N* .
- ٧ - رسم التسليح و التفريد في ال *elevation* .



# Example.



**Sec. A-A**

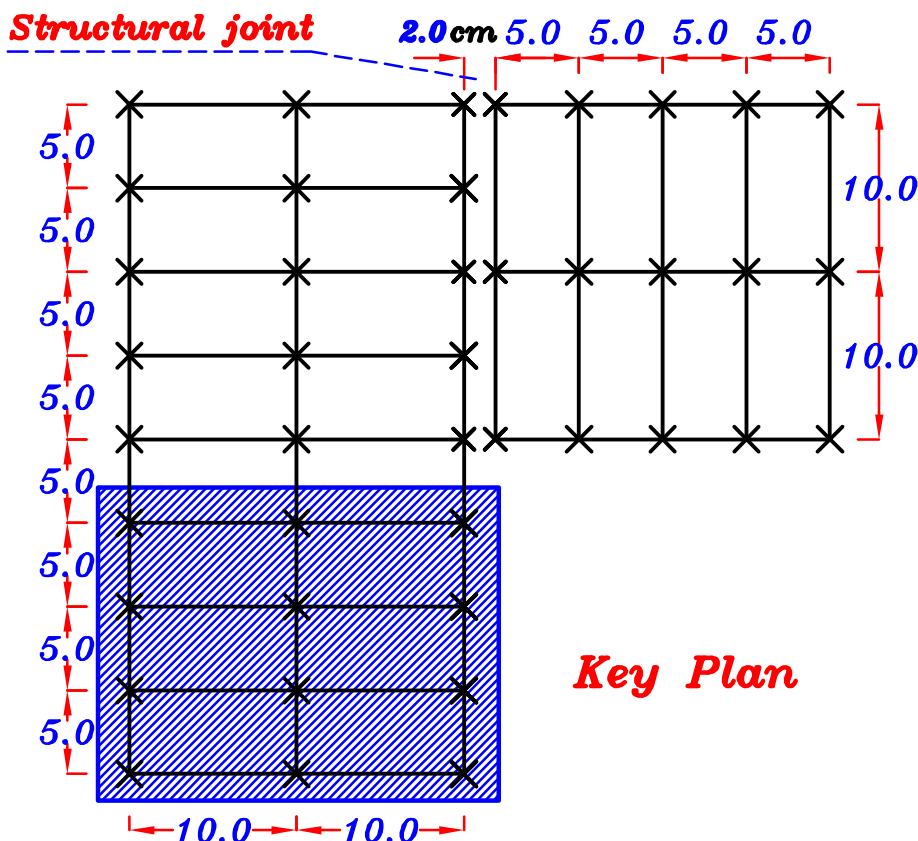
$$F_{cu} = 25 \text{ N/mm}^2, \quad F_y = 360 \text{ N/mm}^2$$

$$L.L. = 1.50 \text{ kN/m}^2, \quad F.C. = 2.0 \text{ kN/m}^2$$

$$\text{Foundation Level} = -2.0 \text{ m}$$

## **Req.**

- 1 - Draw concrete Dimensions in elevation.
- 2 - Show the statical system For the main system.
- 3 - Design the slabs & Draw its RFT. in plan.
- 4 - Design the Main system and draw its RFT. in elevation & Cross-Sec.



**Key Plan**



## منسوب البلاطه من أعلى

A diagram of a rectangular frame structure. It consists of two vertical members and two horizontal members. The horizontal members are labeled with the value 10.0, indicating a length of 10.0 units for each segment.

The diagram shows a cross-section of a foundation. A horizontal line represents the ground level, labeled "منسوب سطح الارض" (Ground Level) in blue. Below this, the foundation is shown with two levels. The first level is at an elevation of  $(-1.00)$ , indicated by a red arrow and text. The second level is at an elevation of  $(-2.00)$ , also indicated by a red arrow and text. A vertical dimension line shows a height of  $2.0$  from the  $(-2.00)$  level to the ground level. The text "Foundation Level." is written in red at the bottom.

Technical drawing of a building floor plan showing dimensions, levels, and structural details.

**Dimensions:**

- Overall width: 20.0 (divided into four 5.0 segments)
- Overall depth: 7.55 (divided into 0.45, 1.5, 0.5, 2.525, 0.5, 2.525)
- Section width: 10.0 (divided into four 2.5 segments)
- Section depth: 0.65 (divided into 0.45 and 0.20)

**Levels:**

- +7.00 (Top floor level)
- ±0.00 (Ground level)
- 1.00 (Basement level 1)
- 2.00 (Basement level 2)

**Structural Details:**

- Columns: 0.45 (top), 0.85 (middle), 0.65 (bottom)
- Walls: 0.65 (left), 0.65 (right)
- Foundation: 0.65 (left), 0.65 (right)

**Notes:**

- هذا العمود لا توجد به كمرات في الاتجاه العمودي
- لذا يفضل ان نزيد ال  $b$  حتى يكون *safe buckling*
- في اتجاه ال *Out of plane*
- تم وضع كمره هنا حتى لا تزيد مساحه الحائط عن ٣م<sup>٢</sup>
- $t_c \leq t_g$

$$t_G = \frac{L}{12} = \frac{10}{12} = 0.833 = 0.85 \text{ m}$$

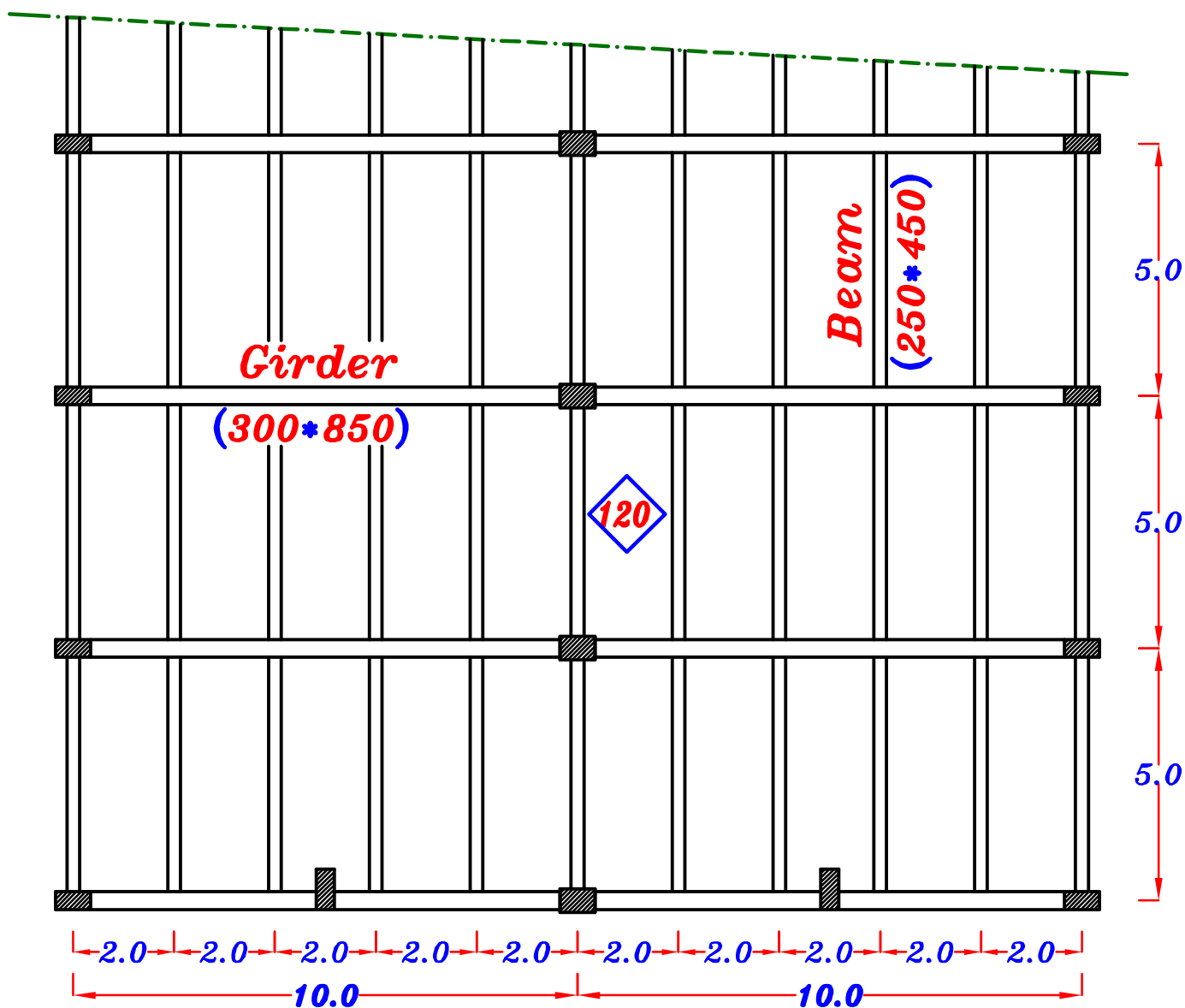
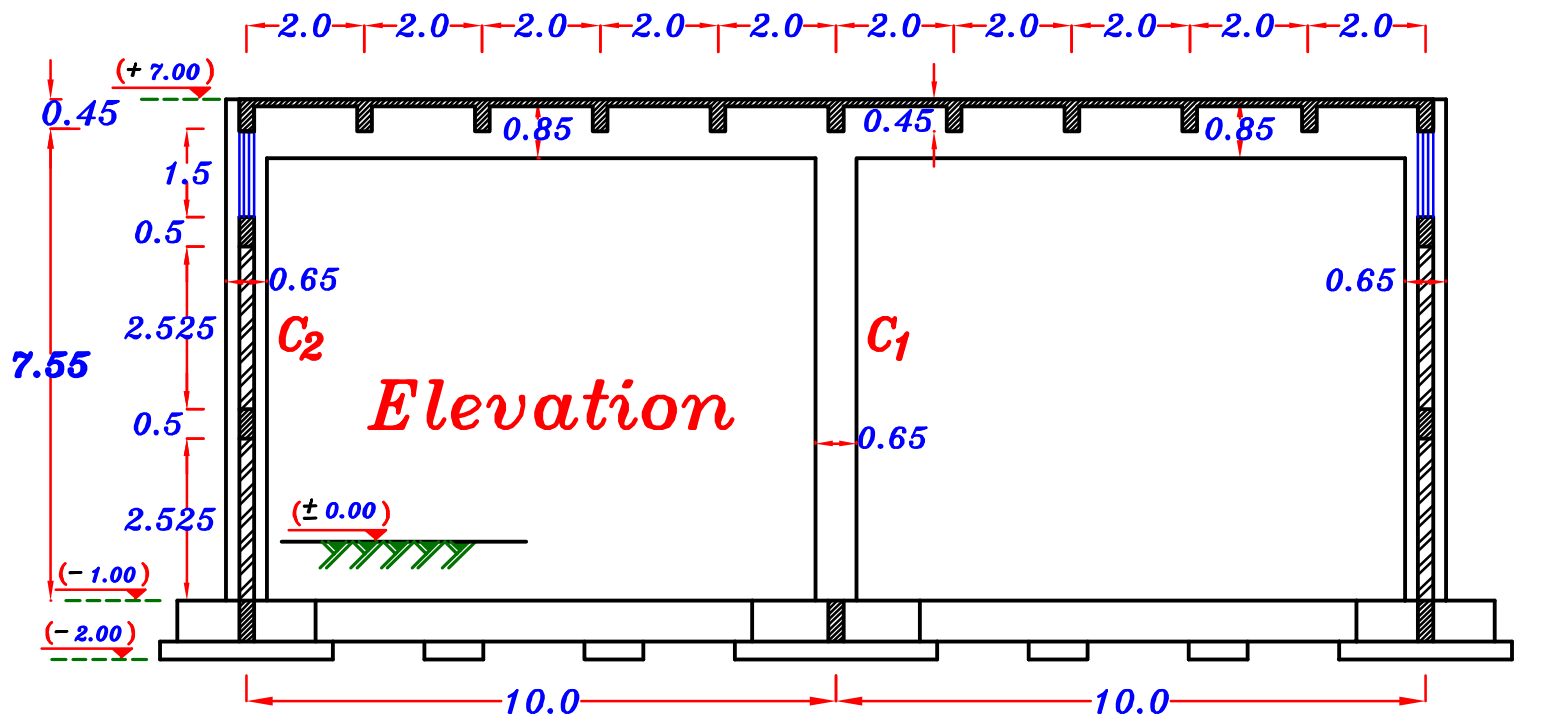
**$b = 0.30\text{ m}$**  but For column  **$C_1$**   **$b = 0.40\text{ m}$**

$$t_{\text{c}} \approx 0.7 t_{\text{G}} = 0.65 m$$

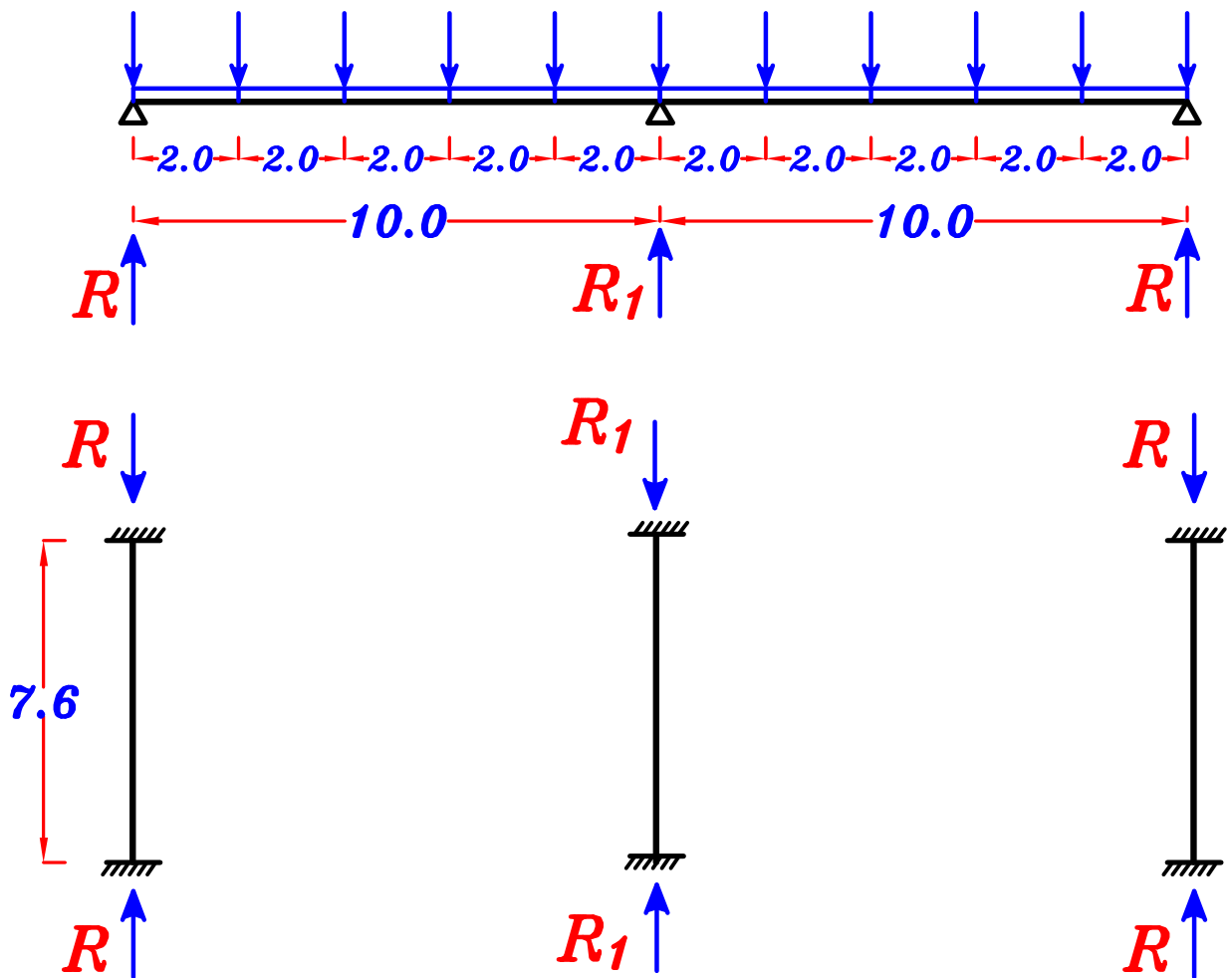
$$t_{\text{sec.}B} = \frac{\text{spacing}}{12} = \frac{5.0}{12} = 0.416 = 0.45 \text{ m}$$



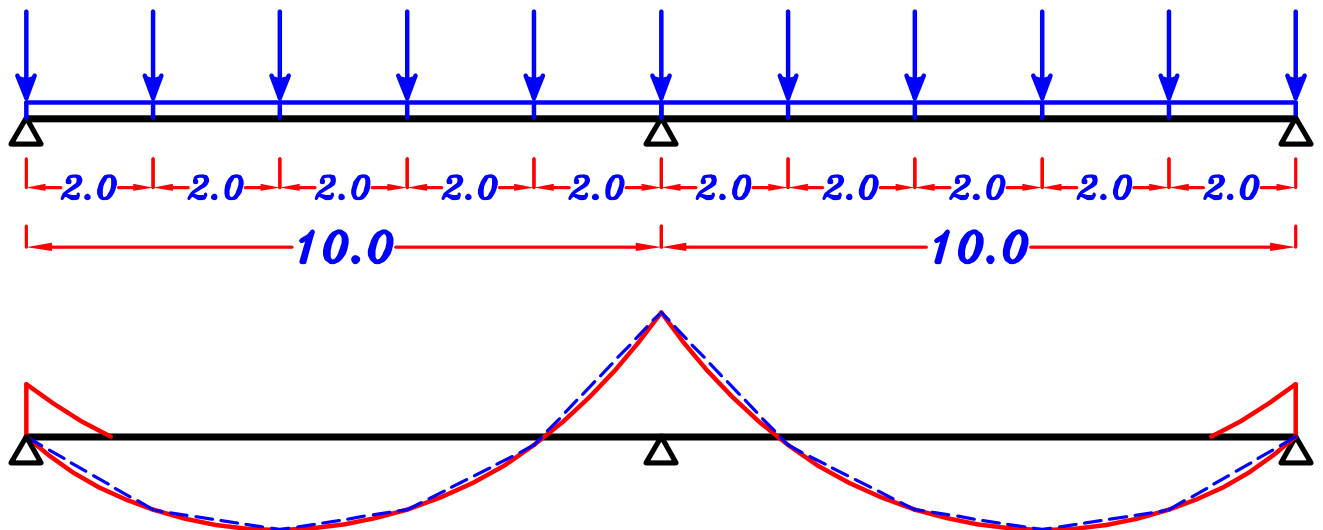
# Plan Concrete Dimensions.







## Girders Designed on $M$



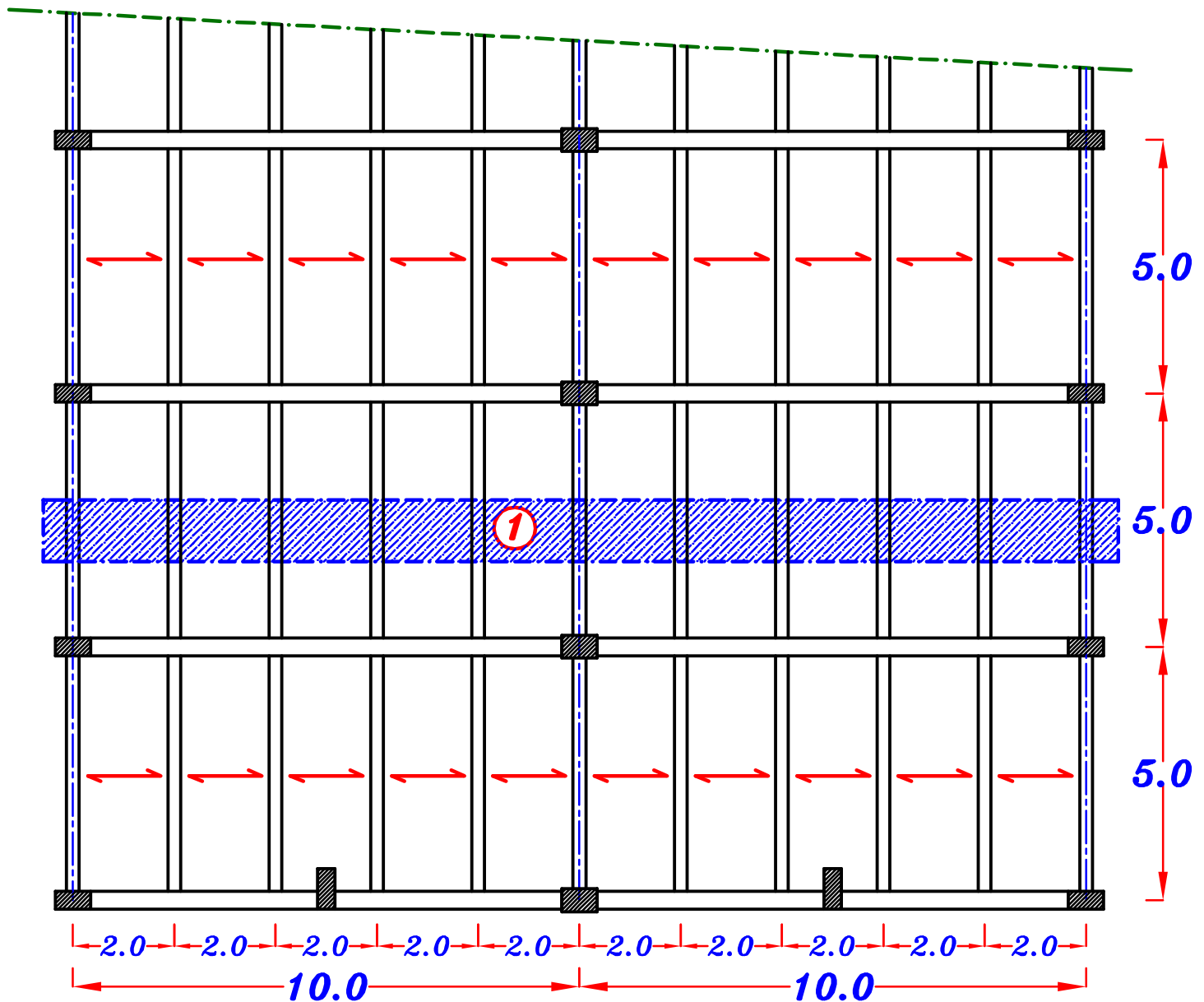
## Columns

### Check Buckling

and Designed on  $P, M_{add}$



# Design of slabs.



$t_s$

$$t_s = \frac{L_s}{30} = \frac{2000}{30} = 66.7 \text{ mm}$$

take  $t_s = 120 \text{ mm}$

$w_s$

$$(w_s)_{U.L.} = 1.4 (t_s \delta_c + F.C.) + 1.6 (L.L.)$$

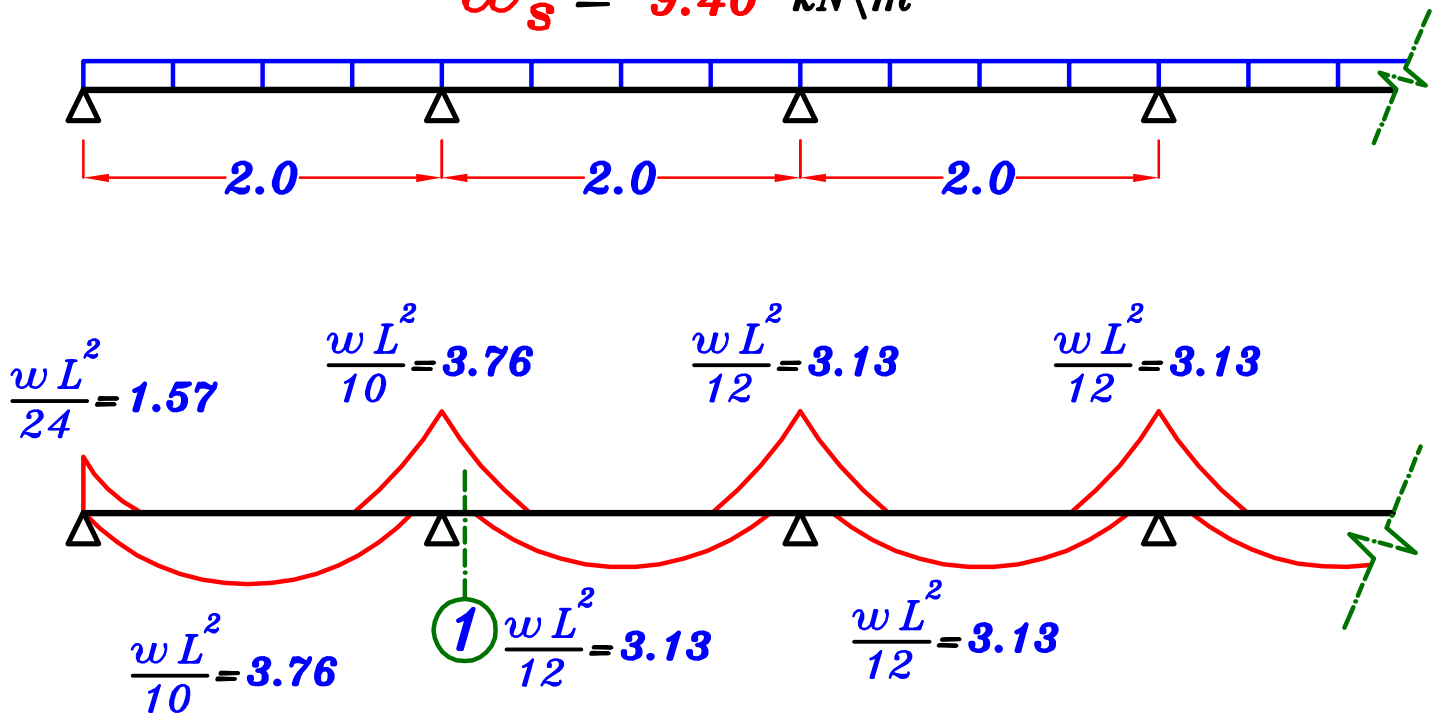
$$(w_s)_{U.L.} = 1.4 (0.12 * 25 + 2.0) + 1.6 (1.50) = 9.40 \text{ kN/m}^2$$

$$w_s = 9.40 \text{ kN/m}^2$$



## Strip (1)

$$w_s = 9.40 \text{ kN/m}$$



## Sec. ①

$$M_{U.L.} = 3.76 \text{ kN.m/m}$$

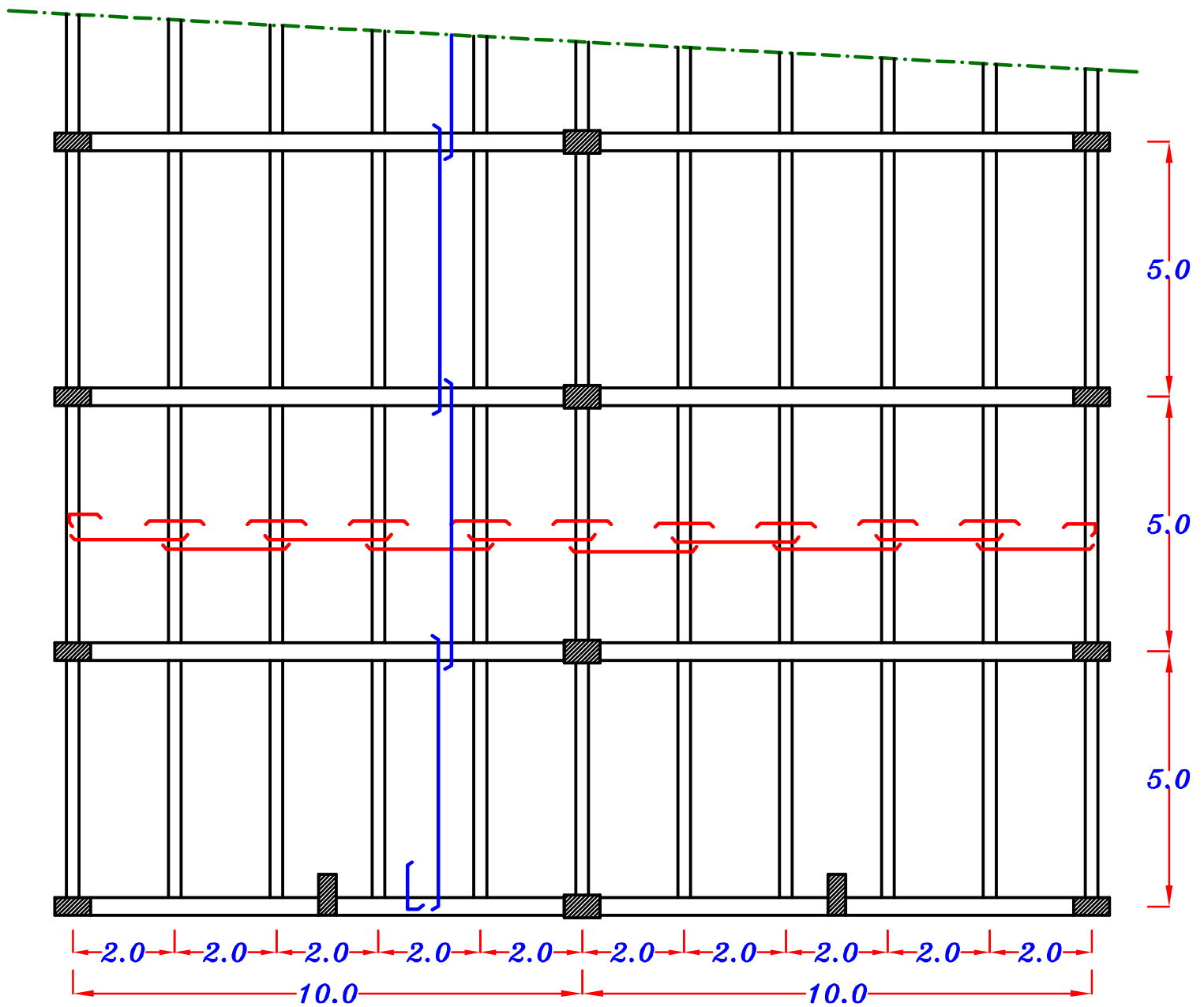
$$t_s = 120 \text{ mm} , d = 100 \text{ mm}$$

$$100 = C_1 \sqrt{\frac{3.76 * 10^6}{25 * 1000}} \rightarrow C_1 = 8.15 \rightarrow J = 0.826$$

$$A_s = \frac{3.76 * 10^6}{0.826 * 360 * 100} = 126.4 \text{ mm}^2/\text{m} \quad \text{5 } \phi 10 \text{ / m}$$

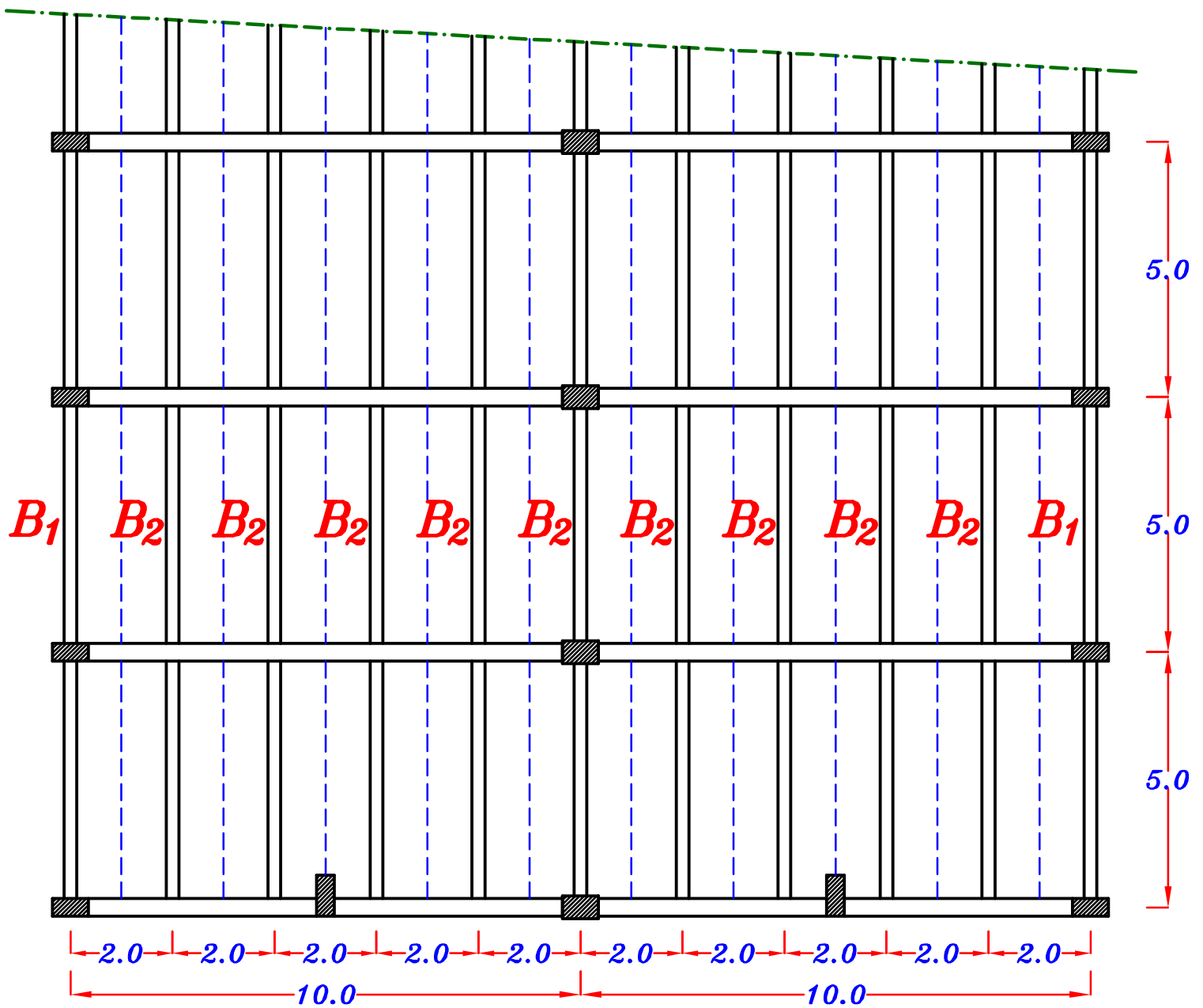


# RFT. of the Slabs.





# Loads on Beams.





$$\text{o.w. of Beams \& Girder} = 1.4 b t \delta_c$$

$$\text{Beams } (250 * 450) \text{ o.w.} = 1.4 (0.25) (0.45) (25) = 3.90 \text{ kN/m}$$

$$\text{Girder } (300 * 850) \text{ o.w.} = 1.4 (0.30) (0.85) (25) = 8.90 \text{ kN/m}$$


---

B<sub>1</sub>

$$w_a = w_e = \text{o.w.} + \boxed{w_s} \frac{L_s}{2}$$

$$= 3.90 + (9.40) \left( \frac{2.0}{2} \right) = 13.30 \text{ kN/m}$$

$$R_1 = w_a * \text{Spacing} = 13.30 * 5.0 = 66.5 \text{ kN}$$

$$\boxed{R_1 = 66.5 \text{ kN}}$$

B<sub>2</sub>

$$w_a = w_e = \text{o.w.} + 2 \boxed{w_s} \frac{L_s}{2}$$

$$= 3.90 + 2 (9.40) \left( \frac{2.0}{2} \right) = 22.7 \text{ kN/m}$$

$$R_2 = w_a * \text{Spacing} = 22.7 * 5.0 = 113.5 \text{ kN}$$

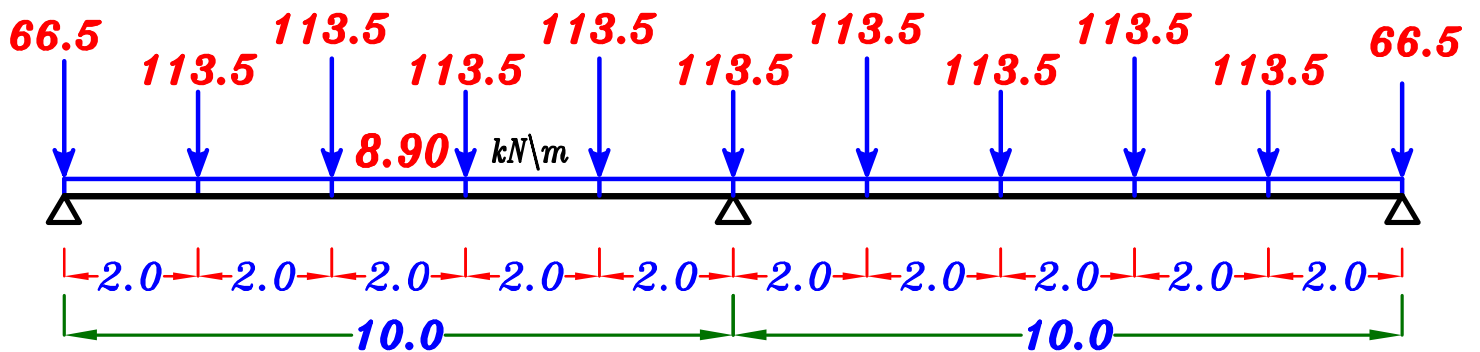
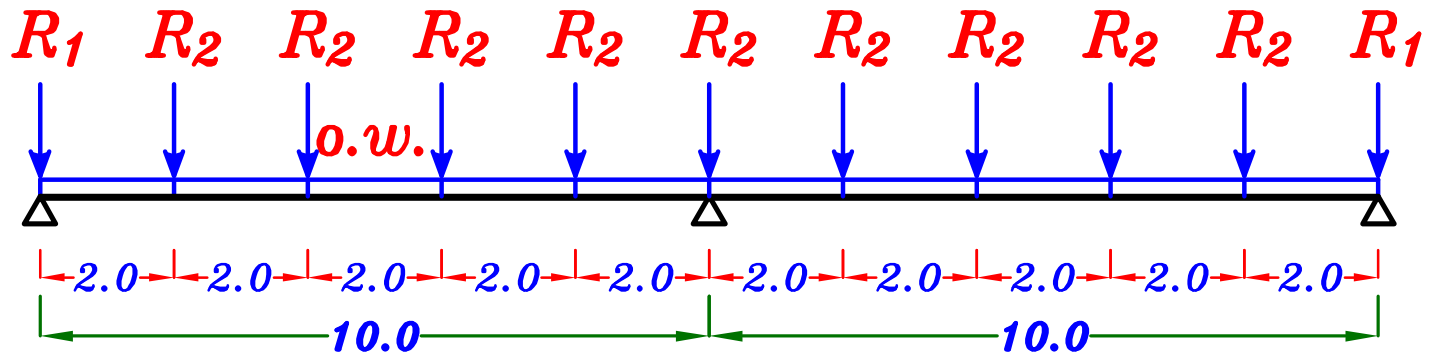
$$\boxed{R_2 = 113.5 \text{ kN}}$$



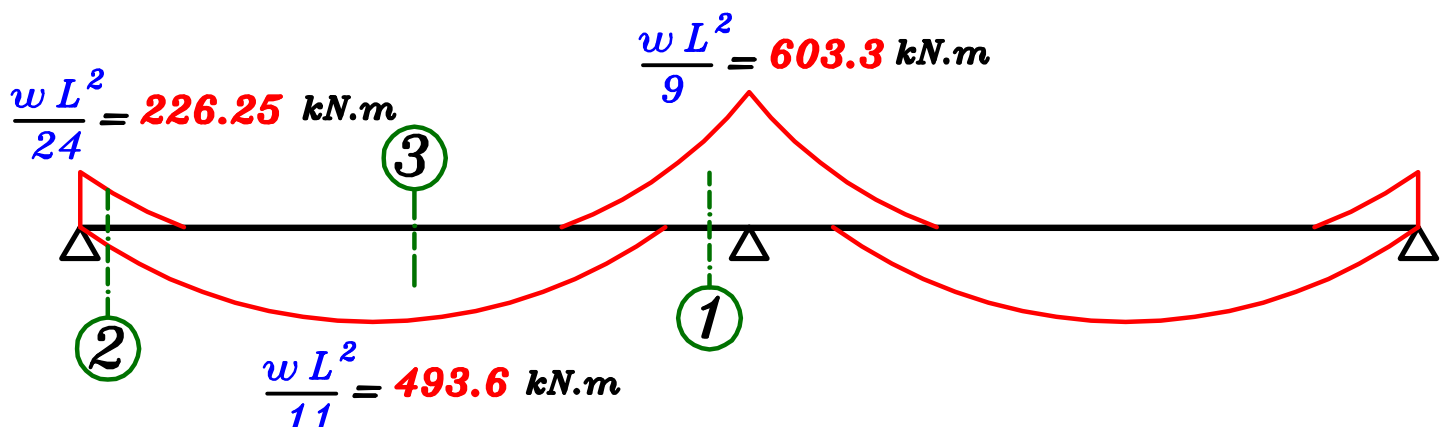
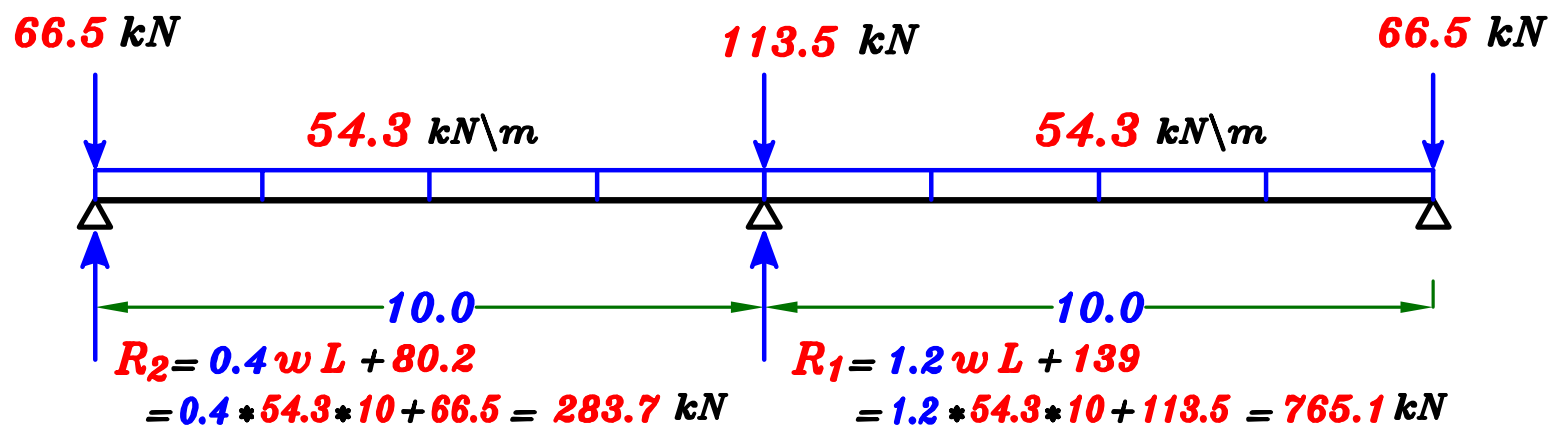
# Loads on the Girder.

**o.w. of Girder** (300 \* 850 )

$$o.w. = 1.4 (0.30) (0.85) (25) = 8.90 \text{ kN/m}$$



$$w = o.w. + \frac{\sum P}{span} = 8.90 + \frac{4(113.5)}{10.0} = 54.3 \text{ kN/m}$$





Sec. ①  $M_{U.L.} = 603.3 \text{ kN.m}$  *R-Sec.*

Take  $d = 0.80 \text{ m}$  ( as taken in the concrete dimensions )

$$800 = C_1 \sqrt{\frac{603.3 * 10^6}{25 * 300}} \rightarrow C_1 = 2.82 \rightarrow J = 0.721$$

$$\therefore A_s = \frac{M_{U.L.}}{J F_y d} = \frac{603.3 * 10^6}{0.721 * 360 * 800} = 2905.4 \text{ mm}^2$$

Check  $A_{s_{min.}}$   $A_{s_{req.}} = 2905.4 \text{ mm}^2$

$$\mu_{min.} b d = \left( 0.225 * \frac{\sqrt{F_{cu}}}{F_y} \right) b d = \left( 0.225 * \frac{\sqrt{25}}{360} \right) 300 * 800 = 750 \text{ mm}^2$$

$$\therefore A_{s_{req.}} > \mu_{min.} b d \therefore \text{Take } A_s = A_{s_{req.}} = 2905.4 \text{ mm}^2 \quad \textcircled{8 \phi 22}$$

$$\therefore n = \frac{b - 25}{\phi + 25} = \frac{300 - 25}{22 + 25} = 5.85 = 5.0 \text{ bars}$$

Sec. ②  $M_{U.L.} = 226.25 \text{ kN.m}$  *R-Sec.*

$$\therefore 800 = C_1 \sqrt{\frac{226.25 * 10^6}{25 * 300}} \rightarrow C_1 = 4.60 \rightarrow J = 0.82$$

$$\therefore A_s = \frac{M_{U.L.}}{J F_y d} = \frac{226.25 * 10^6}{0.82 * 360 * 800} = 958.0 \text{ mm}^2$$

Check  $A_{s_{min.}}$   $A_{s_{req.}} = 958.0 \text{ mm}^2$

$$\mu_{min.} b d = \left( 0.225 * \frac{\sqrt{F_{cu}}}{F_y} \right) b d = \left( 0.225 * \frac{\sqrt{25}}{360} \right) 300 * 800 = 750 \text{ mm}^2$$

$$\therefore A_{s_{req.}} > \mu_{min.} b d \therefore \text{Take } A_s = A_{s_{req.}} = 958.0 \text{ mm}^2 \quad \textcircled{3 \phi 22}$$



### Sec. ③

$$M_{U.L.} = 493.6 \text{ kN.m} \quad T\text{-Sec.}$$

Take  $d = 0.80 \text{ m}$  ( as taken in the concrete dimensions )

$$B = \left\{ \begin{array}{l} C.L. - C.L. = \text{Spacing} = 5.0 \text{ m} = 5000 \text{ mm} \\ 16 t_s + b = 16 * 120 + 300 = 2220 \text{ mm} \\ K \frac{L}{5} + b = 0.8 * \frac{10000}{5} + 300 = 1900 \text{ mm} \end{array} \right\} \quad B = 1900 \text{ mm}$$

$$\therefore 800 = C_1 \sqrt{\frac{493.6 * 10^6}{25 * 1900}} \rightarrow C_1 = 7.84 \rightarrow J = 0.826$$

$$\therefore A_s = \frac{M_{U.L.}}{J F_y d} = \frac{493.6 * 10^6}{0.826 * 360 * 800} = 2075 \text{ mm}^2$$

Check  $A_{s_{min.}}$   $A_{s_{req.}} = 2075 \text{ mm}^2$

$$\mu_{min.} b d = \left( 0.225 * \frac{\sqrt{F_{cu}}}{F_y} \right) b d = \left( 0.225 * \frac{\sqrt{25}}{360} \right) 300 * 800 = 750 \text{ mm}^2$$

$$\therefore A_{s_{req.}} > \mu_{min.} b d \therefore \text{Take } A_s = A_{s_{req.}} = 2075 \text{ mm}^2 \quad (6 \phi 22)$$

$$\text{Stirrup Hangers} = (0.1 \rightarrow 0.2) A_s = (0.1 \rightarrow 0.2) 2075 \quad (3 \phi 12)$$

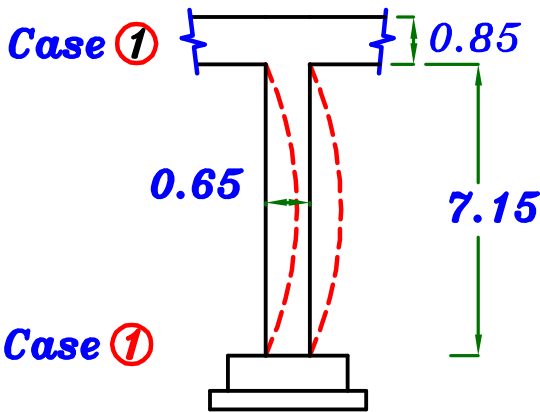


# Design of the Columns.

## Column $C_1$

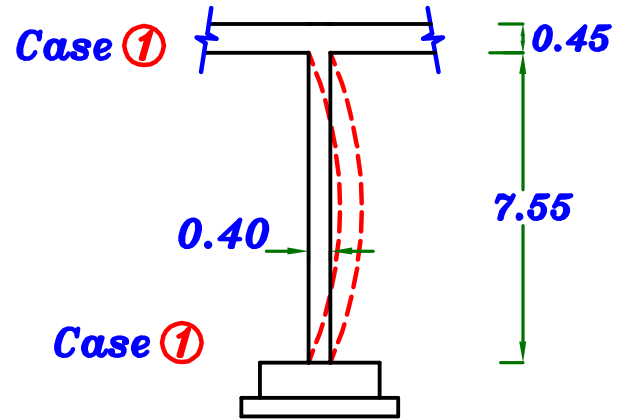
$$P = R_1 = 765.1 \text{ kN}$$

### ① In Plane.



$$\lambda_b = \frac{K * H_o}{t} = \frac{1.2 * 7.15}{0.65} = 13.2 > 10$$

### ② Out of Plane.

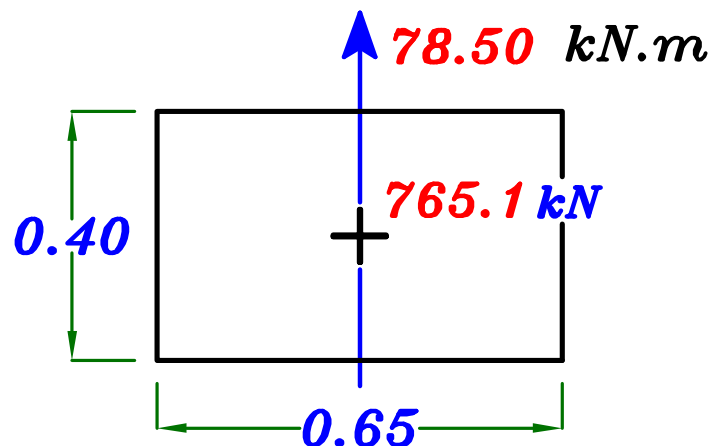


$$\lambda_b = \frac{K * H_o}{b} = \frac{1.2 * 7.5}{0.40} = 22.65 < 23$$

∴ The column is long at out of plane direction.

$$\delta = \frac{(\lambda_b)^2 * b}{2000} = \frac{22.65^2 * 0.40}{2000} = 0.1026 \text{ m}$$

$$M_{add.} = P * \delta = 765.1 * 0.1026 = 78.50 \text{ kN.m}$$





$$e = \frac{M}{P} = \frac{78.50}{765.1} = 0.101 \text{ m} \quad \therefore \frac{e}{t} = \frac{0.1026}{0.40} = 0.256 < 0.5 \xrightarrow{\text{use}} \text{I.D.}$$

$$\zeta = \frac{0.4 - 0.1}{0.4} = 0.75 = 0.7 \xrightarrow{\text{use}} \text{ECCS Page 4-25}$$

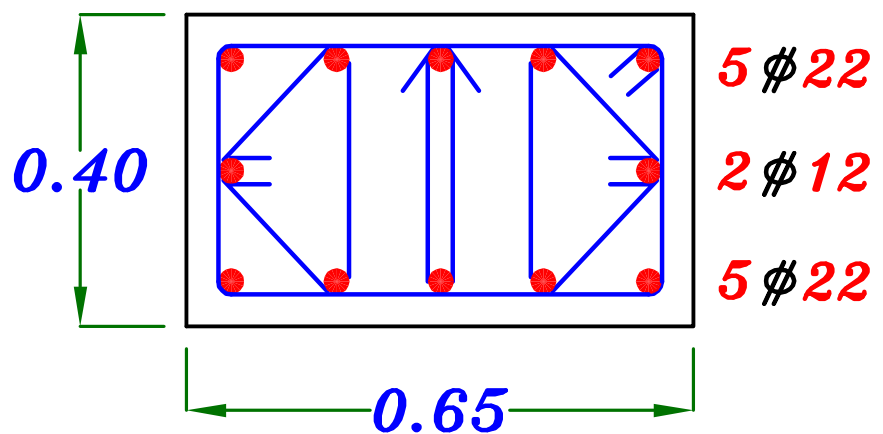
$$\left. \begin{aligned} \frac{P_U}{F_{cu} b t} &= \frac{765.1 * 10^3}{25 * 650 * 400} = 0.117 \\ \frac{M_U}{F_{cu} b t^2} &= \frac{78.50 * 10^6}{25 * 650 * 400^2} = 0.030 \end{aligned} \right\} \rho < 1.0 \xrightarrow{\text{Take}} \rho = 1.0$$

$$A_s = A_s' = \mu * b * t = \rho * F_{cu} * 10^{-4} * b * t = 1.0 * 25 * 10^{-4} * 650 * 400 = 650 \text{ mm}^2$$

$$A_{s_{total}} = A_s + A_s' = 1300 \text{ mm}^2$$

$$\begin{aligned} A_{s_{min}} &= \frac{0.25 + 0.052 \lambda_{max}}{100} * b * t \\ &= \frac{0.25 + 0.052 (22.65)}{100} * 650 * 400 = 3712.28 \text{ mm}^2 > A_{s_{total}} \end{aligned}$$

$$A_s = A_s' = \frac{3712.28}{2} = 1856.14 \text{ mm}^2 \quad \textcircled{5 \phi 22}$$

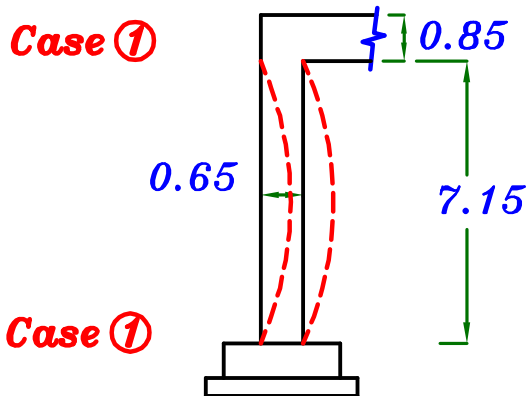




## Column C2

$$P = R_2 = 283.7 \text{ kN}$$

### ① In Plane.



$$H_o = 7.15 \text{ m}$$

$$\lambda_b = \frac{K * H_o}{t} = \frac{1.2 * 7.15}{0.65} = 13.2 > 10$$

$$\delta = \frac{(\lambda_b)^2 * t}{2000} = \frac{13.2^2 * 0.65}{2000} = 0.056 \text{ m}$$

$$M_{add.} = P * \delta = 283.7 * 0.056 = 15.88 \text{ kN.m}$$

$$e = \frac{M}{P} = \frac{15.88}{283.7} = 0.056 \text{ m} \quad \therefore \frac{e}{t} = \frac{0.056}{0.65} = 0.086 < 0.5 \xrightarrow{\text{use}} \text{I.D.}$$

$$\zeta = \frac{0.65 - 0.1}{0.65} = 0.8 \xrightarrow{\text{use}} \text{ECCS Page 4-24}$$

$$\frac{P_U}{F_{cu} b t} = \frac{283.7 * 10^3}{25 * 300 * 650} = 0.058$$

$$\frac{M_U}{F_{cu} b t^2} = \frac{15.88 * 10^6}{25 * 300 * 650^2} = 0.0050$$

$$\rho < 1.0 \xrightarrow{\text{Take}} \rho = 1.0$$

$$A_s = A_s' = \mu * b * t = \rho * F_{cu} * 10^{-4} * b * t = 1.0 * 25 * 10^{-4} * 300 * 650 = 487.5 \text{ mm}^2$$

$$A_{s_{total}} = A_s + A_s' = 975 \text{ mm}^2$$

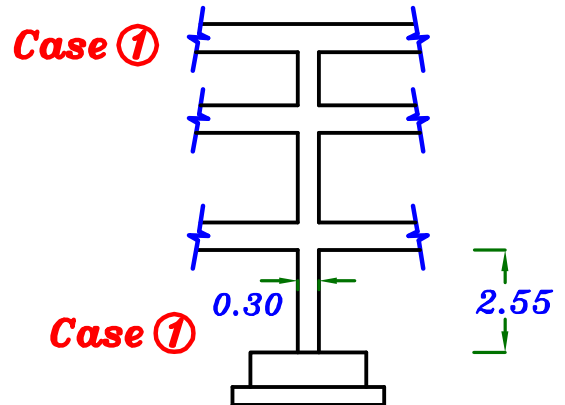
$$A_{s_{min}} = \frac{0.25 + 0.052 \lambda_{max}}{100} * b * t$$

$$= \frac{0.25 + 0.052 (13.2)}{100} * 300 * 650 = 1826 \text{ mm}^2 > A_{s_{total}}$$

$$A_s = A_s' = \frac{1826}{2} = 913 \text{ mm}^2$$

**3  $\phi$  22**

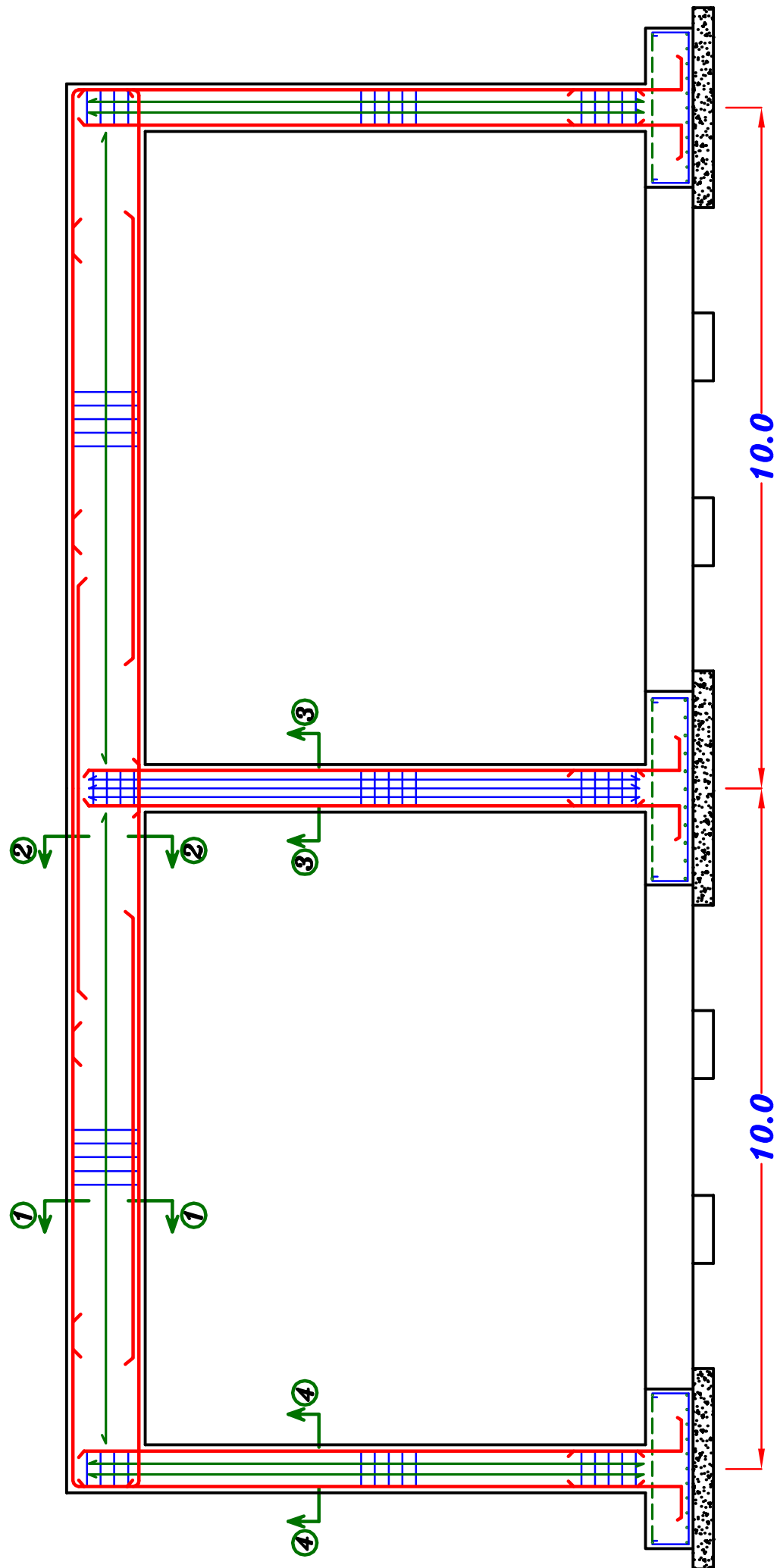
### ② Out of Plane.



$$H_o = 2.55 \text{ m}$$

$$\lambda_b = \frac{K * H_o}{b} = \frac{1.2 * 2.55}{0.30} = 10.2$$



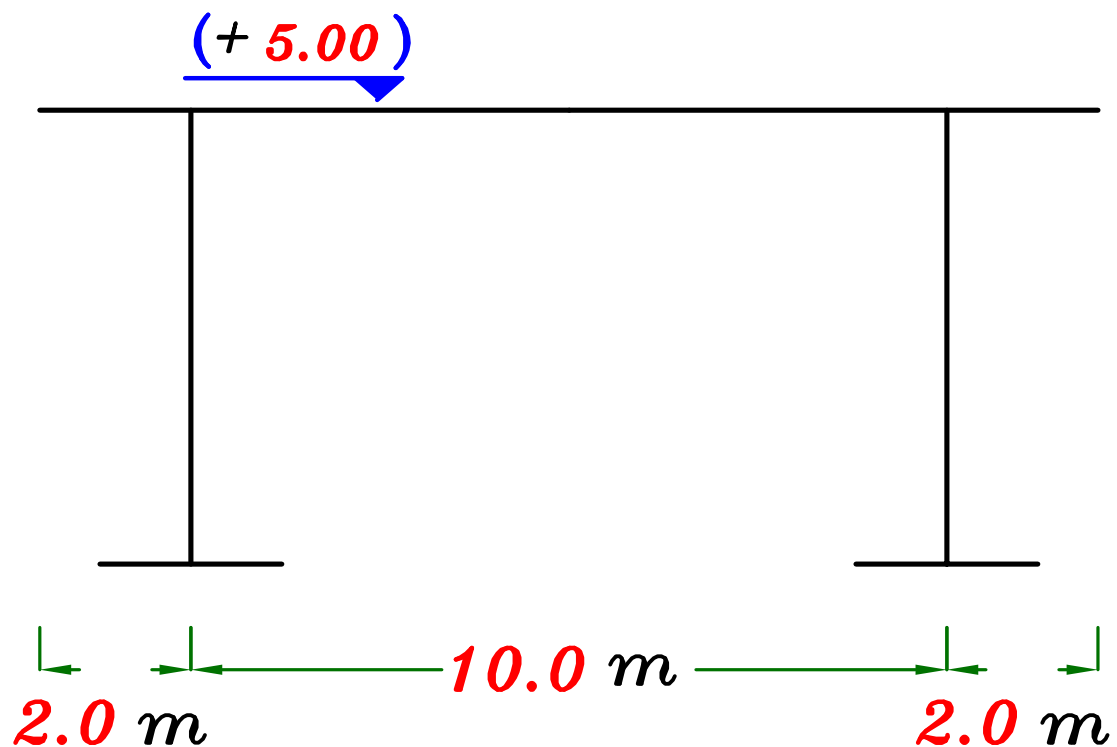
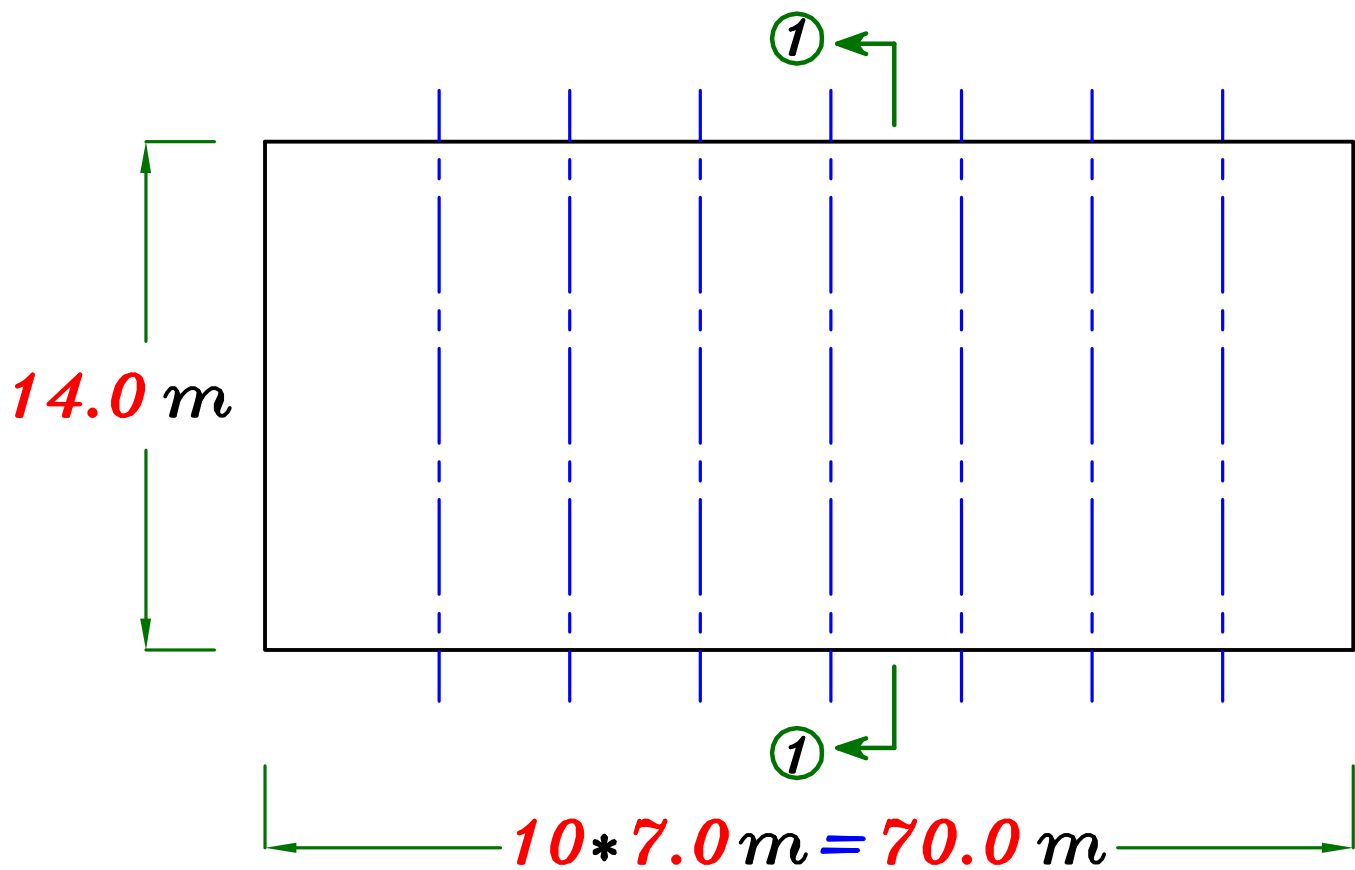






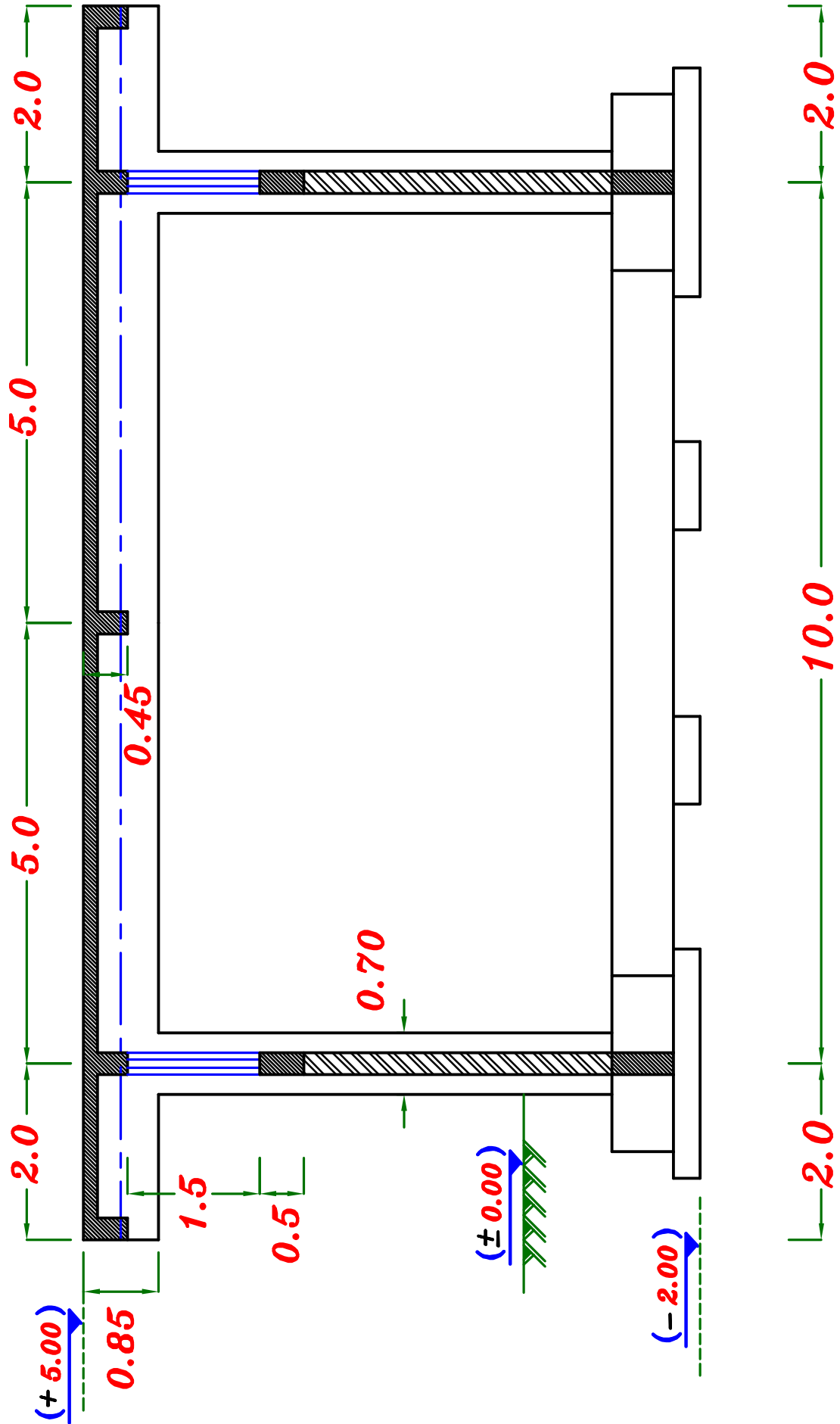


# Example.

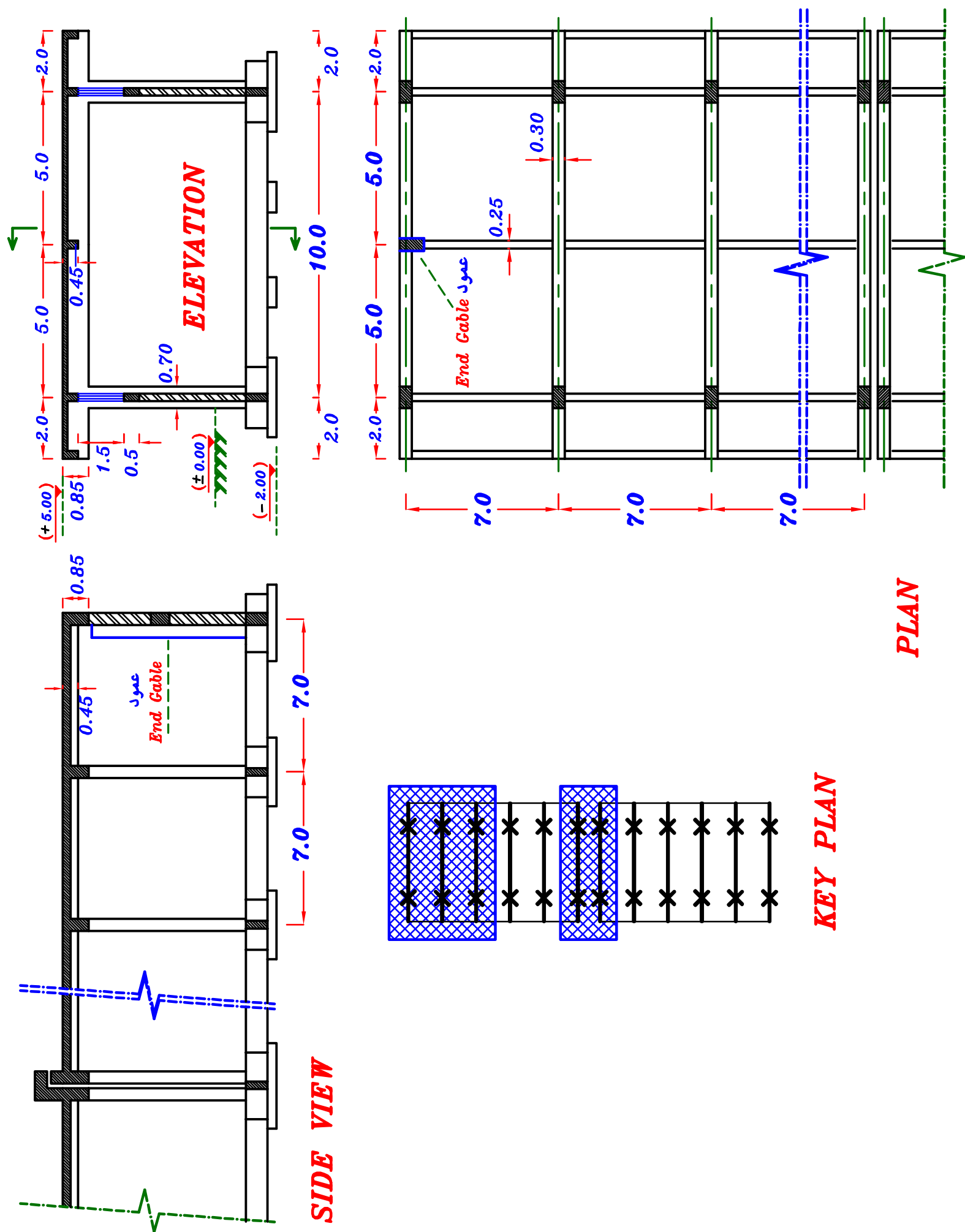




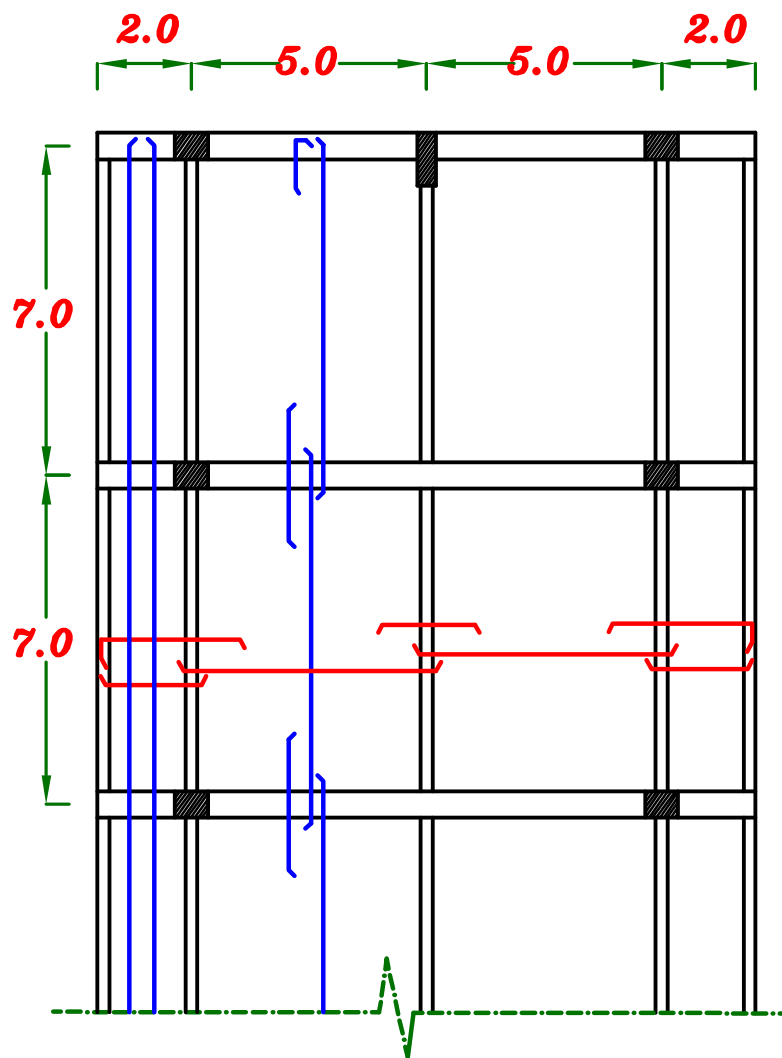
*IF the slab is Solid Slab*



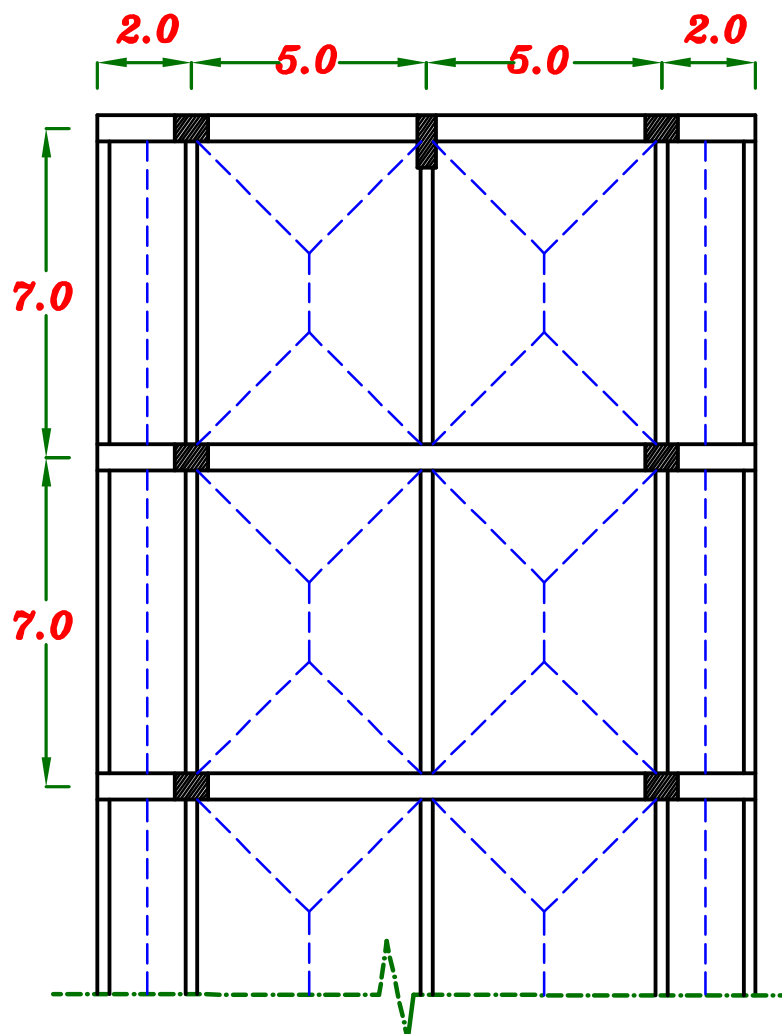








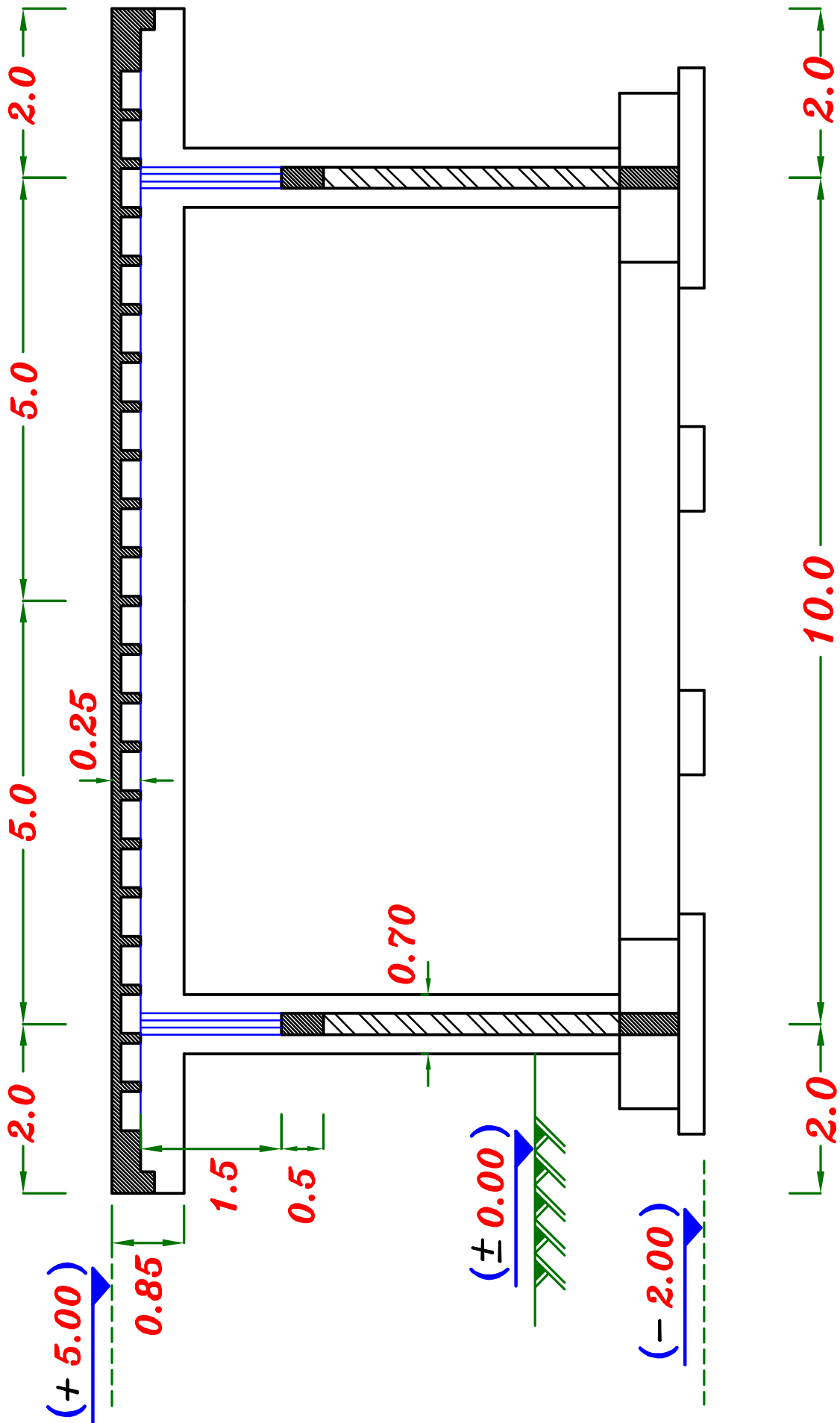
*RFT.  
of slabs*



*Load  
Distribution*

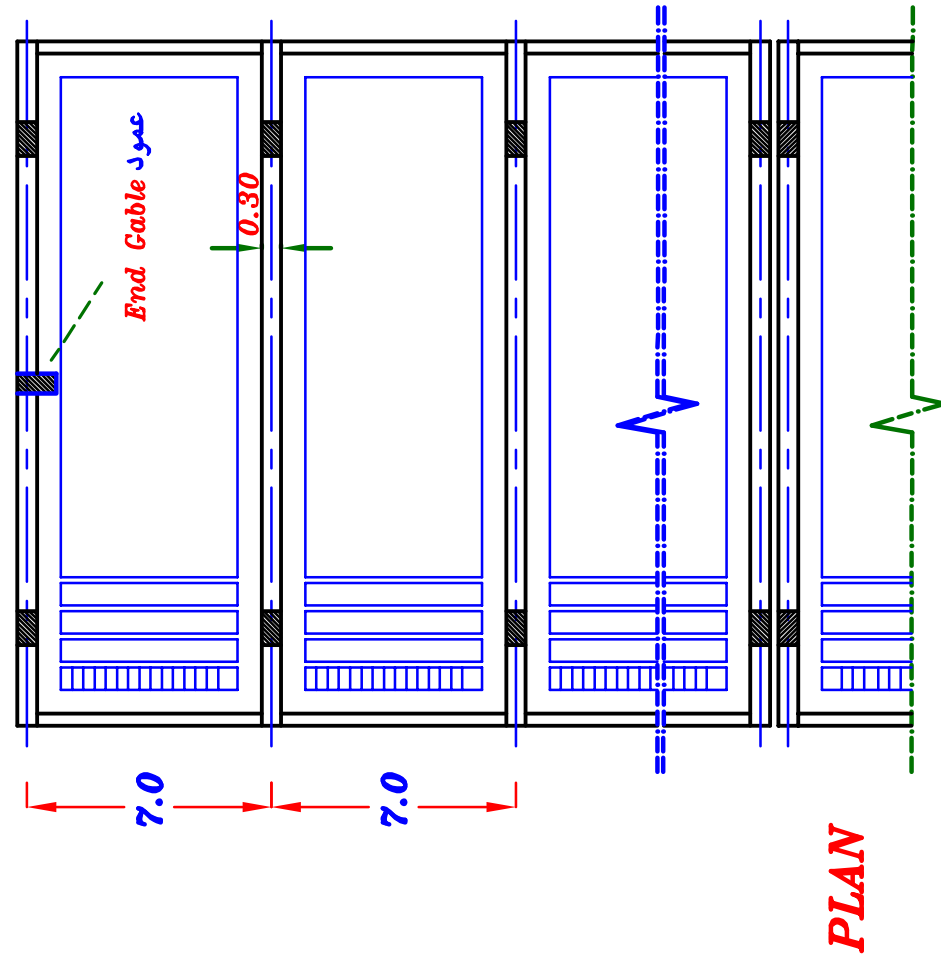
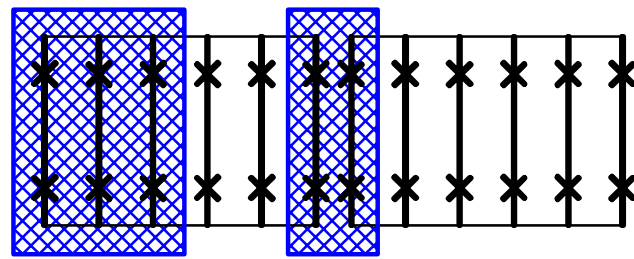
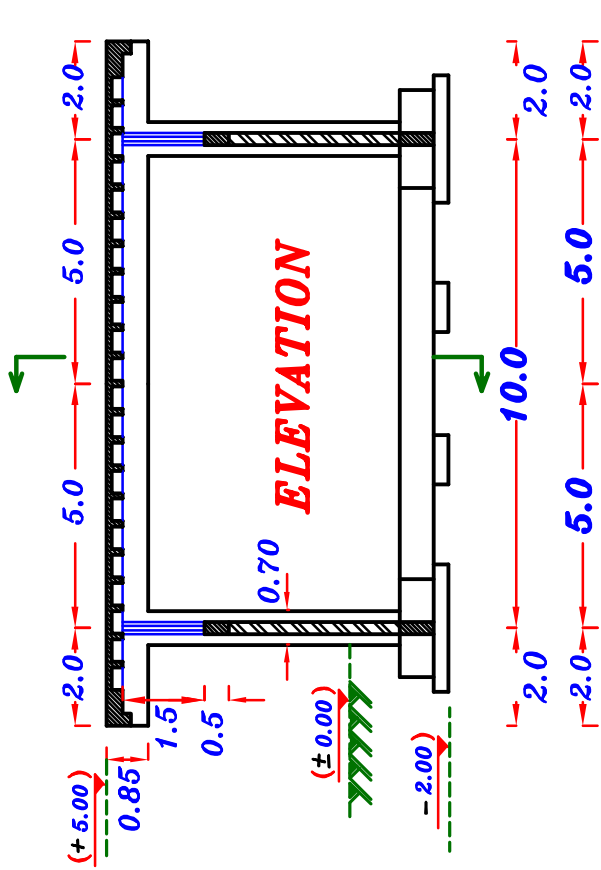
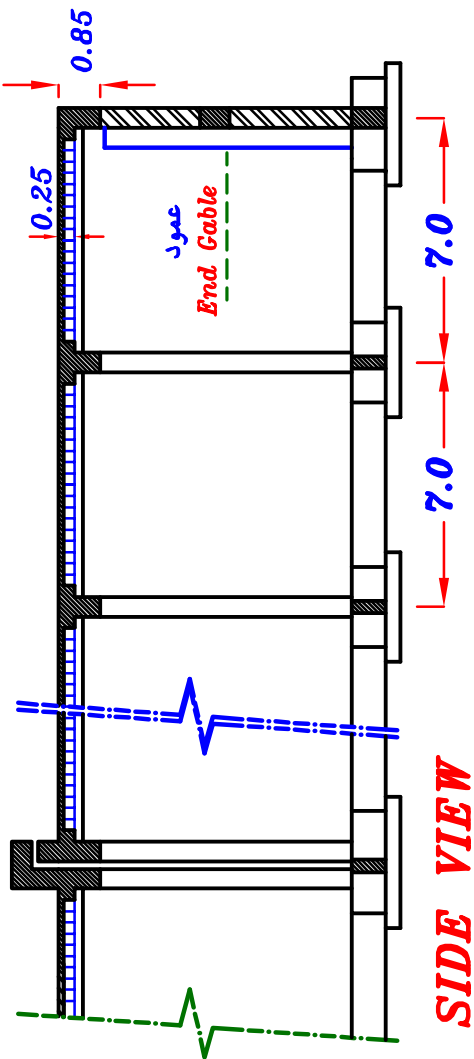


# IF the slab is Hollow Blocks.



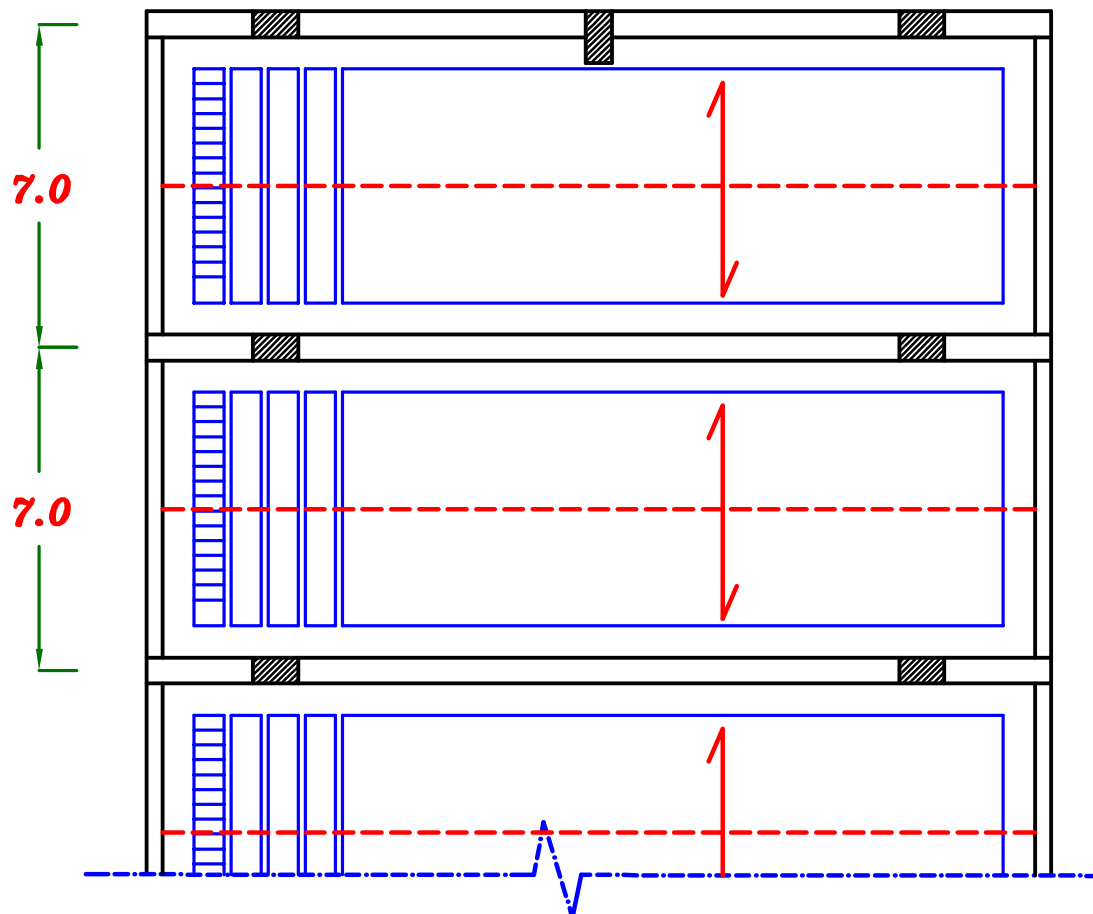
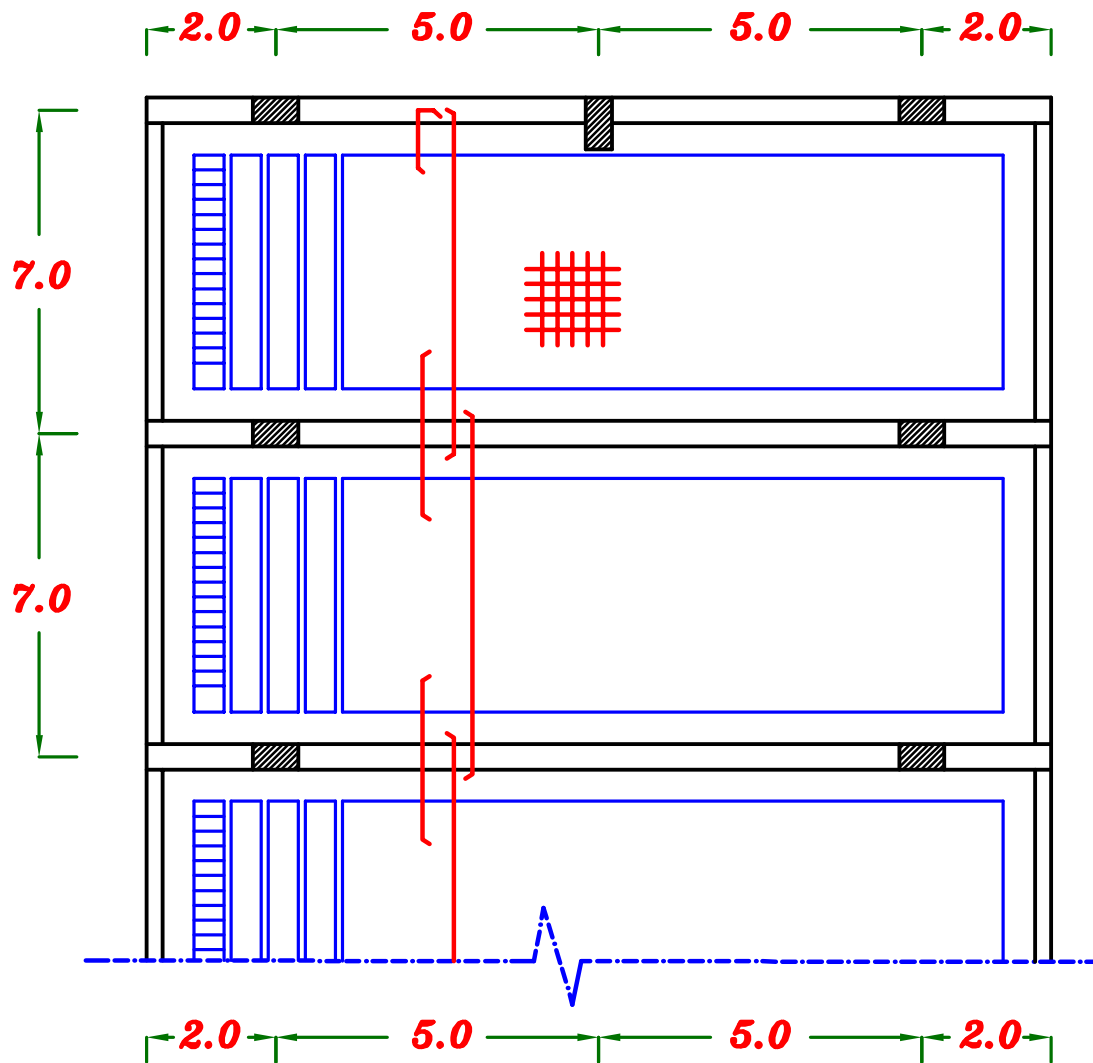


**IF the slab is Hollow Blocks.**

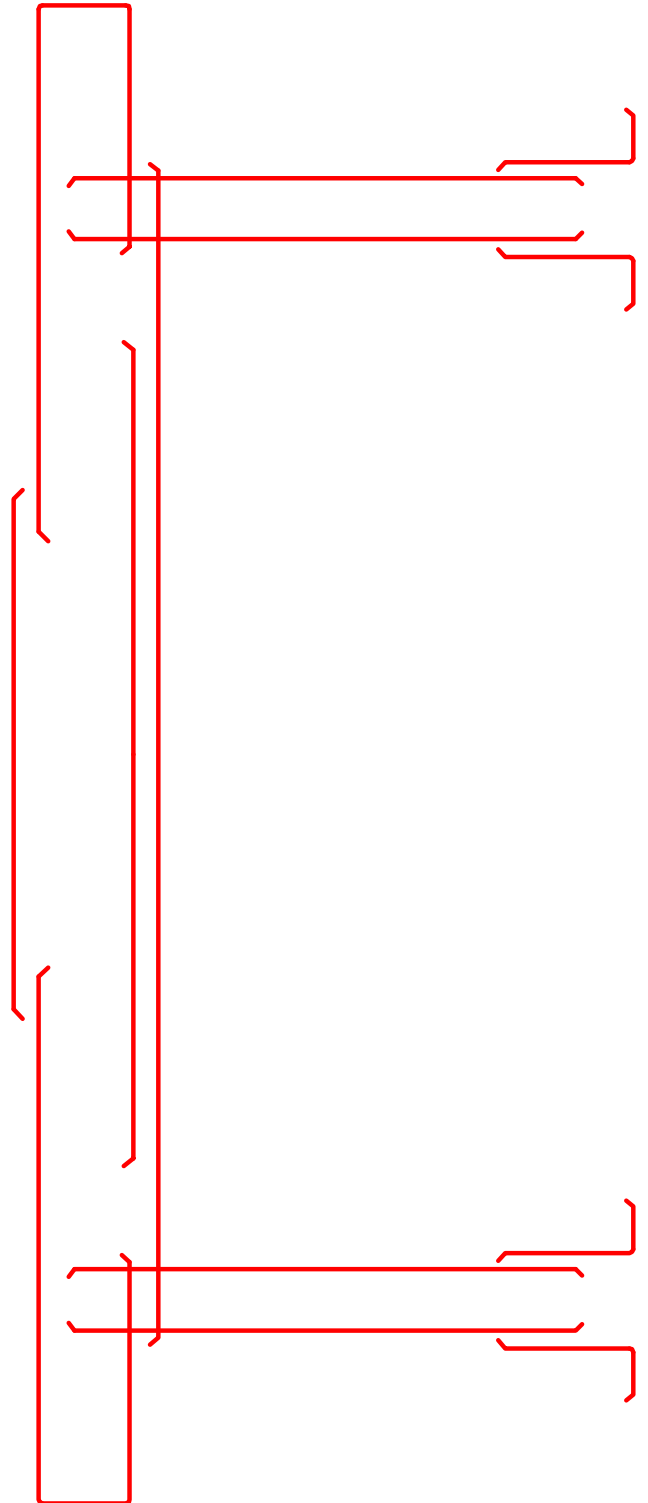
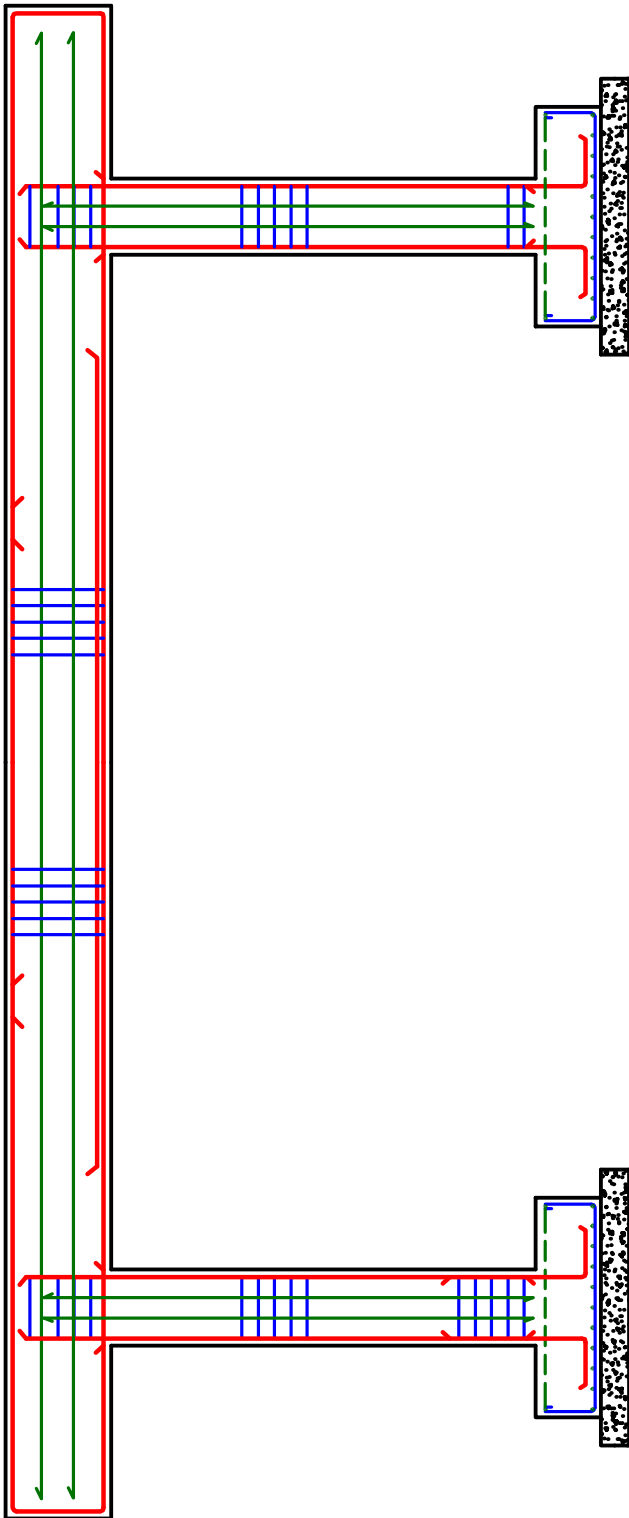




**IF the slab is Hollow Blocks.**

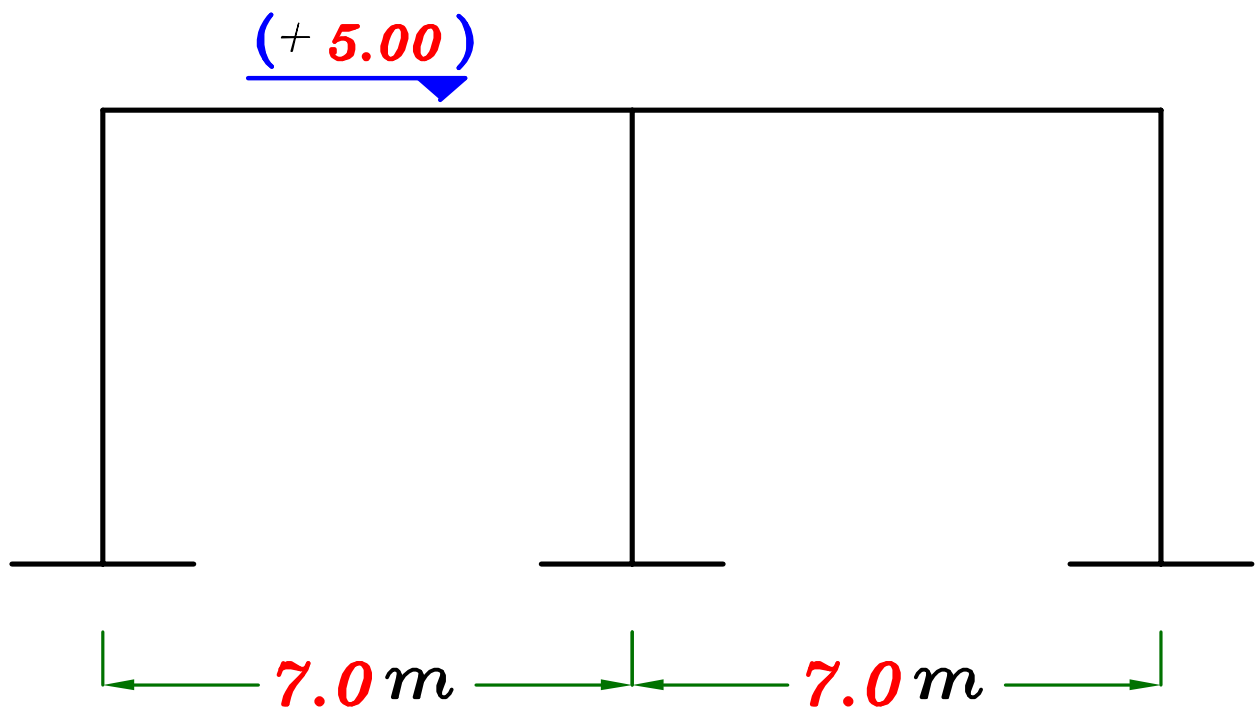
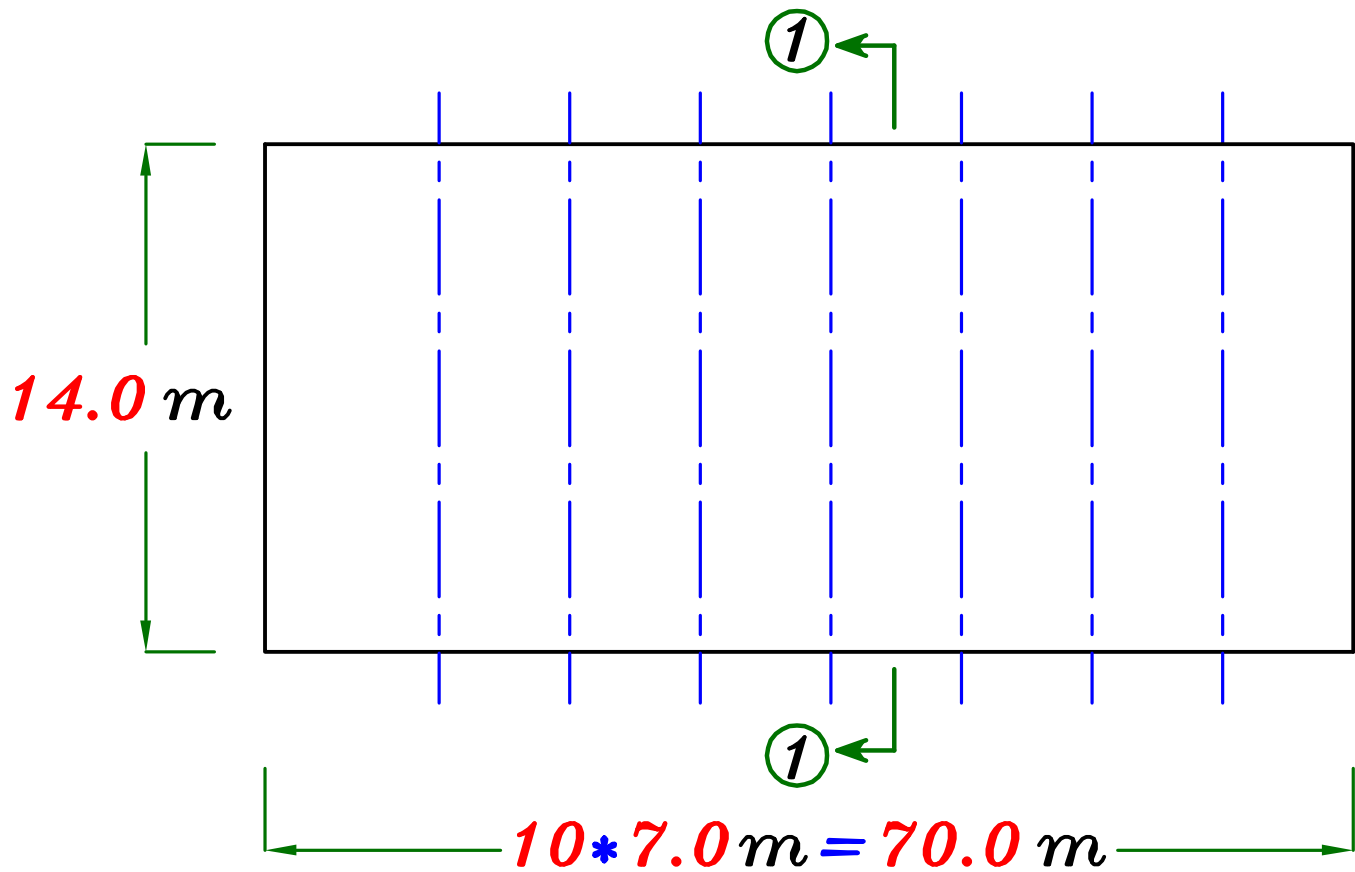






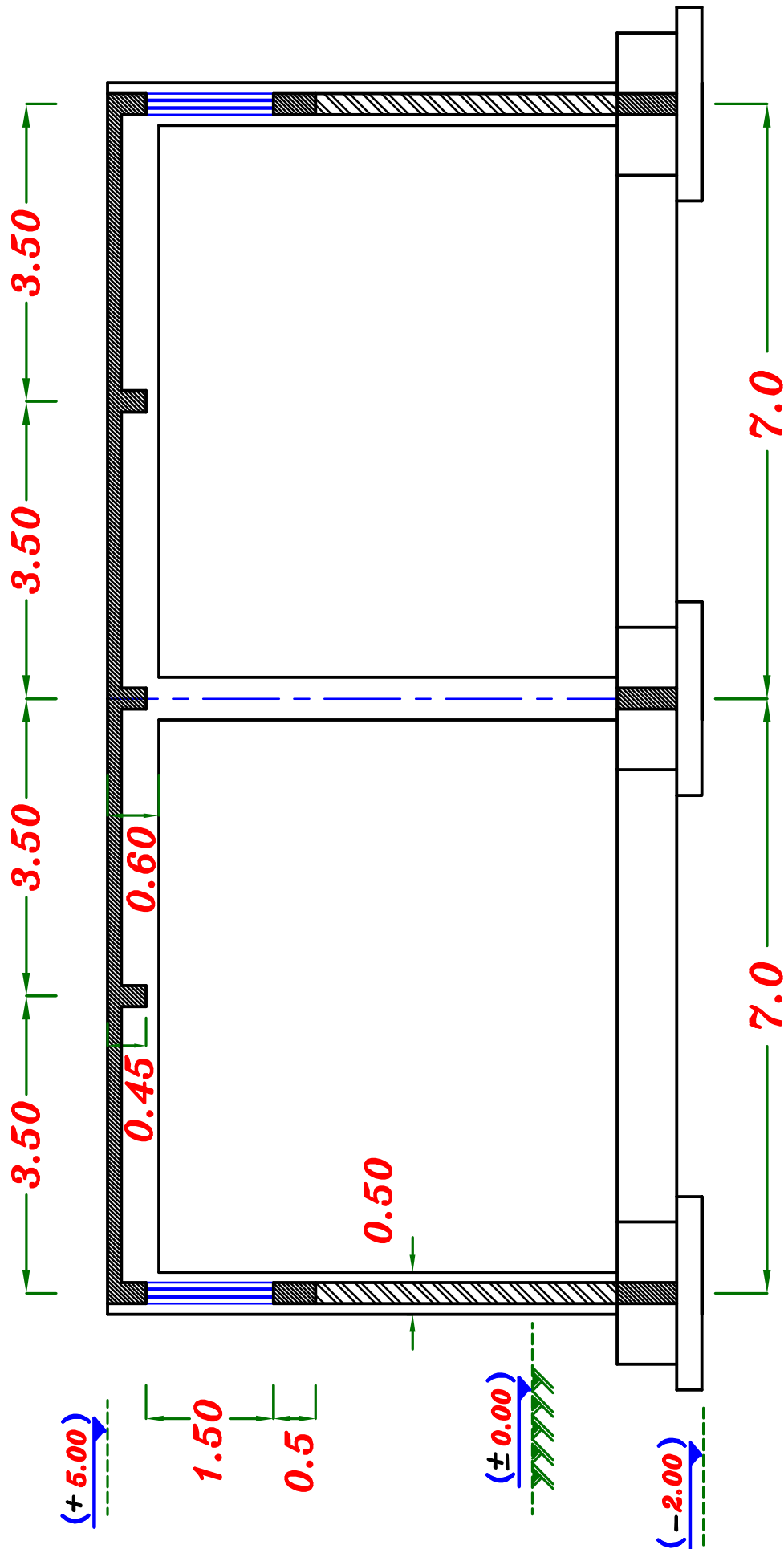


# Example.

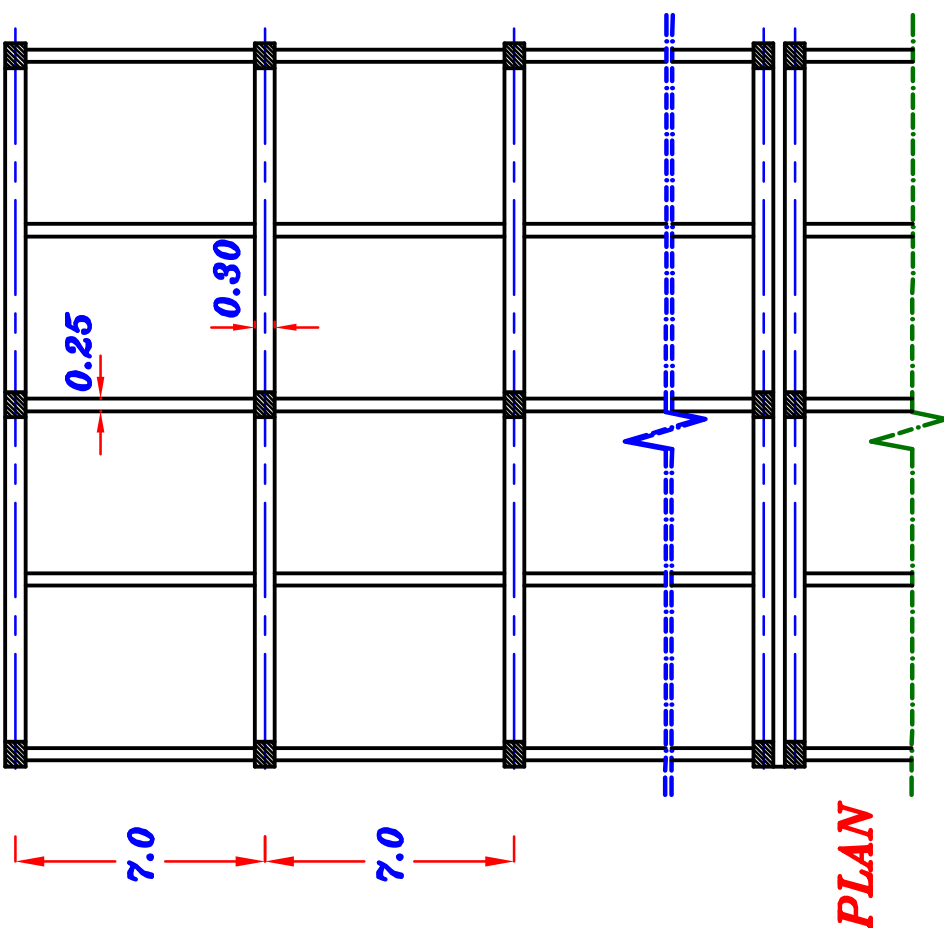
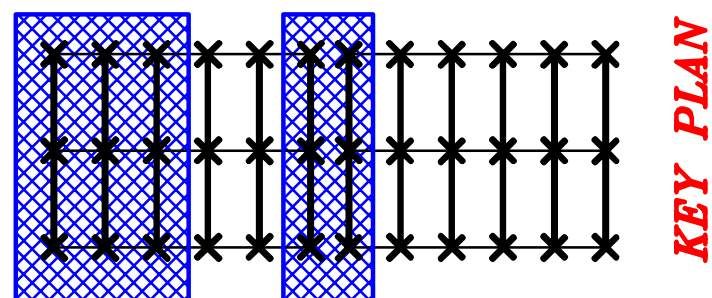
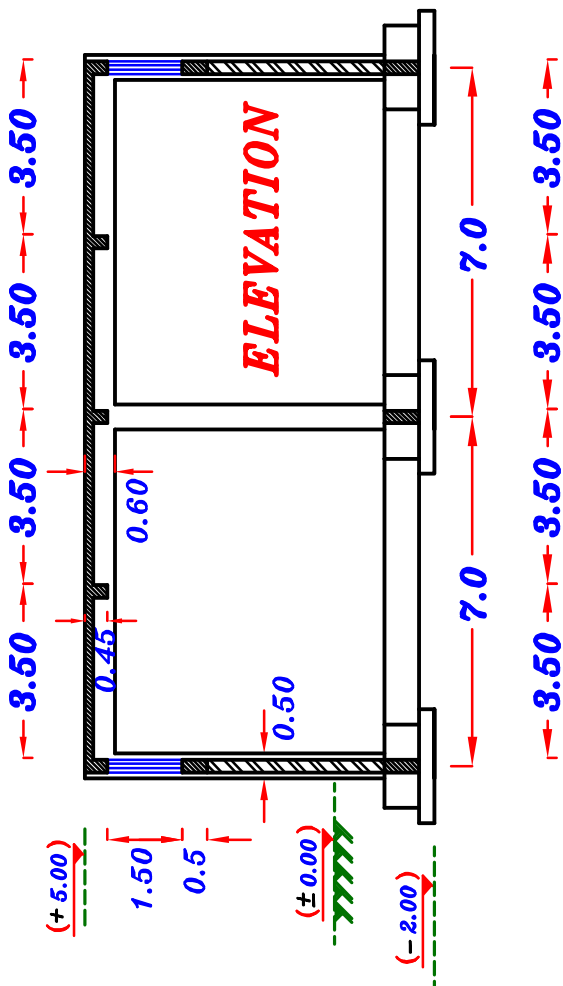
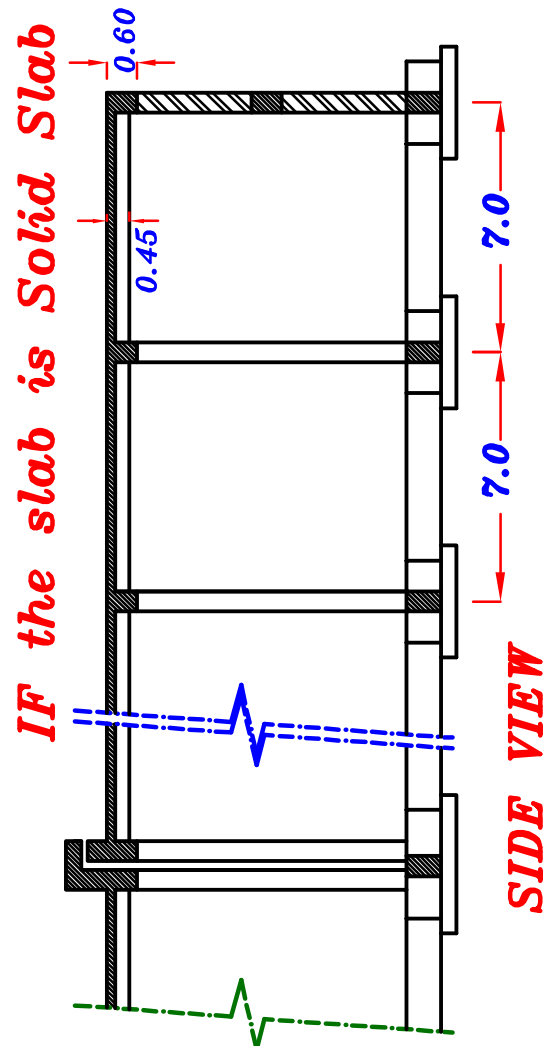




# IF the slab is Solid Slab

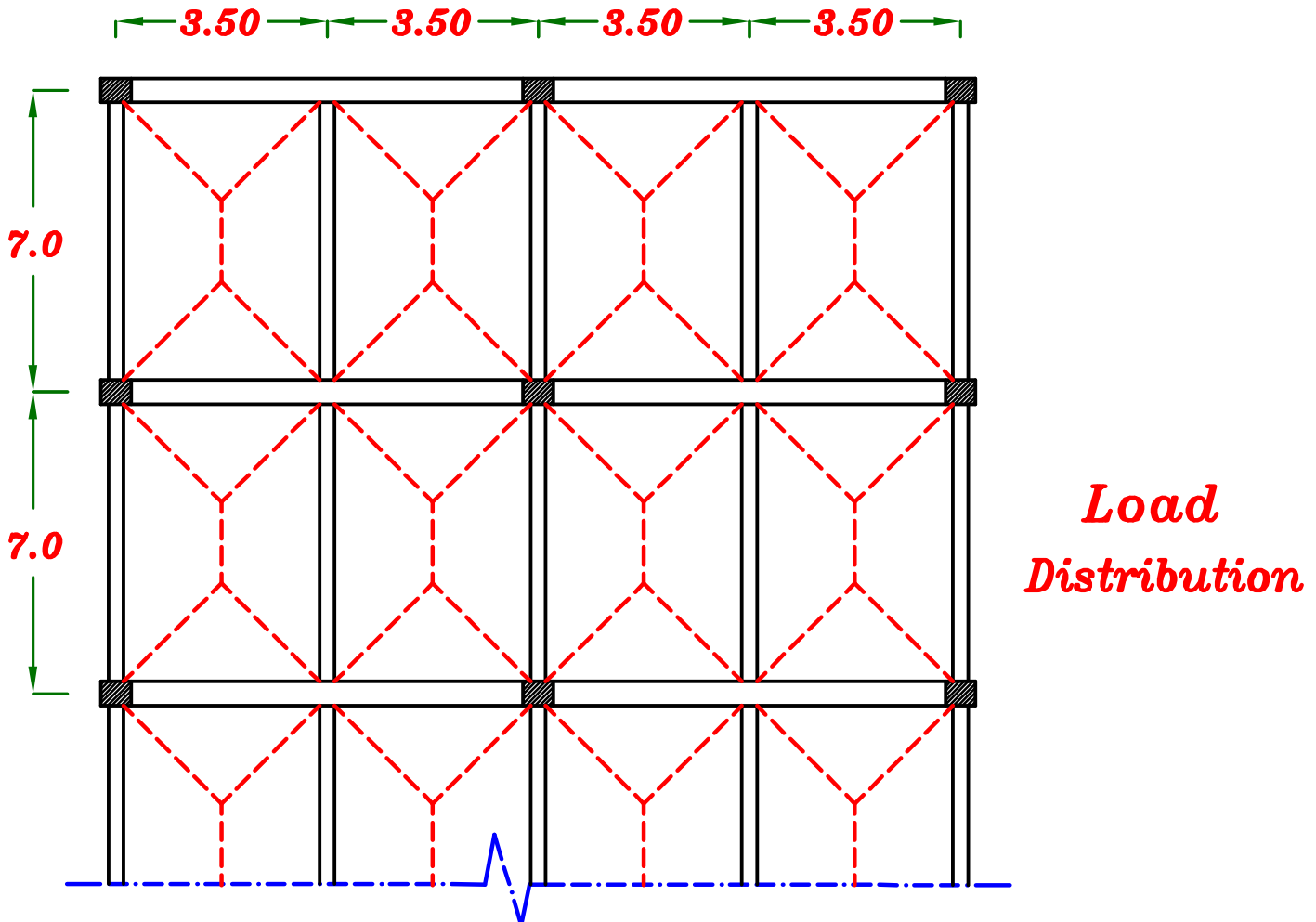
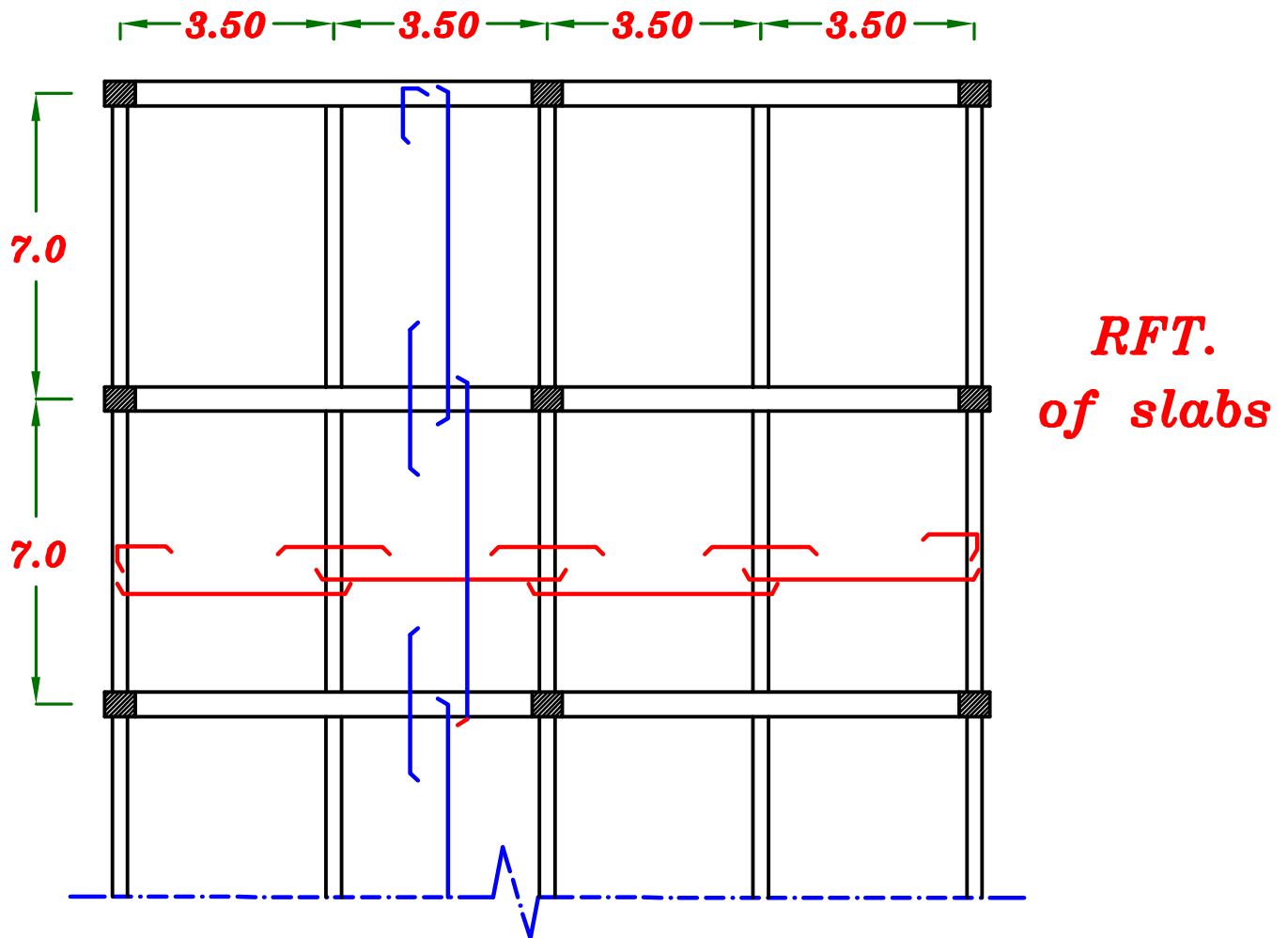






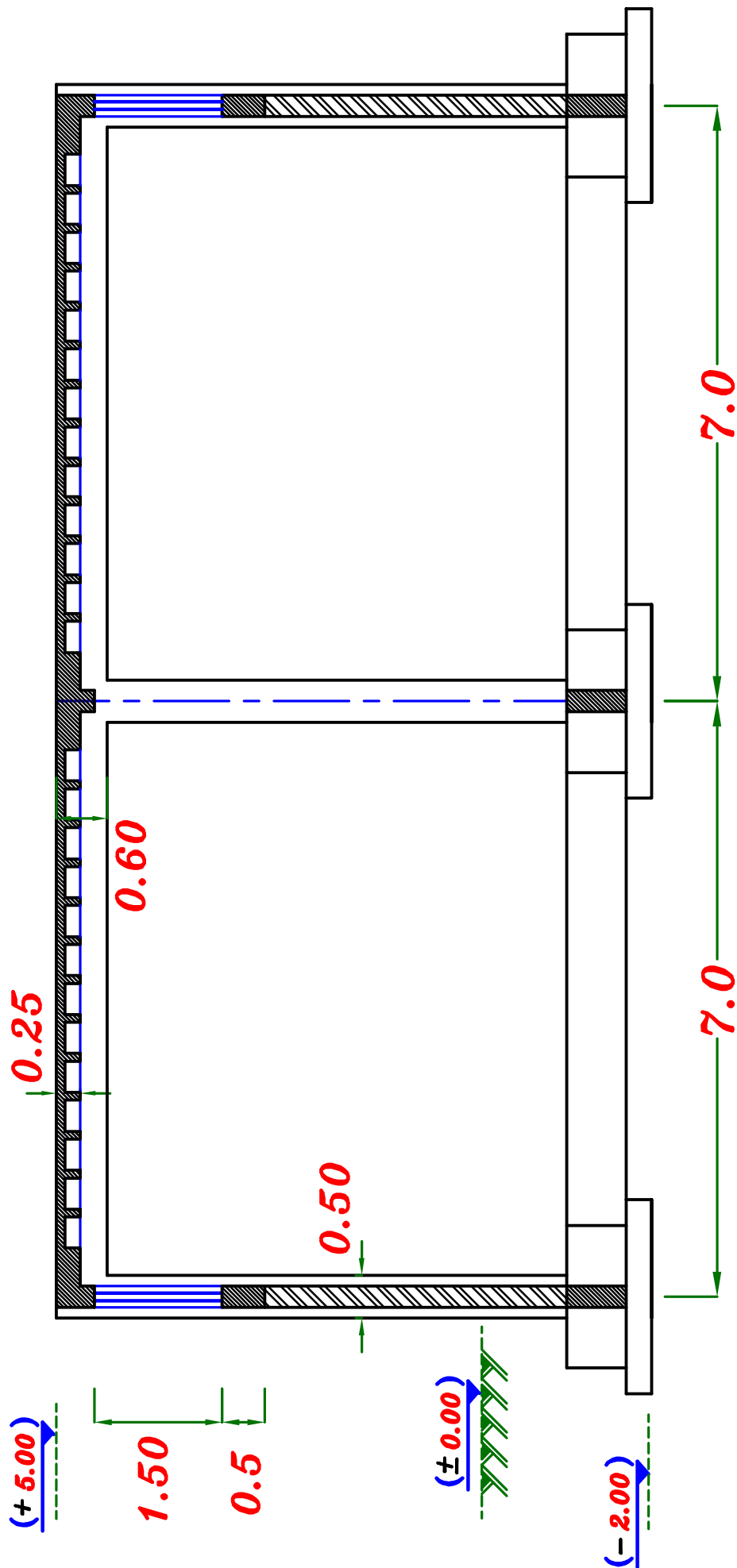


## *IF the slab is Solid Slab*



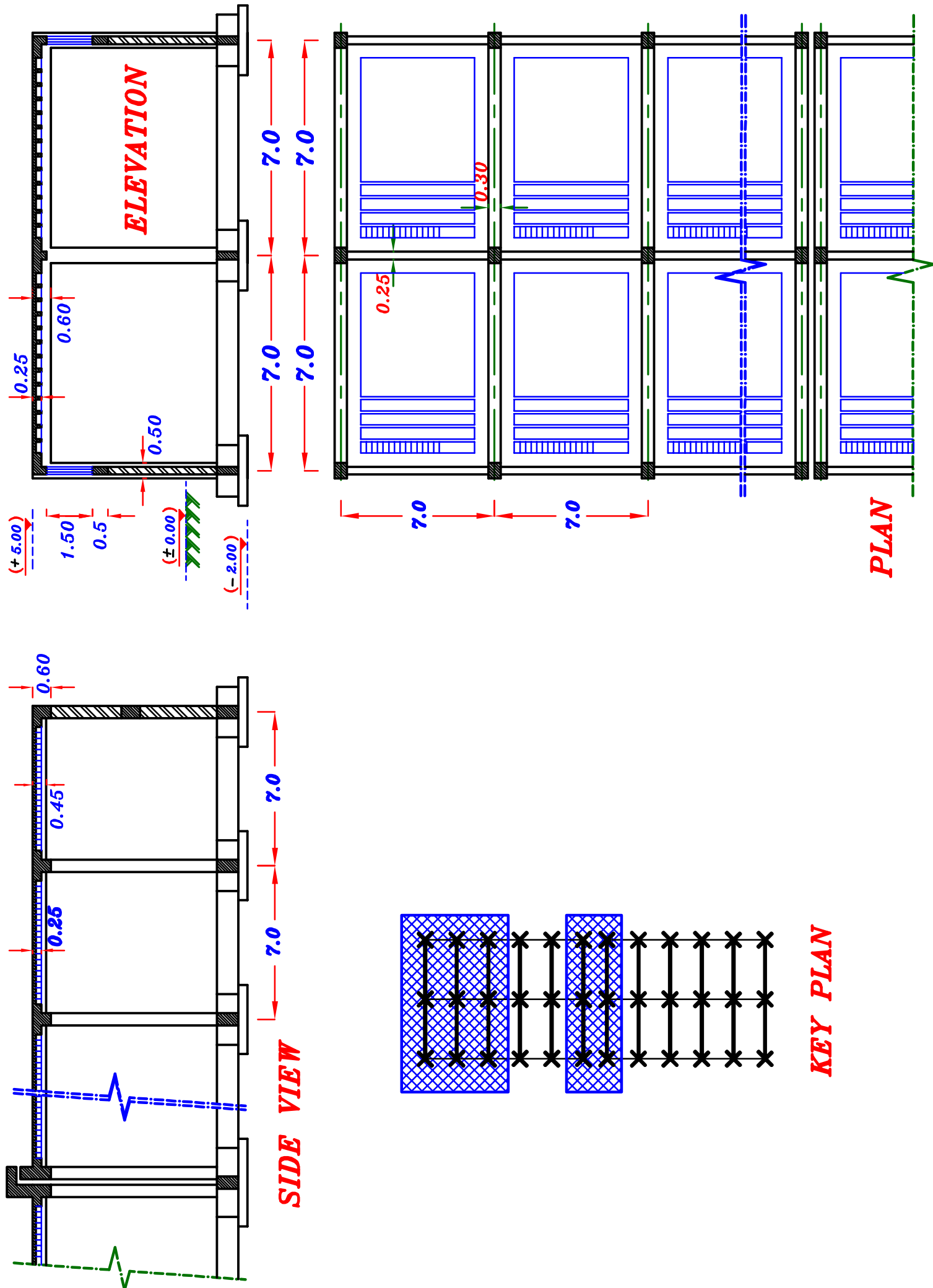


*IF the slab is Hollow Blocks.*



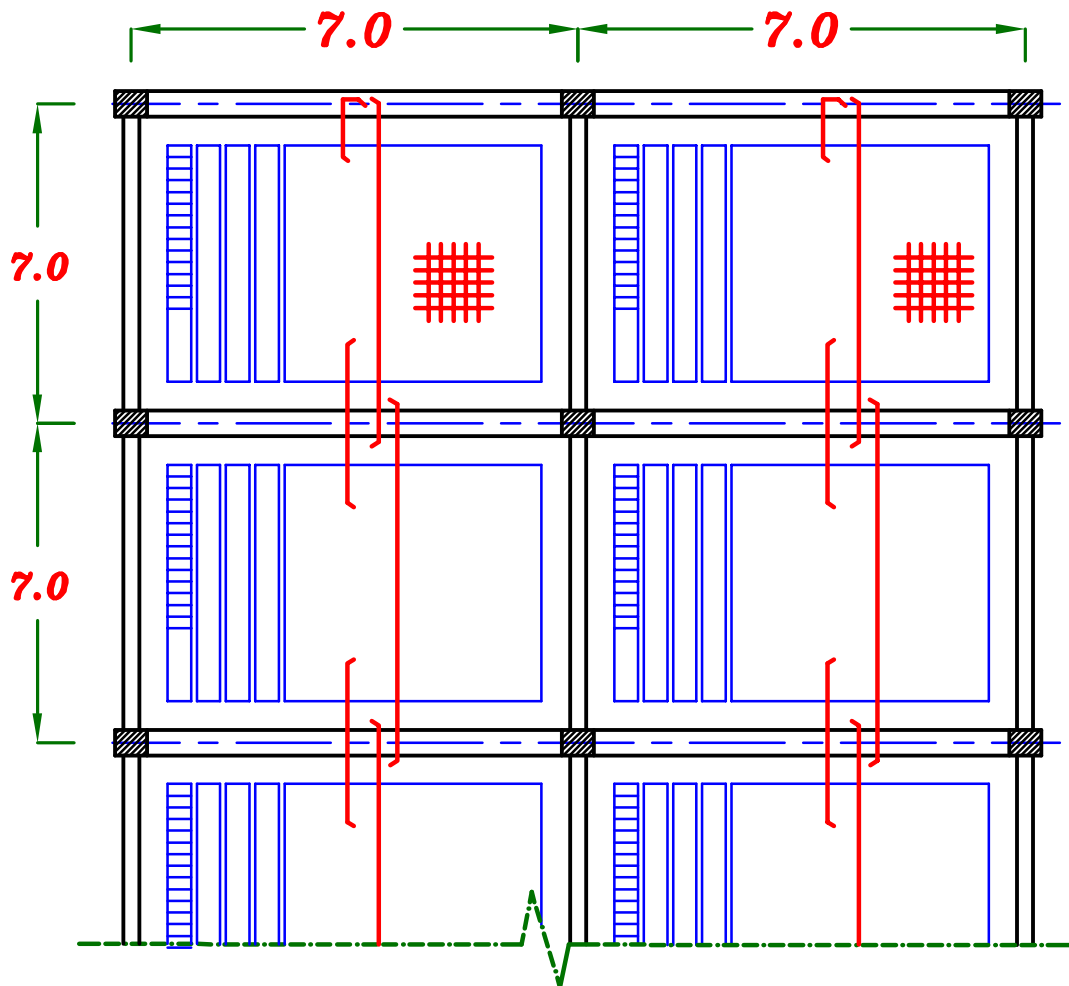


**IF the slab is Hollow Blocks.**

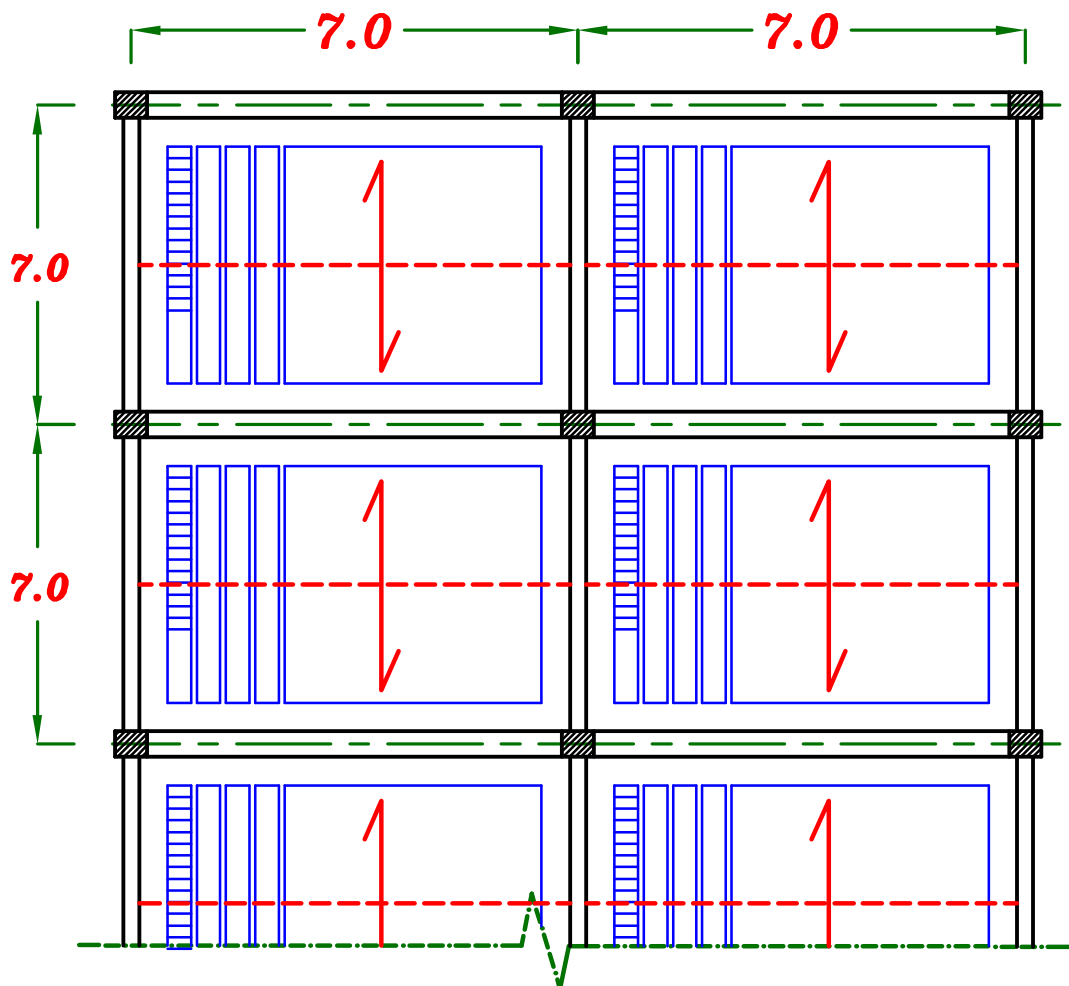




*IF the slab is Hollow Blocks.*

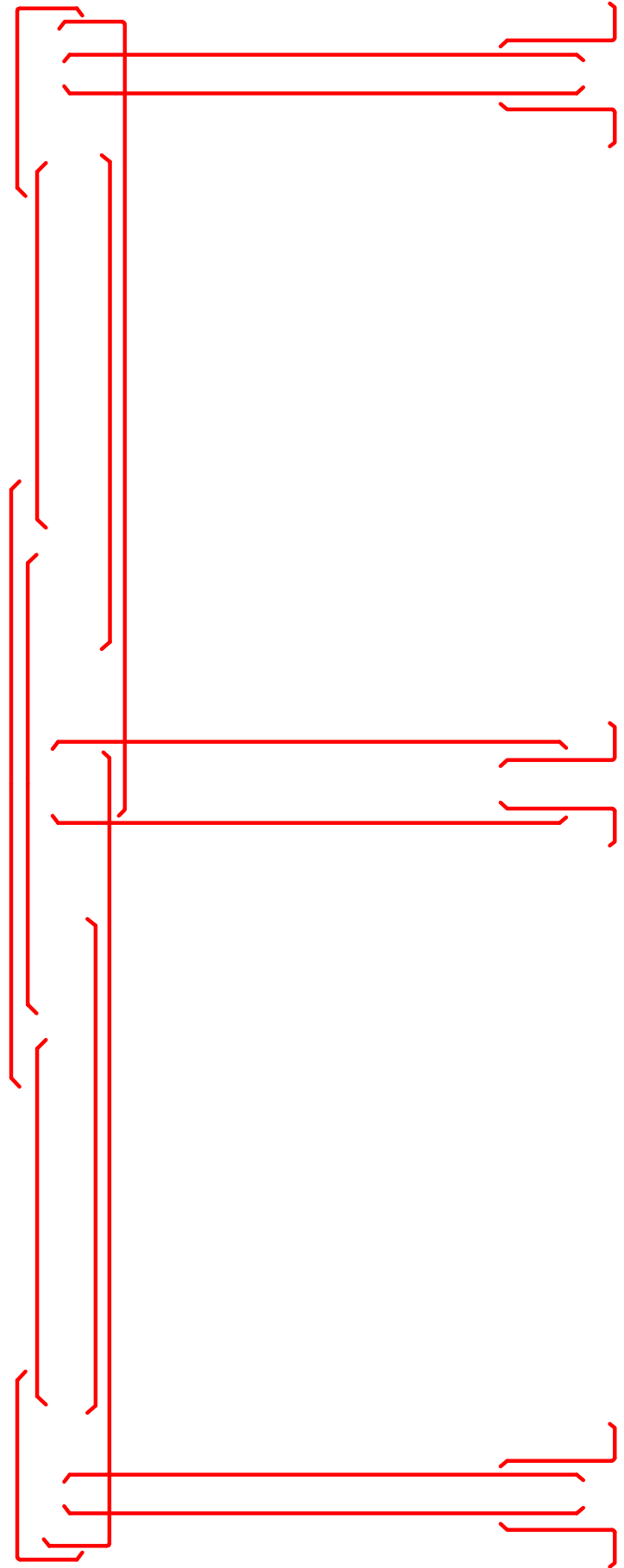
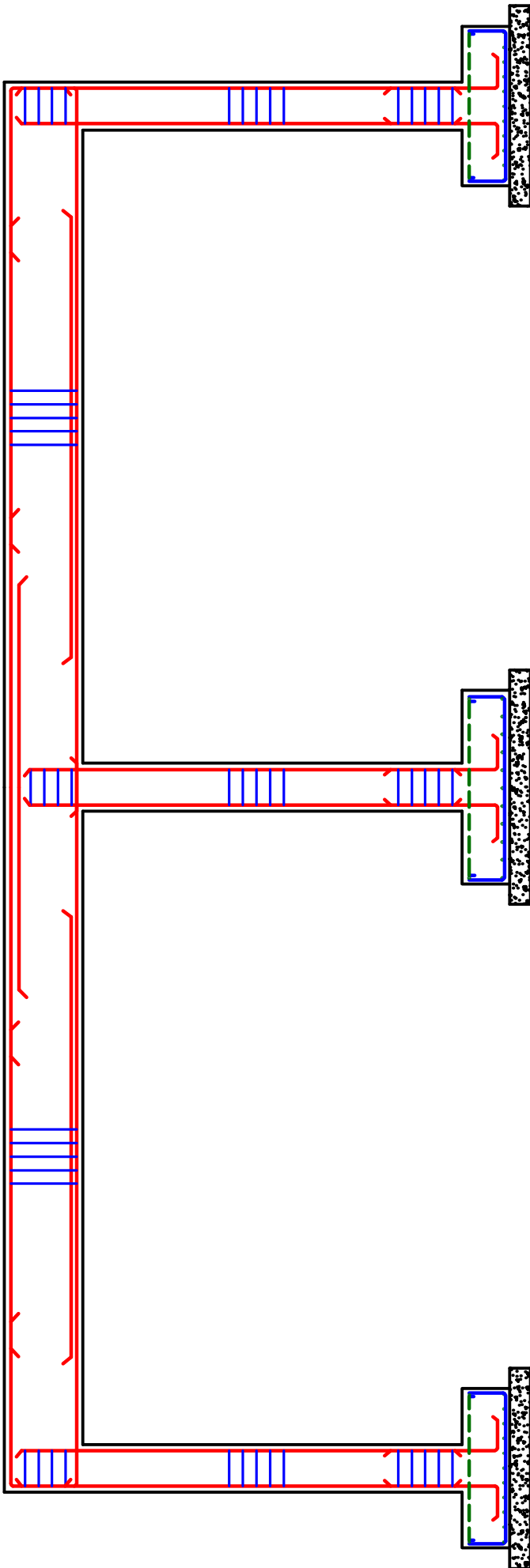


*RFT.  
of slabs*



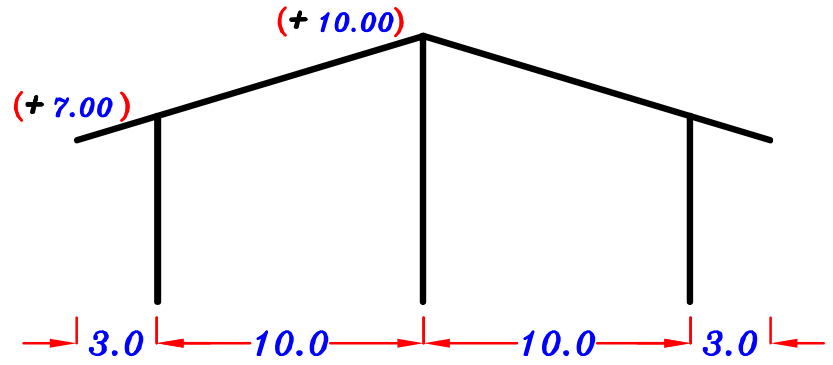
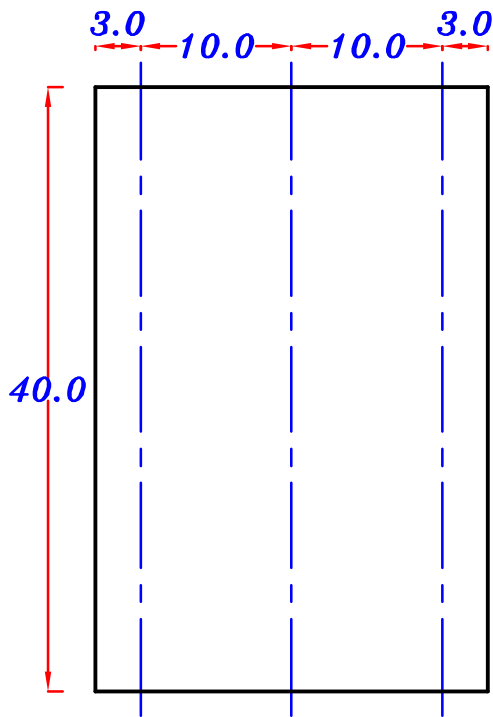
*Load  
Distribution*







# Example.



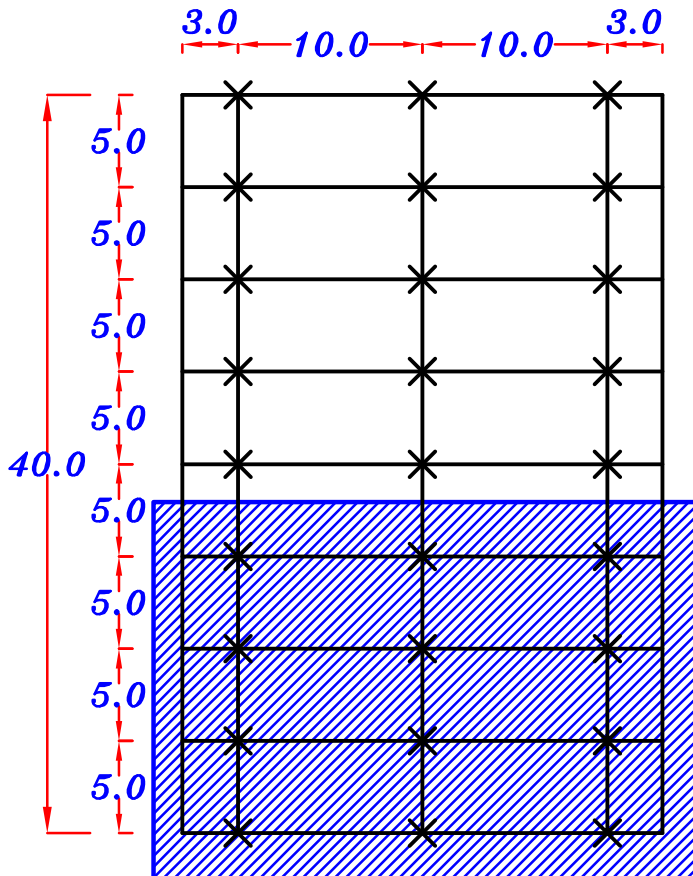
$$F_{cu.} = 25 \text{ N/mm}^2, \quad F_y = 360 \text{ N/mm}^2$$

$$L.L. = 1.5 \text{ kN/m}^2, \quad F.C. = 2.0 \text{ kN/m}^2$$

$$\text{Foundation Level.} = -2.0 \text{ m}$$

## Req.

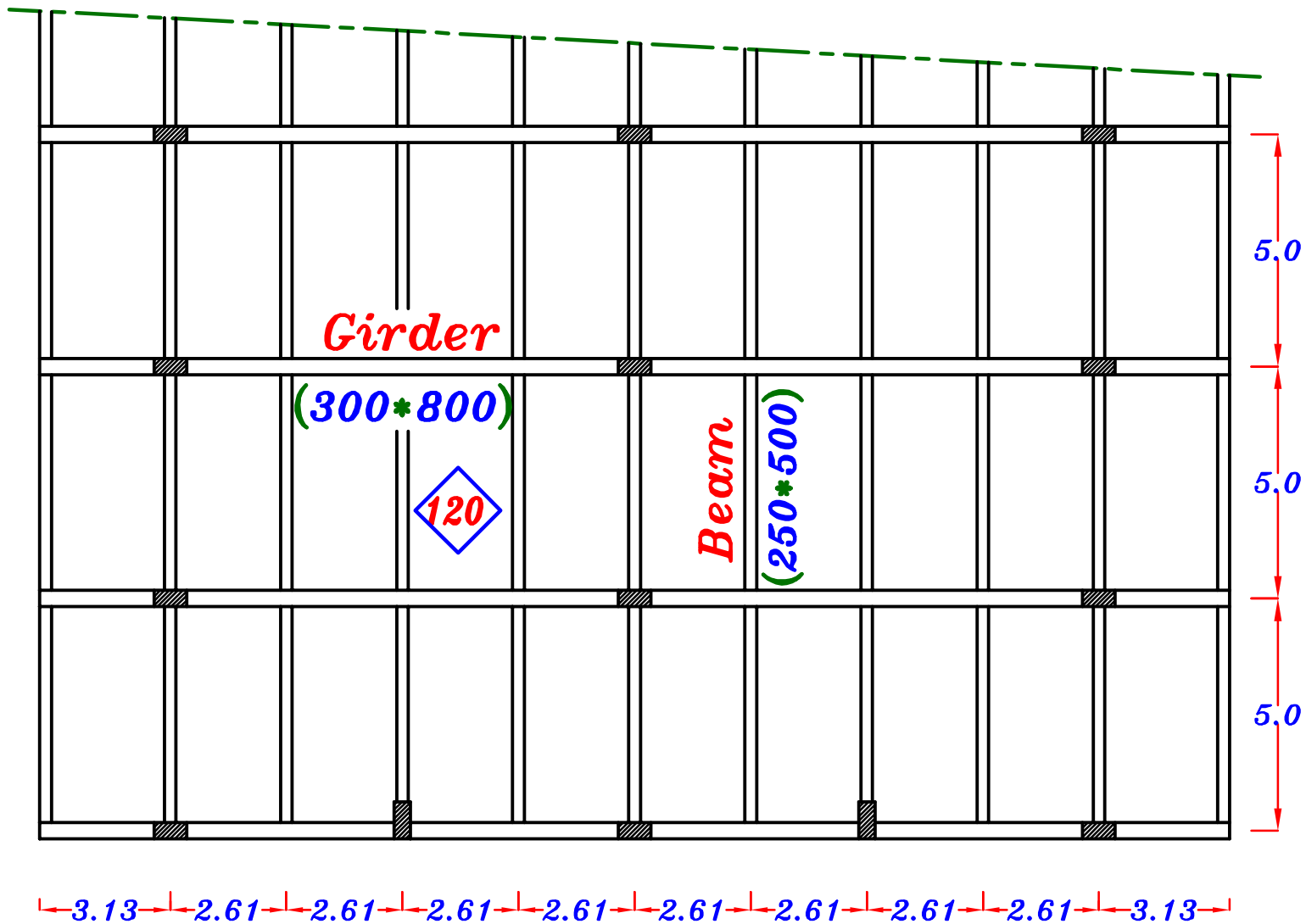
- 1- Draw concrete Dimensions in plan & elevation.
- 2- Show the statical system For the main system.
- 3- Design the slabs & Draw its RFT. in plan.
- 4- Design the secondary beams and draw its RFT. in elevation & Cross-Sec.
- 5- Design the Main system and draw its RFT. in elevation & Cross-Sec.



Key Plan



# Plan concrete Dimensions.

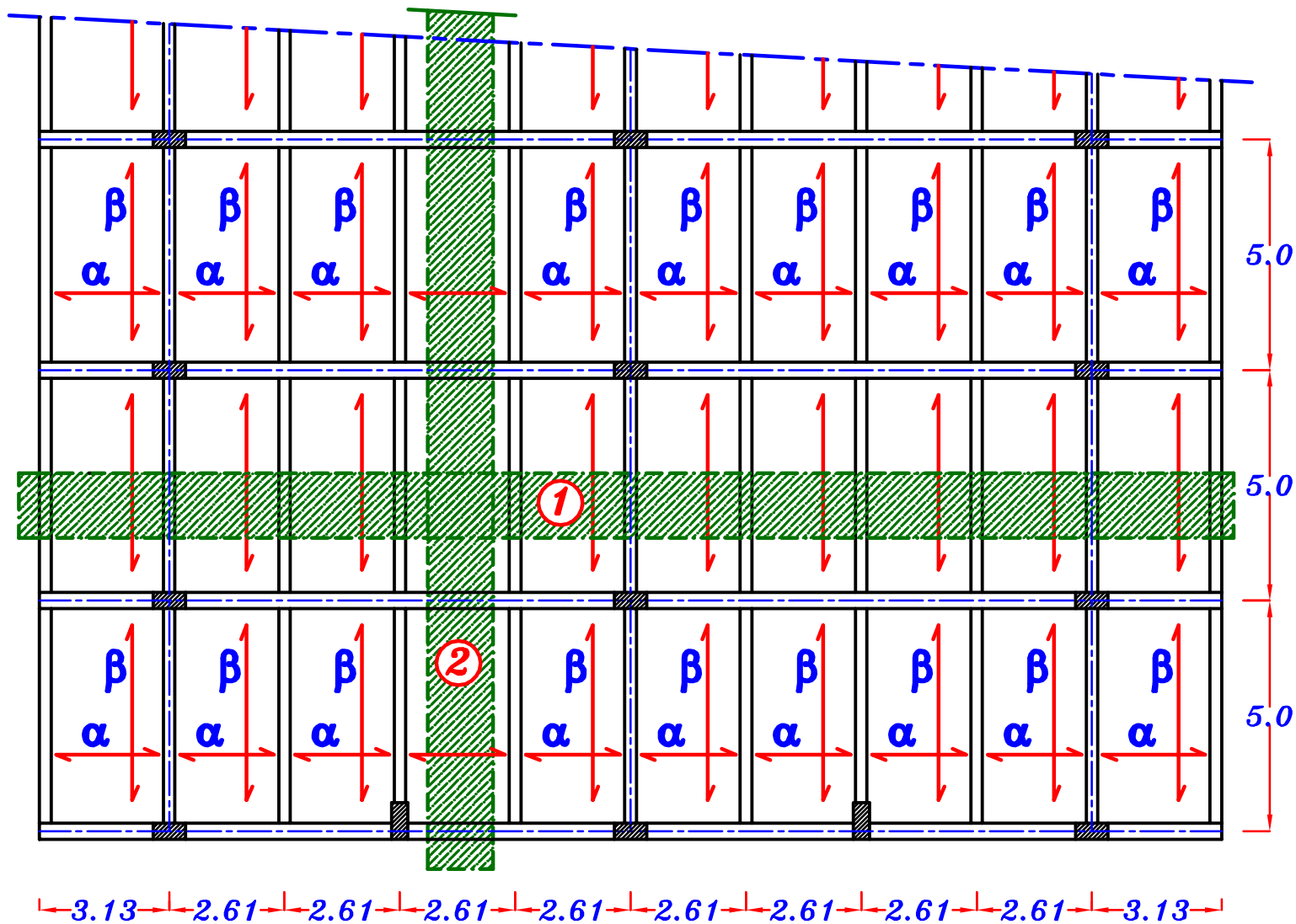








# Design of slabs.



$t_s$  Two way Slabs

$$t_s = \frac{L_s}{40} = \frac{3130}{40} = 78.2 \text{ mm}$$

$$t_s = 120 \text{ mm}$$

$w_s$

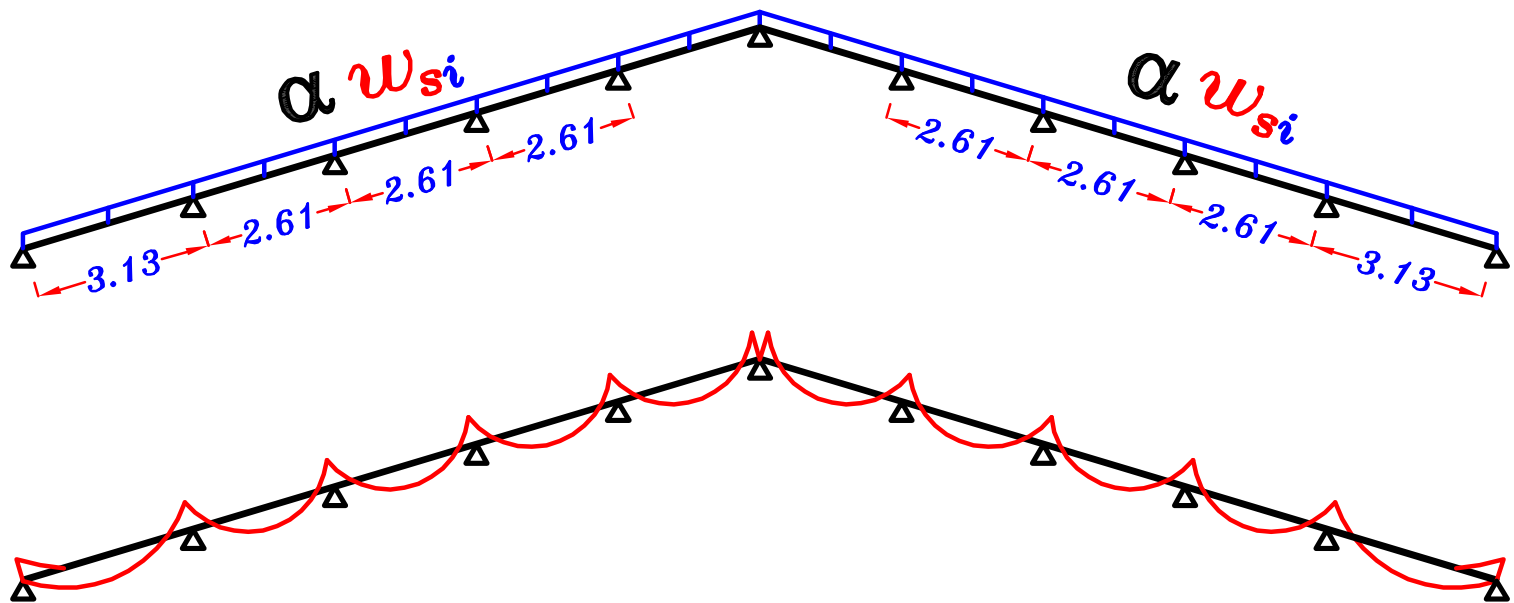
$$w_{si} = 1.4 (t_s \delta_c + F.C.) + 1.6 (L.L.) \cos \theta$$

$$w_{si} = 1.4 (0.12 * 25 + 2.0) + 1.6 (1.50) \cos 16.7^\circ = 9.30 \text{ kN/m}^2$$

$$w_{si} = 9.30 \text{ kN/m}^2$$

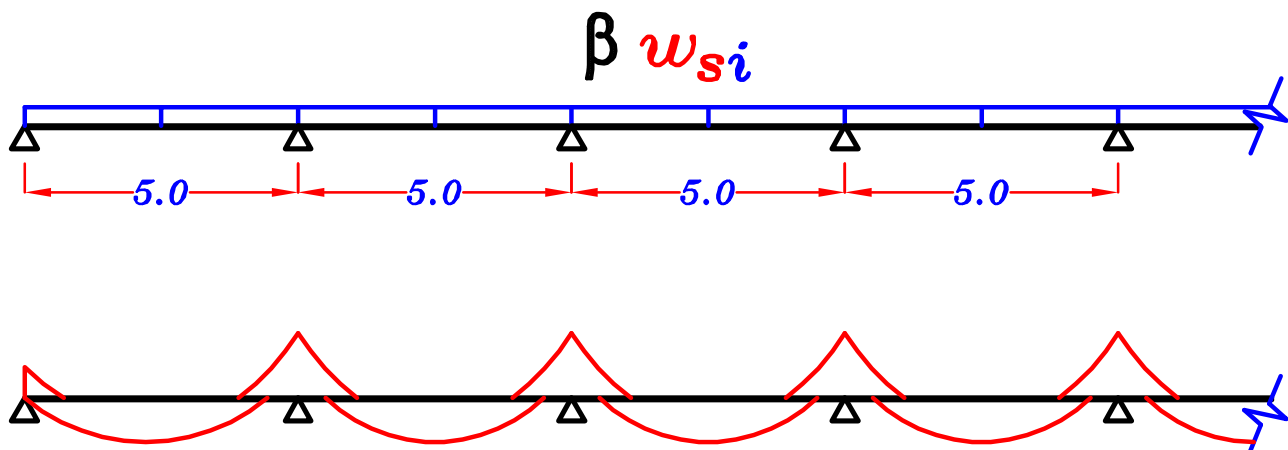


## Strip (1)



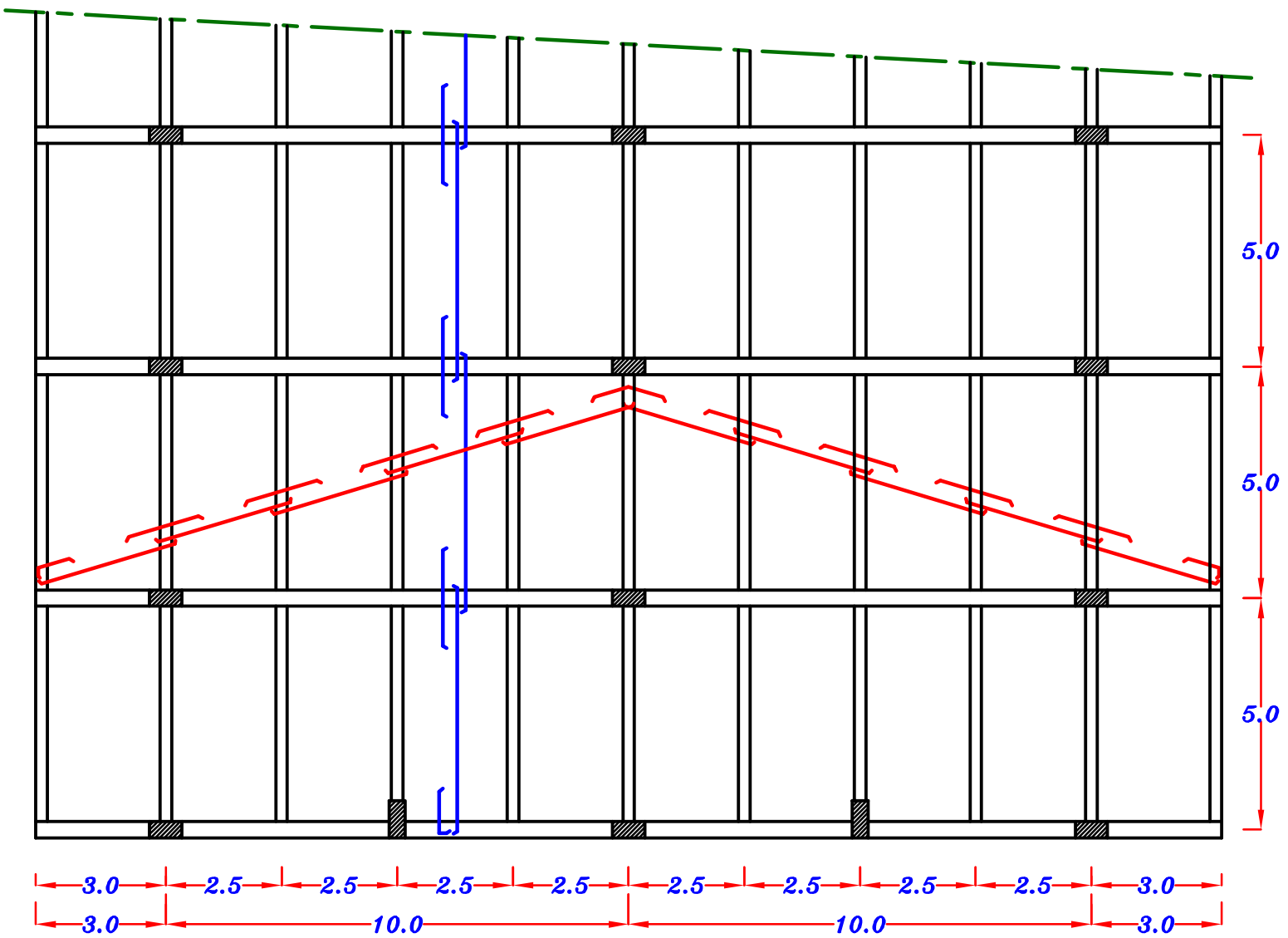
## Strip (2)

شريحة أفقيه في بلاطة ماظه (  $M * \cos \theta$  )



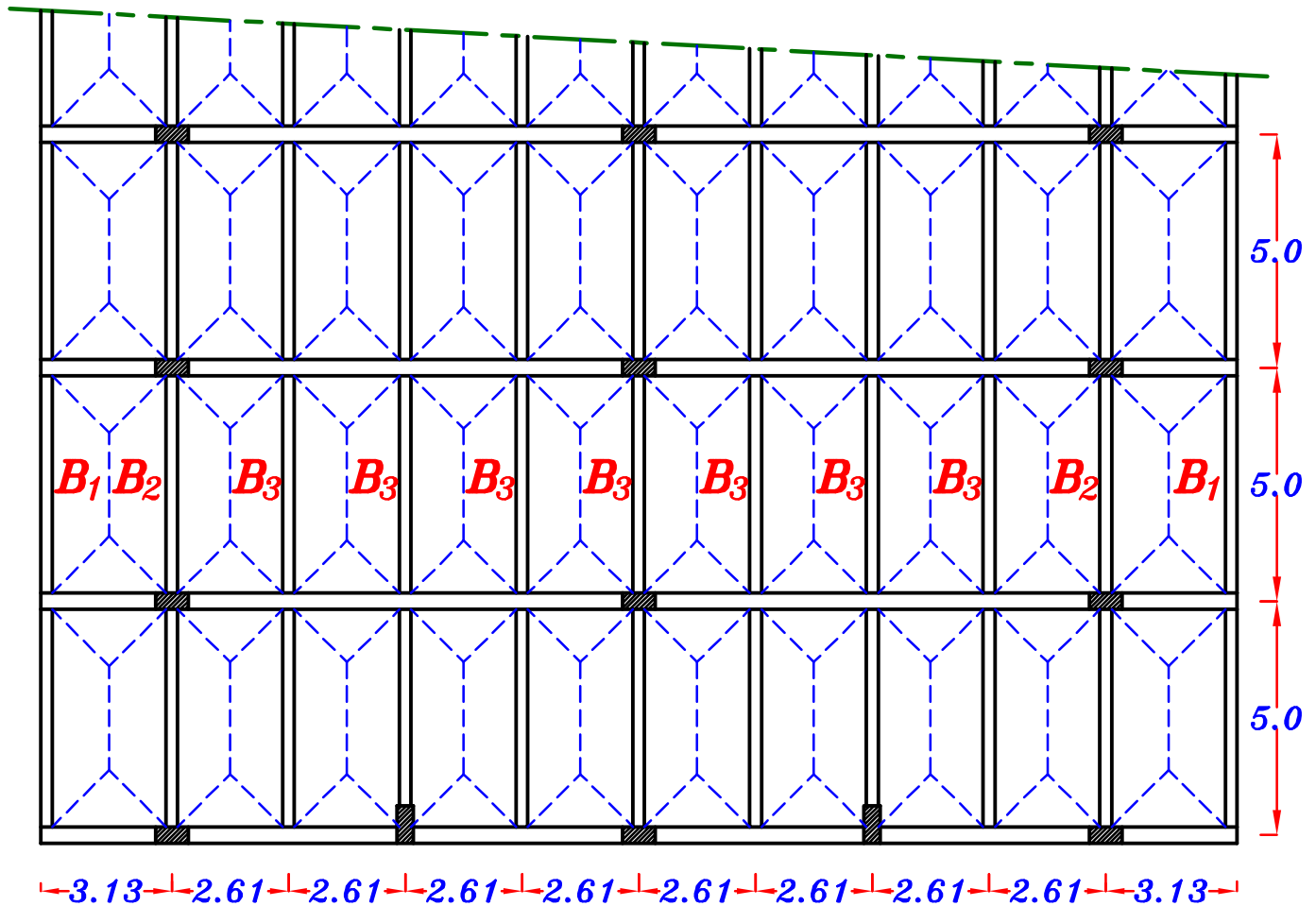


# *RFT. of the Slabs.*





# Loads on Beams.



$$\text{o.w. of Beams \& Girder} = 1.4 b t \delta_c$$

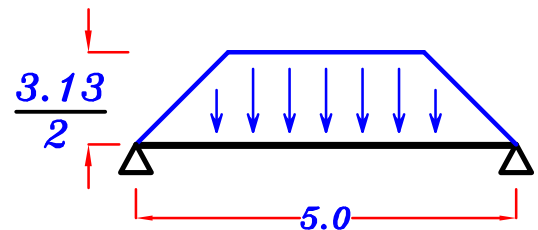
$$\text{Beams } (250 * 500) \quad \text{o.w.} = 1.4 (0.25) (0.5) (25) = 4.30 \text{ kN/m}$$

$$\text{Girder } (300 * 800) \quad \text{o.w.} = 1.4 (0.30) (0.8) (25) = 8.40 \text{ kN/m}$$

B<sub>1</sub>

$$C_a = 1 - \frac{1}{2} \left( \frac{L_s}{L} \right) = 1 - \frac{1}{2} \left( \frac{3.13}{5} \right) = 0.68$$

$$C_e = 1 - \frac{1}{3} \left( \frac{L_s}{L} \right)^2 = 1 - \frac{1}{3} \left( \frac{3.13}{5} \right)^2 = 0.87$$



$$w_a = \text{o.w.} + C_a w_{si} \frac{L_s}{2} = 4.30 + 0.68 (9.30) \left( \frac{3.13}{2} \right) = 14.2 \text{ kN/m}$$

$$w_e = \text{o.w.} + C_e w_{si} \frac{L_s}{2} = 4.30 + 0.87 (9.30) \left( \frac{3.13}{2} \right) = 17.0 \text{ kN/m}$$

$$R_1 = w_a * \text{Spacing} = 14.2 * 5.0 = 71.0 \text{ kN}$$

$$\boxed{R_1 = 71.0 \text{ kN}}$$

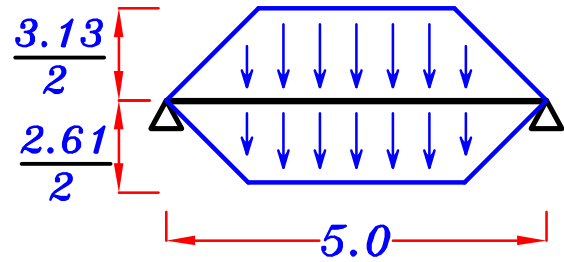


## B<sub>2</sub>

**Trapezoid ①**

$$C_a = 1 - \frac{1}{2} \left( \frac{L_s}{L} \right) = 1 - \frac{1}{2} \left( \frac{3.13}{5} \right) = 0.68$$

$$C_e = 1 - \frac{1}{3} \left( \frac{L_s}{L} \right)^2 = 1 - \frac{1}{3} \left( \frac{3.13}{5} \right)^2 = 0.87$$



**Trapezoid ②**

$$C_a = 1 - \frac{1}{2} \left( \frac{L_s}{L} \right) = 1 - \frac{1}{2} \left( \frac{2.61}{5} \right) = 0.74$$

$$C_e = 1 - \frac{1}{3} \left( \frac{L_s}{L} \right)^2 = 1 - \frac{1}{3} \left( \frac{2.61}{5} \right)^2 = 0.91$$

$$w_a = 0.W. + C_a \overline{w_{si}} \frac{L_s}{2} + C_a \overline{w_{si}} \frac{L_s}{2} = 4.30 + 0.68 (9.30) \left( \frac{3.13}{2} \right) + 0.74 (9.30) \left( \frac{2.61}{2} \right) = 23.1 \text{ kN}\backslash\text{m}$$

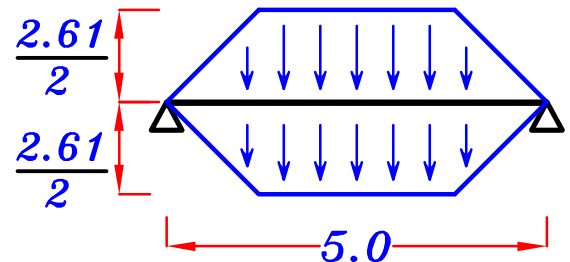
$$w_e = 0.W. + C_e \overline{w_{si}} \frac{L_s}{2} + C_e \overline{w_{si}} \frac{L_s}{2} = 4.30 + 0.87 (9.30) \left( \frac{3.13}{2} \right) + 0.91 (9.30) \left( \frac{2.61}{2} \right) = 28.0 \text{ kN}\backslash\text{m}$$

$$R_2 = w_a * \text{Spacing} = 23.1 * 5.0 = 115.5 \text{ kN} \quad \boxed{R_2 = 115.5 \text{ kN}}$$

## B<sub>3</sub>

$$C_a = 1 - \frac{1}{2} \left( \frac{L_s}{L} \right) = 1 - \frac{1}{2} \left( \frac{2.61}{5} \right) = 0.74$$

$$C_e = 1 - \frac{1}{3} \left( \frac{L_s}{L} \right)^2 = 1 - \frac{1}{3} \left( \frac{2.61}{5} \right)^2 = 0.91$$



$$w_a = 0.W. + 2 C_a \overline{w_{si}} \frac{L_s}{2} = 4.30 + 2 (0.74) (9.30) \left( \frac{2.61}{2} \right) = 22.2 \text{ kN}\backslash\text{m}$$

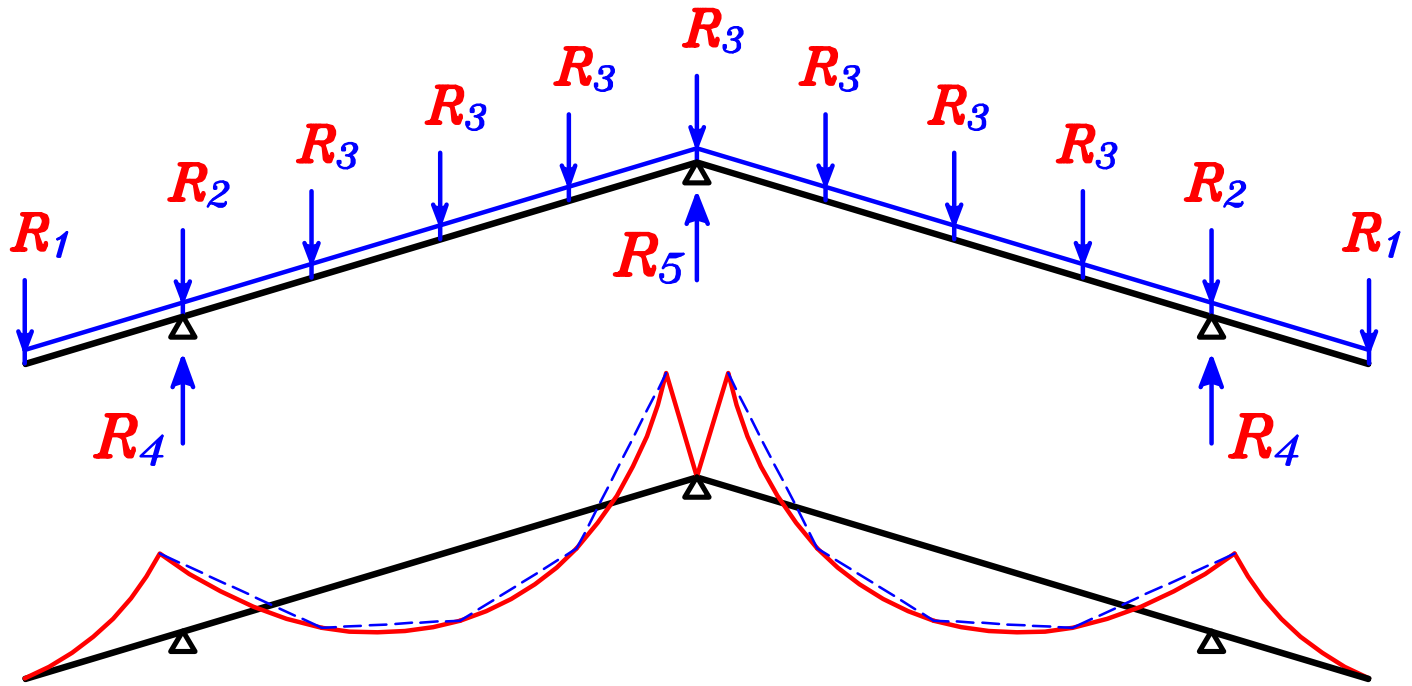
$$w_e = 0.W. + 2 C_e \overline{w_{si}} \frac{L_s}{2} = 4.30 + 2 (0.91) (9.30) \left( \frac{2.61}{2} \right) = 26.3 \text{ kN}\backslash\text{m}$$

$$R_3 = w_a * \text{Spacing} = 22.2 * 5.0 = 111 \text{ kN} \quad \boxed{R_3 = 111 \text{ kN}}$$



## Girders

Designed on  $M$

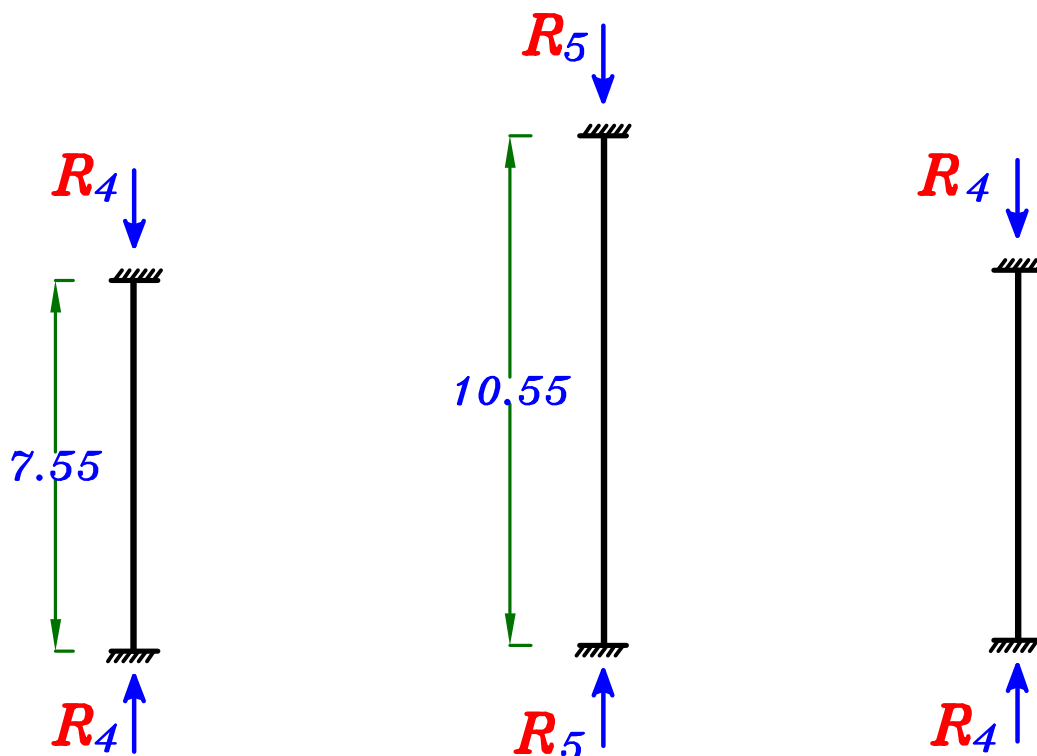


Solved by 3 Moment eqn.

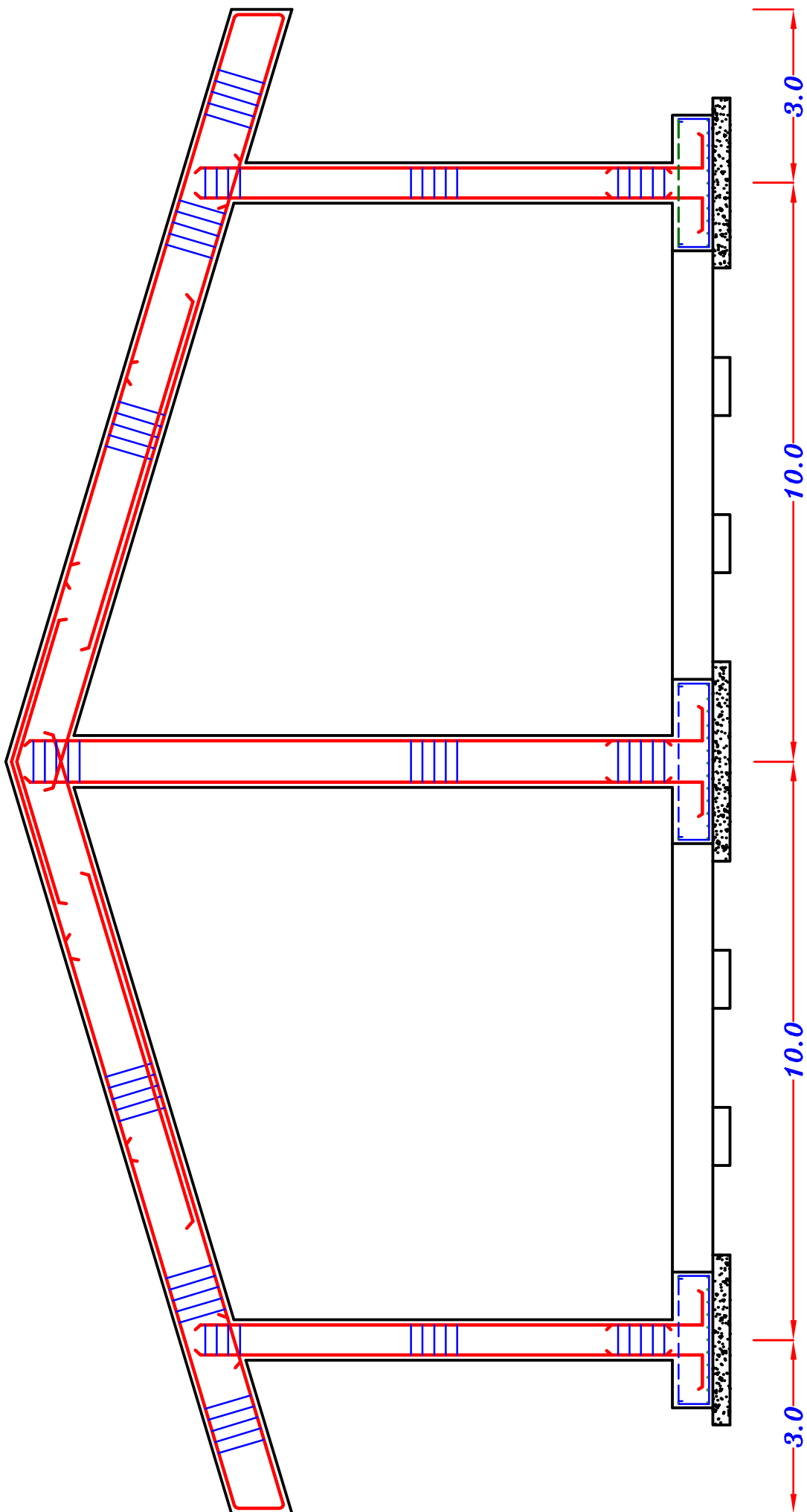
## Columns

Check Buckling

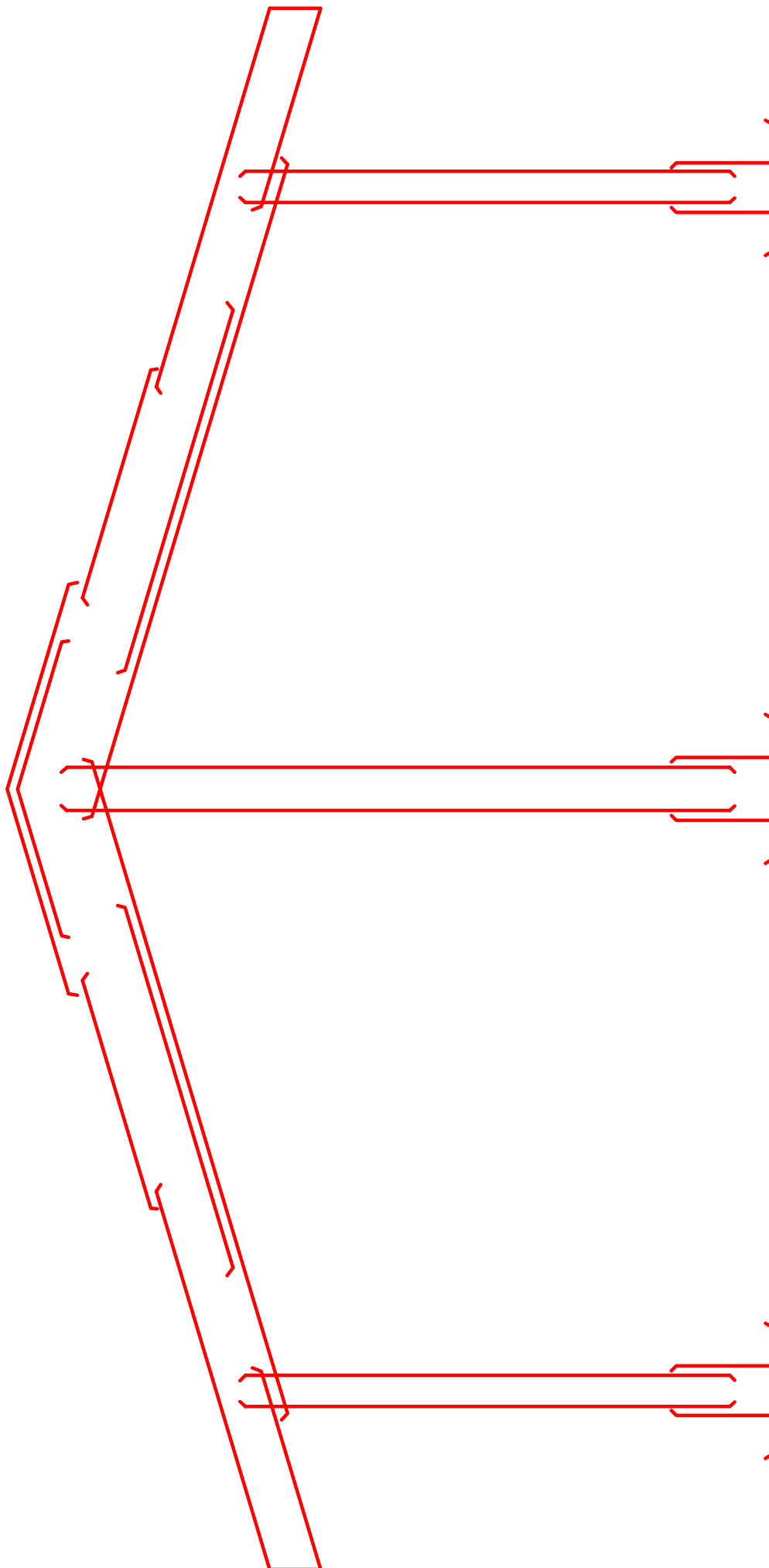
and Designed on  $P$ ,  $M_{add}$





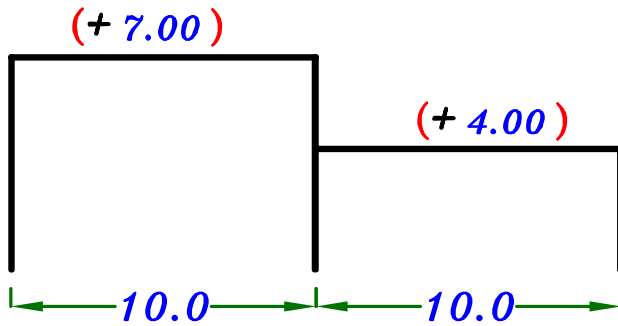




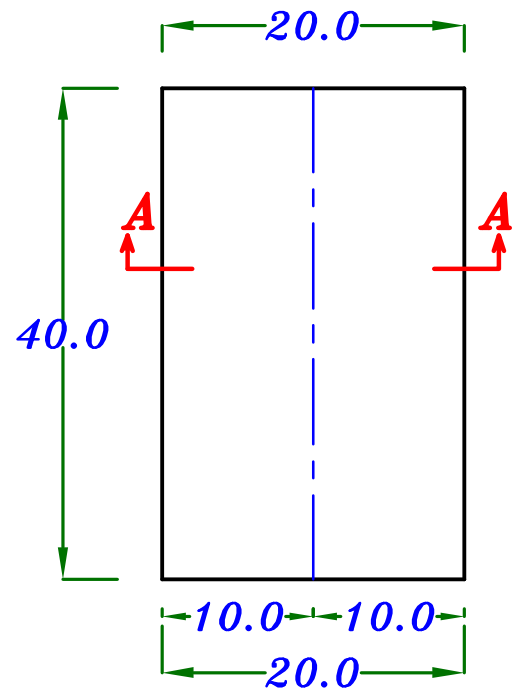




# Example.

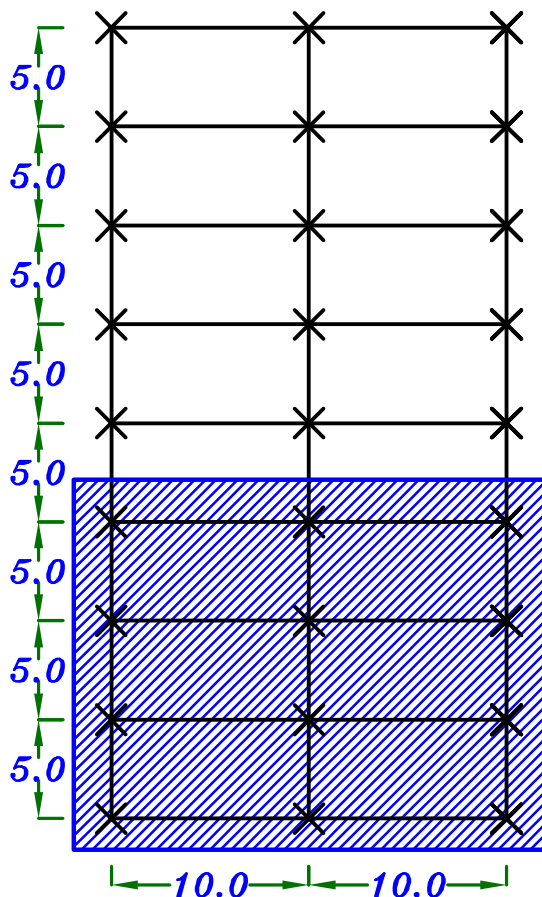


**Sec. A-A**



## **Req.**

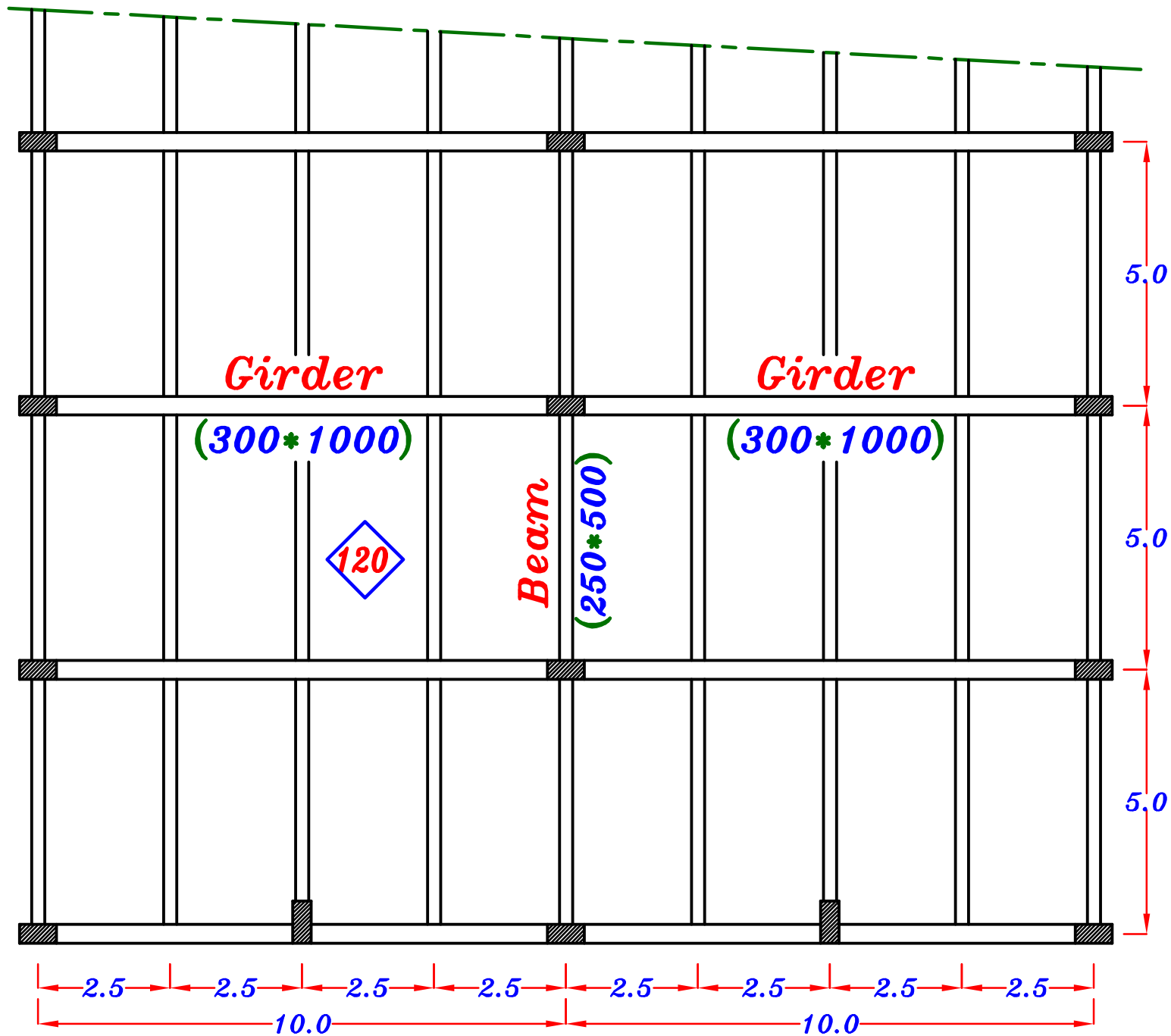
- 1 - Draw concrete Dimensions in plan & elevation.
- 2 - Draw RFT. of slabs in plan.



**Key Plan**



# Plan concrete Dimensions.

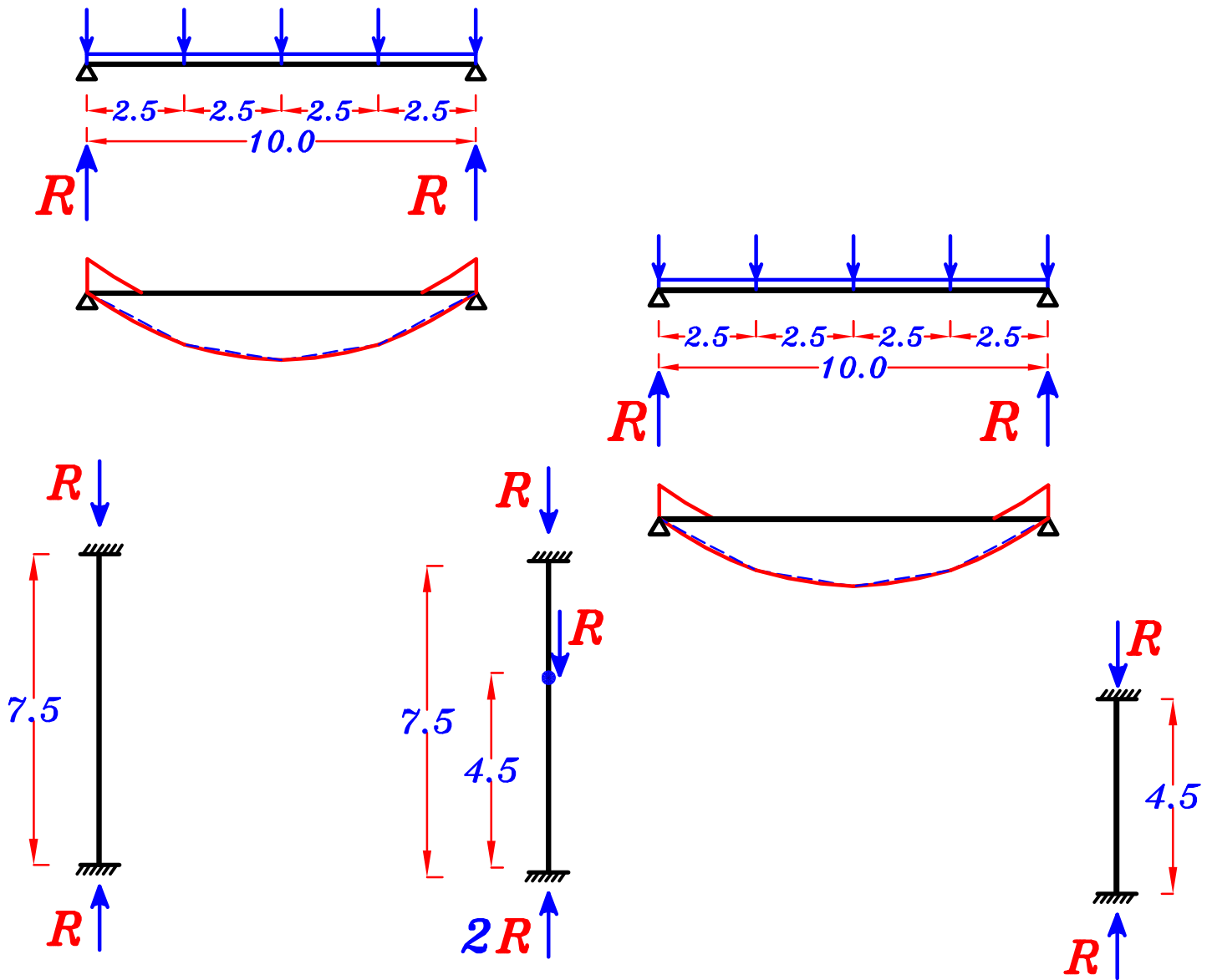


*Plan*









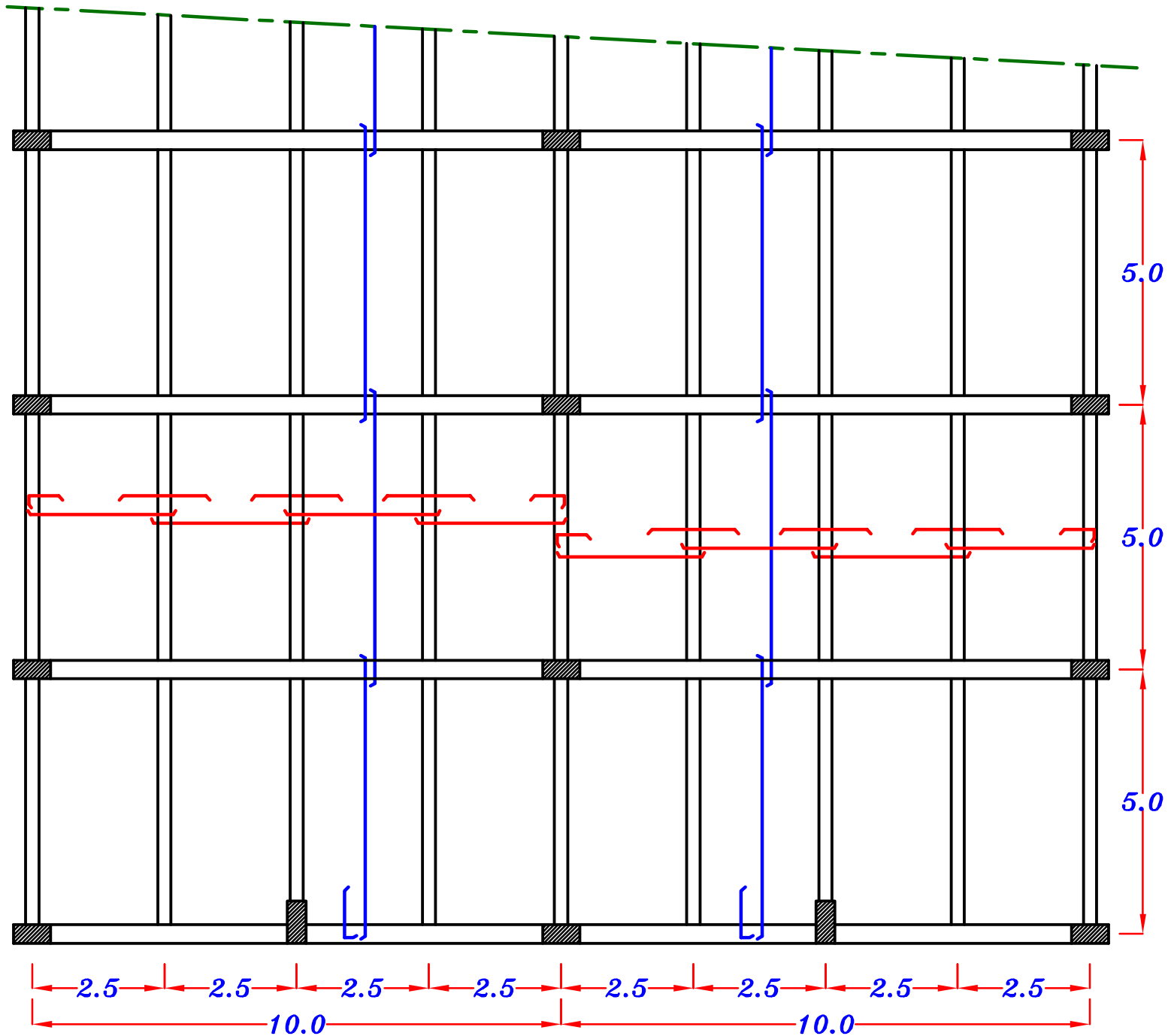
## Columns

Check Buckling

and Designed on  $P$ ,  $M_{add}$

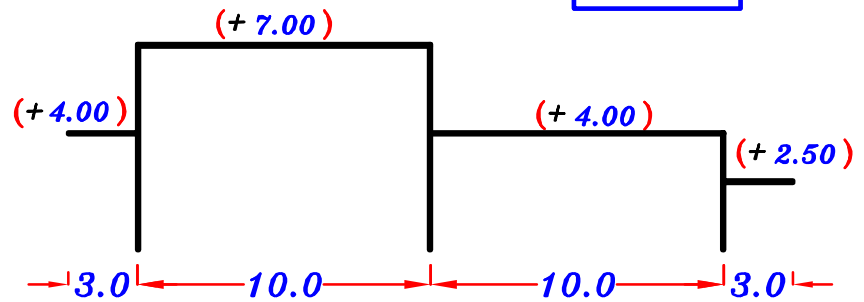
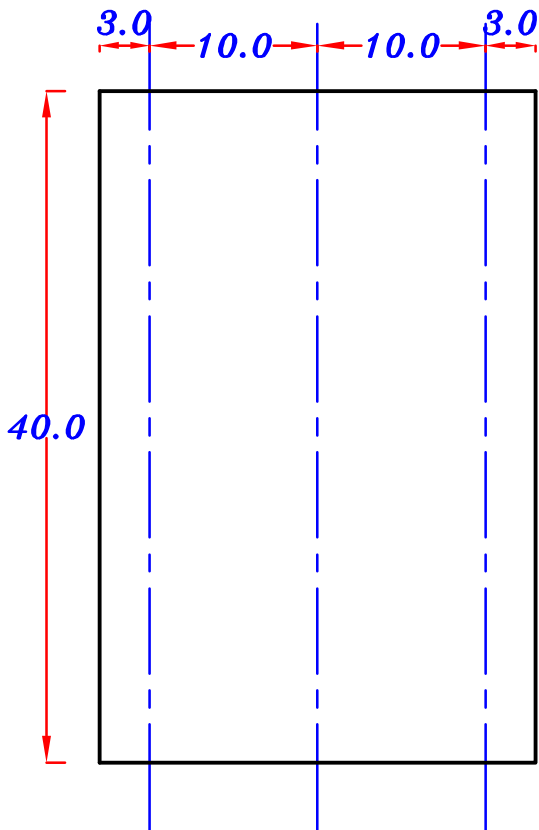


# RFT. of the Slabs.





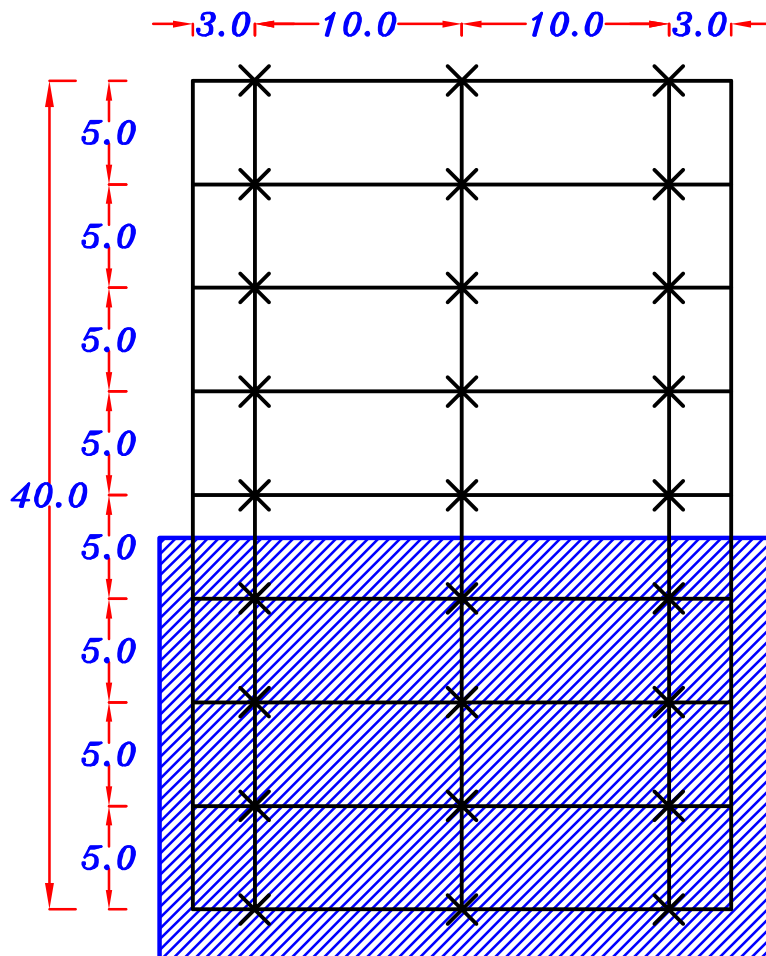
# Example.



**Req.**

**1** – Draw concrete Dimensions in plan & elevation.

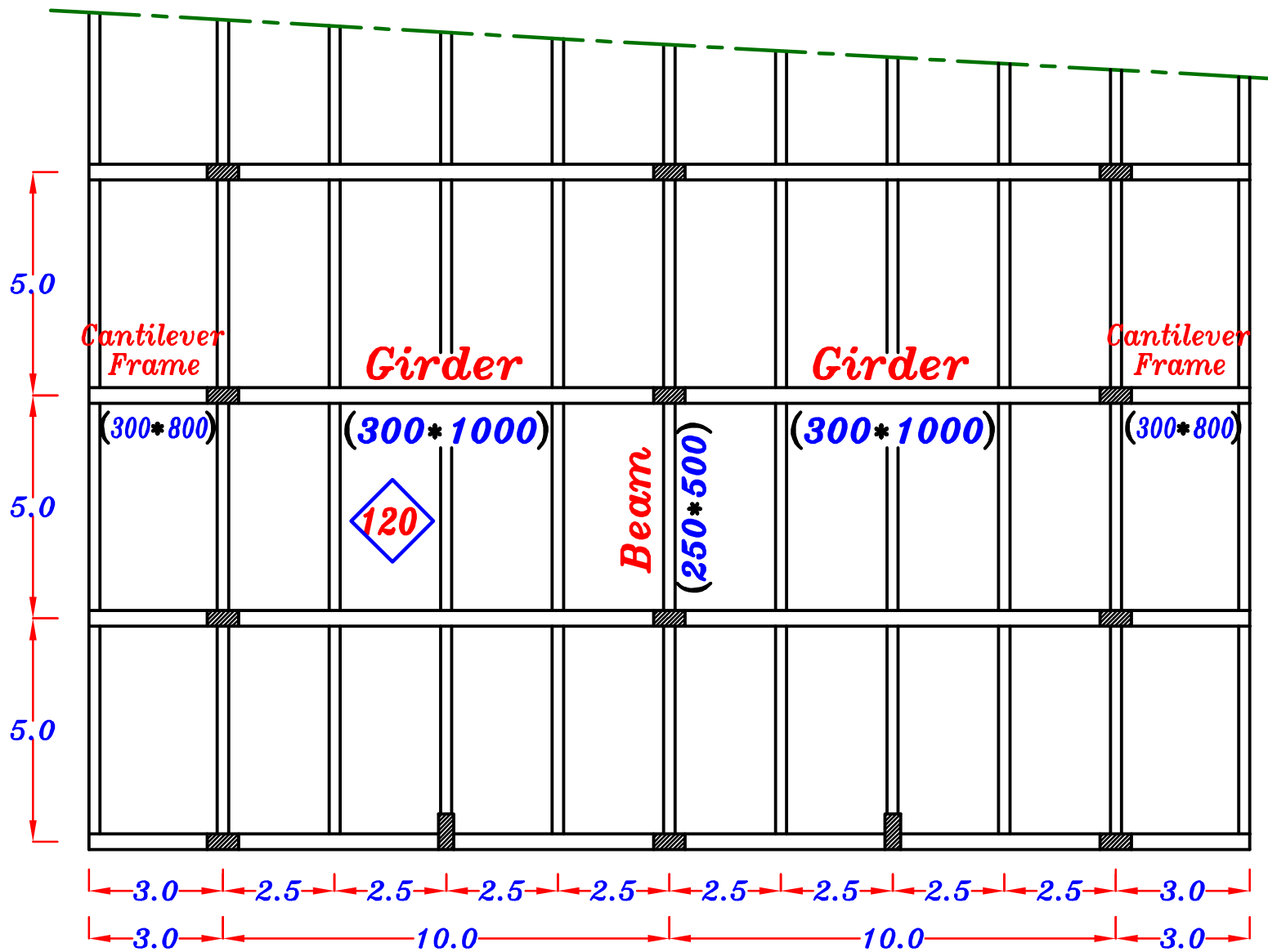
**2** – Draw RFT. of slabs in plan.



**Key Plan**



# Plan concrete Dimensions.

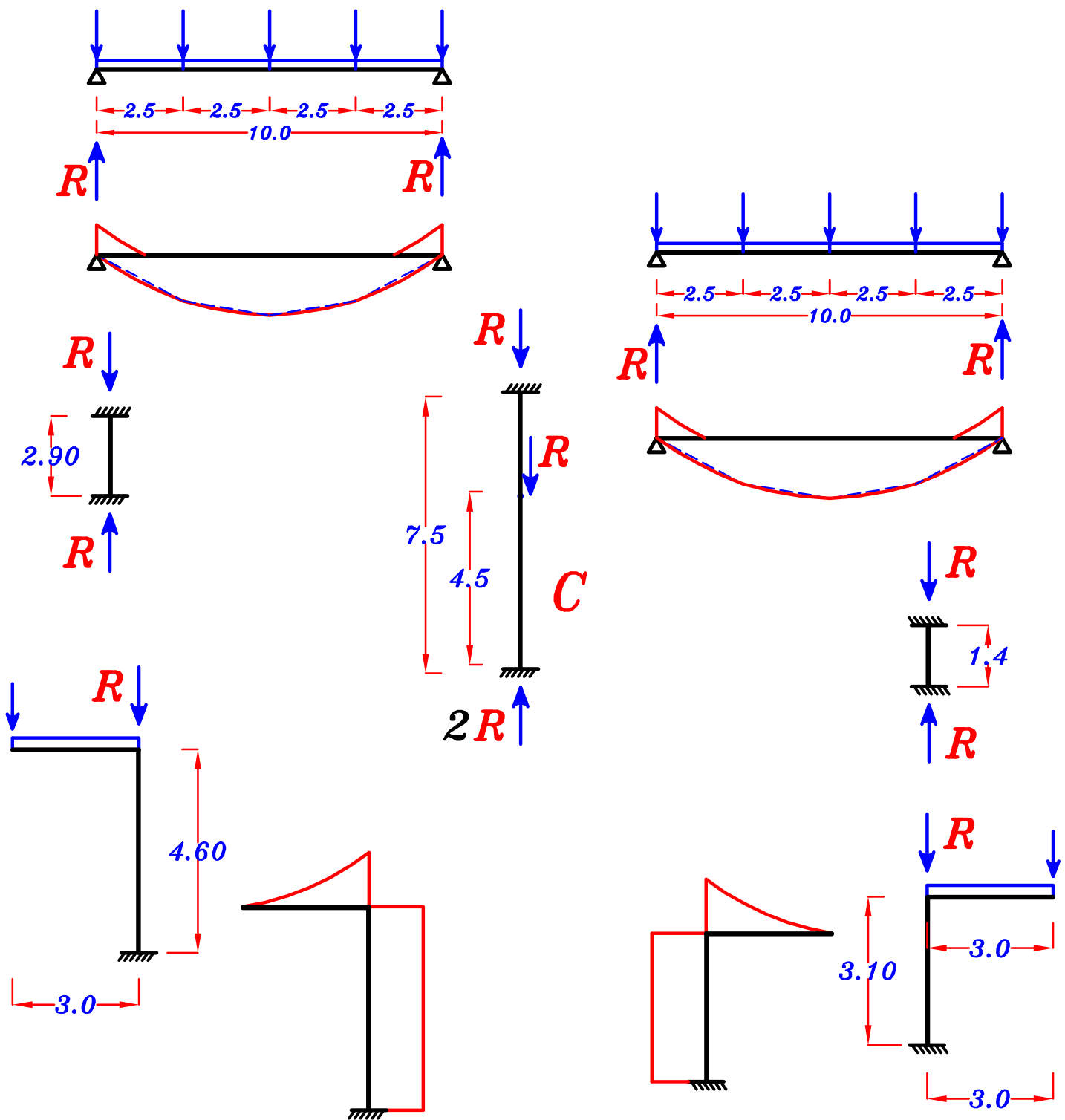


*Plan*









## Girders

Desined on  $M$

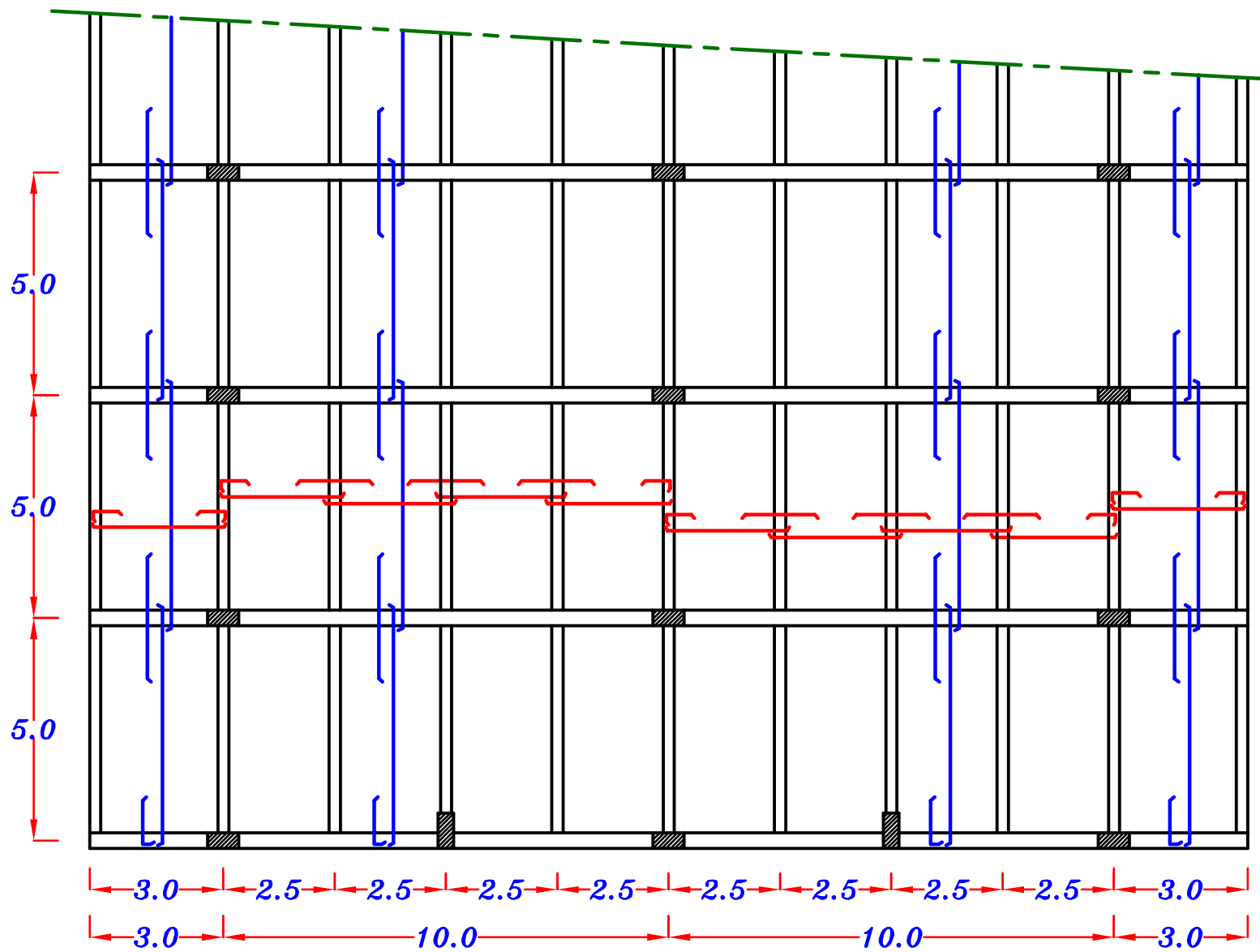
Column  $C$

Check Buckling

and Desined on  $P, M_{add}$

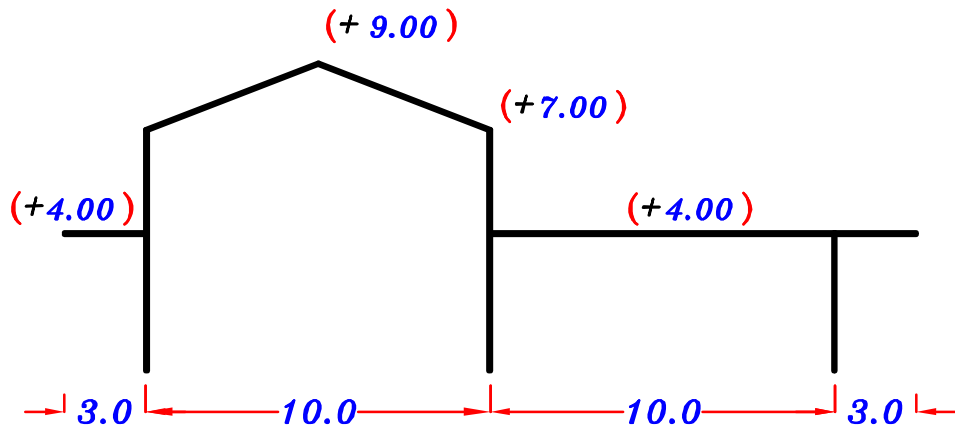
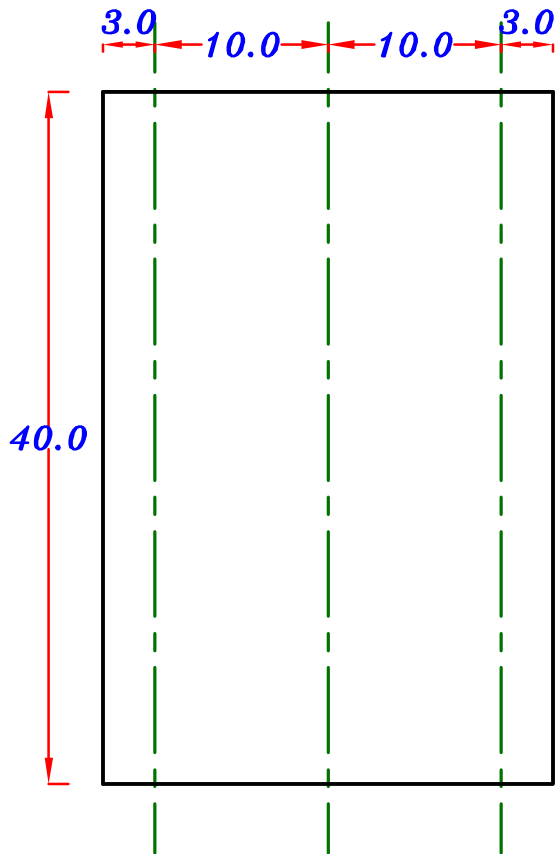


# *RFT. of the Slabs.*





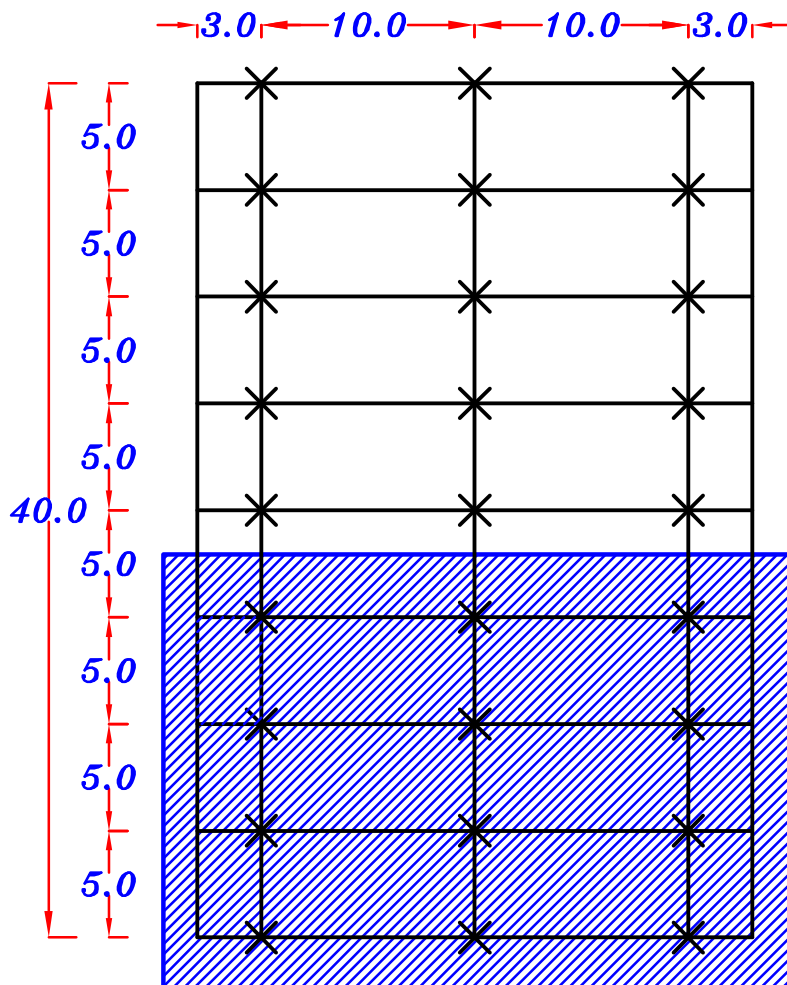
# Example.



**Req.**

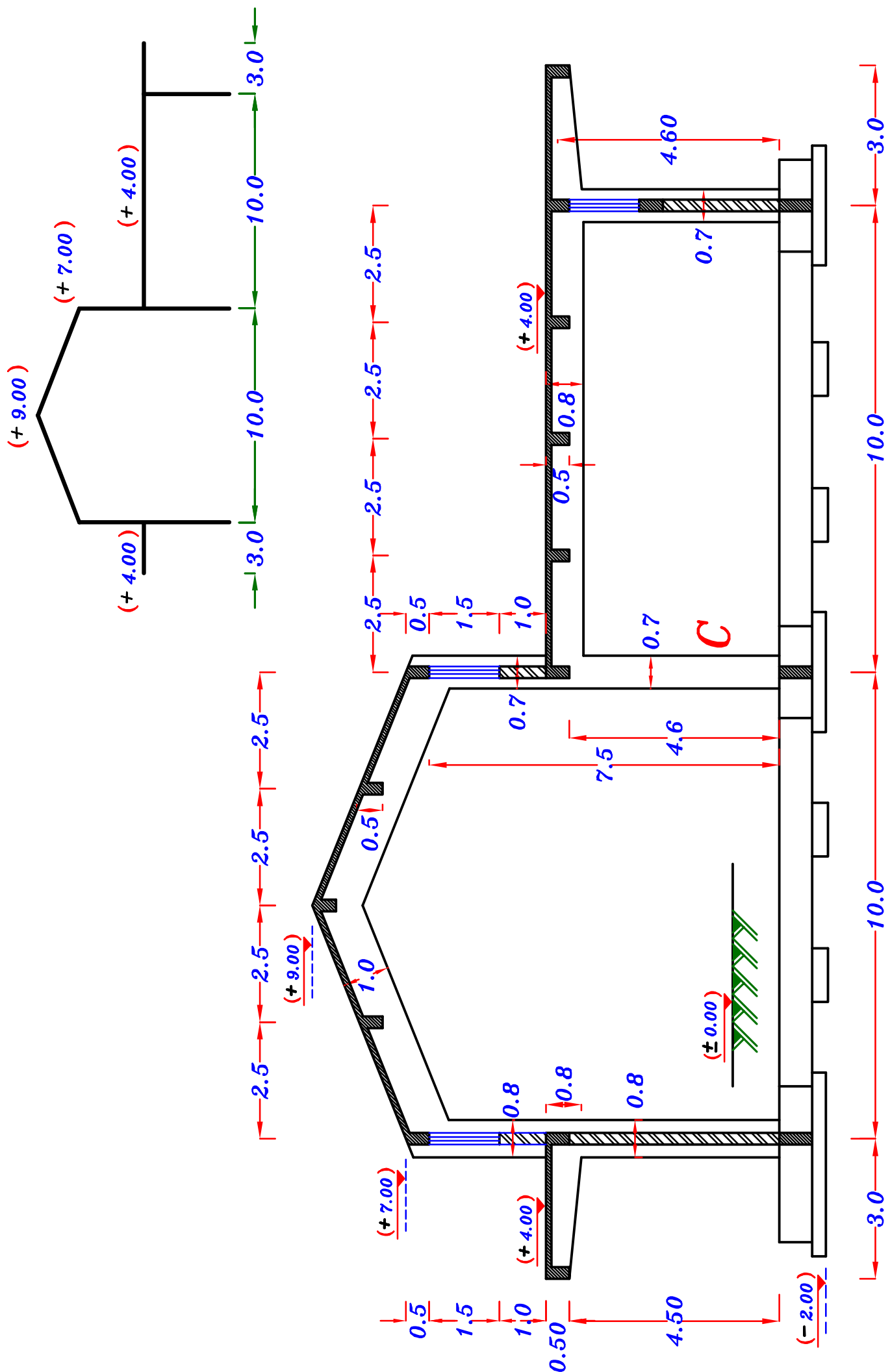
**1** – Draw concrete Dimensions in plan & elevation.

**2** – Draw RFT. of slabs in plan.

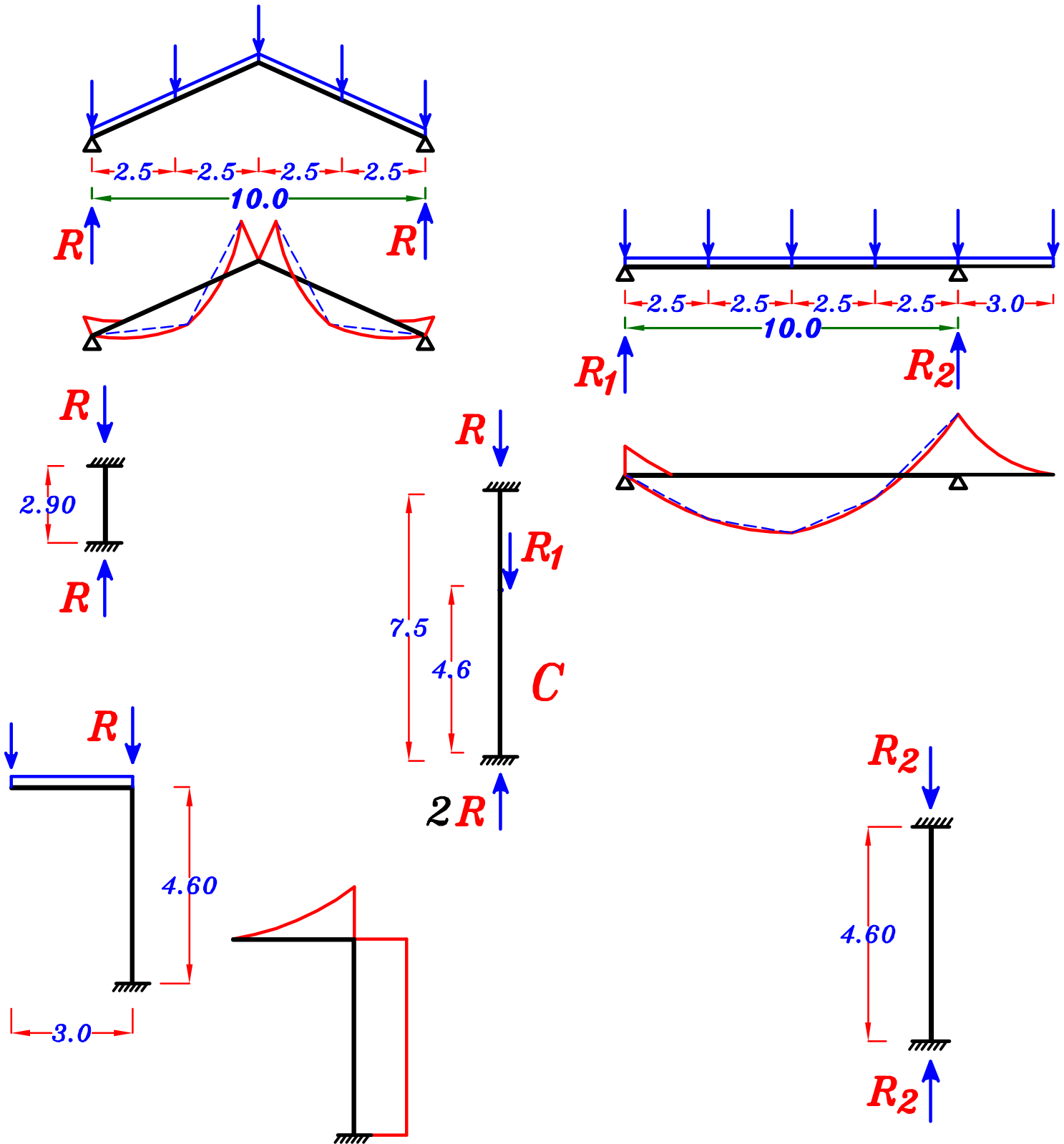


**Plan**









**Girders**

**Designed on  $M$**

**Columns**

**Check Buckling**

**and Designed on  $P, M_{add}$**



# RFT. of the Slabs.

